

# The Open-Source Modelica Compiler

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# Overview

Part I

Background

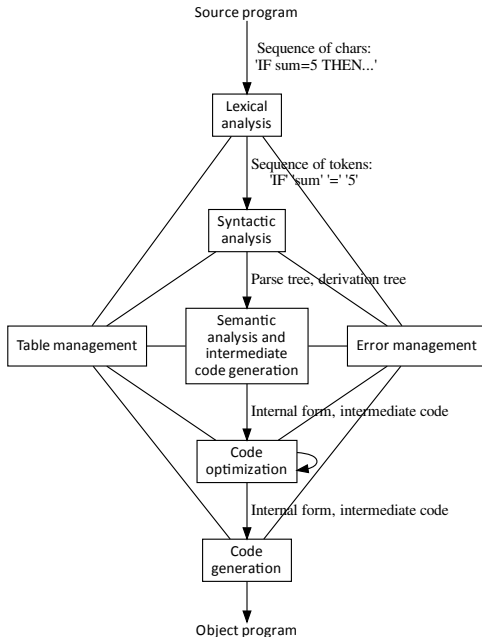
Part II

Implementation of a Modelica Compiler

Part I

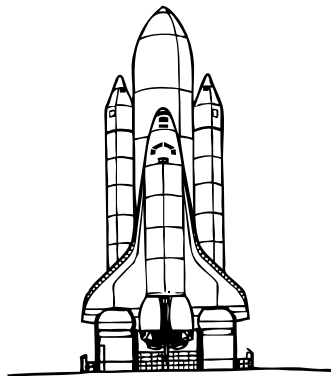
Background

# The Phases of the Classic Compiler



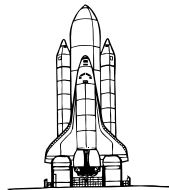
# Systems Engineering

- ▶ Handling large, complex projects.
- ▶ Combining requirements, modeling, simulation, deployment, support, etc.
- ▶ Inter-disciplinary.
- ▶ You often end up with many different tools because different domains traditionally used different tools.



# Systems Engineering – Example Tools

- ▶ Early stage – Administrators and managers email around Word (contracts) and Excel (requirements) sheets
- ▶ Requirements are formalized and stored in a database somewhere
- ▶ Requirements are mapped to UML models
- ▶ UML is mapped to a design (empty classes)
- ▶ The actual code is written (perhaps C)
- ▶ The code is adapted/generated to run on a certain platform (MISRA C perhaps?)
- ▶ The code tested/certified, etc



# Domain-Specific Languages

- ▶ Many are similar to classic, general-purpose programming languages (e.g. PHP).
- ▶ Examples include unix shells, SQL, HTML, regular expressions, parser generators, some XML schemas, and many more.
- ▶ Compilers are usually implemented partially using domain-specific languages (grammars, special languages to describe architectures, etc).
- ▶ Why? It is easier to program and maintain such code.

# DSLs: Markup Languages

```
<!DOCTYPE html>
```

```
<html>
```

```
<body>
```

```
<h1>My first HTML page</h1>
```

```
<p>Hello, world!</p>
```

```
</body>
```

```
</html>
```



# DSLs: Template Languages

```
<!DOCTYPE html>  
<html>  
<body>  
  
<h1>My first PHP page</h1>  
<?php  
echo $_SERVER["REMOTE_ADDR"];  
?>  
</body>  
</html>
```

# DSLs: Embedded Scripting Languages

```
<!DOCTYPE html>
```

```
<html>
```

```
<body>
```

```
<p id="demo"></p>
```

```
<script>
```

```
document.getElementById("demo").innerHTML = "Hello World!"
```

```
</script>
```

```
</body>
```

```
</html>
```

## DSLs: Regular expressions

```
grep "status: *correct" "$test"
```

```
grep -R "openmodelica[.]org" /etc/apache2
```

# Modelica

- ▶ An equation-based object-oriented modeling language (a DSL).
- ▶ Modeling using a graphical user interface (or the equivalent textual representation).
- ▶ Used for simulation and/or control of multi-domain (physical) systems.
- ▶ Centered around making it easy for a (mechanical, electrical, etc) engineer to use Modelica.

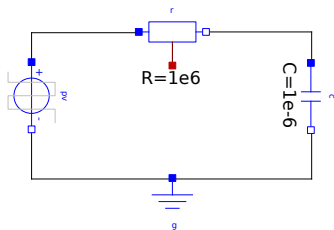


Figure: An RC-circuit implemented in Modelica.

# Simulating the RC-circuit

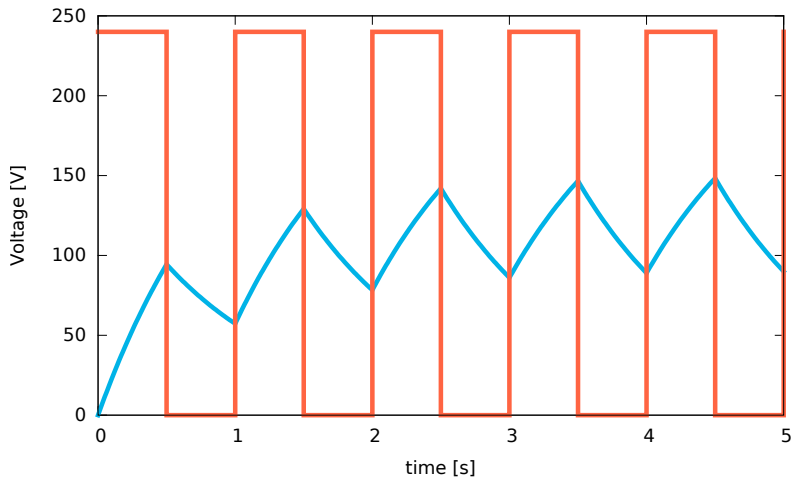


Figure: Result of simulating the RC-circuit.

# Equations

Physics is described by *equations*, not statements. Thus, Modelica primarily uses equations instead of imperative programming (like C).

- ▶ Equations look like  $\frac{V}{R} = I$

However, code needs to be translated to imperative programming (or similar) in order to run numerical solvers on a CPU. So it could be solved as either of:

- ▶  $V := R * I$
- ▶  $I := \frac{V}{R}$
- ▶  $R := \frac{V}{I}$

# Ordinary Differential Equations (ODEs)

The numerical solvers we use require an ODE formulation. For example:

$$\frac{\partial x}{\partial t} = y \quad (1)$$

$$d = 2.0 * t \quad (2)$$

$$\frac{\partial y}{\partial t} = -d * x \quad (3)$$

Where these equations can be solved sequentially and the start value for each state variable is known or can be solved during initialization.

# Solving the Ordinary Differential Equation

Solving the ODE from  $t=0$  to  $t=1$  using a step size of 0.25 with explicit (forward) Euler, using  $x(t=0) = 3$  and  $y(t=0) = 2$ :

t	0.00
x	3.00
y	2.00
<hr/>	
$\frac{\partial x}{\partial t} = y$	
$d = 2.0 * t$	
$\frac{\partial y}{\partial t} = -d * x$	



# Solving the Ordinary Differential Equation

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x	3.00
y	2.00
<hr/>	
$\frac{\partial x}{\partial t} = y$	2.00
$d = 2.0 * t$	
$\frac{\partial y}{\partial t} = -d * x$	

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$t$	0.00
$x$	3.00
$y$	2.00
<hr/>	
$\frac{\partial x}{\partial t} = y$	2.00
$d = 2.0 * t$	0.00
$\frac{\partial y}{\partial t} = -d * x$	0.00

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t	0.00	0.25
x	3.00	3.50
y	2.00	
<hr/>		
$\frac{\partial x}{\partial t} = y$	2.00	
$d = 2.0 * t$	0.00	
$\frac{\partial y}{\partial t} = -d * x$	0.00	

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t	0.00	0.25
x	3.00	3.50
y	2.00	2.00
<hr/>		
$\frac{\partial x}{\partial t} = y$	2.00	
$d = 2.0 * t$	0.00	
$\frac{\partial y}{\partial t} = -d * x$	0.00	

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t	0.00	0.25
x	3.00	3.50
y	2.00	2.00
<hr/>		
$\frac{\partial x}{\partial t} = y$	2.00	2.00
$d = 2.0 * t$	0.00	0.50
$\frac{\partial y}{\partial t} = -d * x$	0.00	-1.75

# Solving the Ordinary Differential Equation

Solving the ODE from  $t=0$  to  $t=1$  using a step size of 0.25 with explicit (forward) Euler, using  $x(t=0) = 3$  and  $y(t=0) = 2$ :

t	0.00	0.25	0.50
x	3.00	3.50	4.00
y	2.00	2.00	1.5625
<hr/>			
$\frac{\partial x}{\partial t} = y$	2.00	2.00	
$d = 2.0 * t$	0.00	0.50	
$\frac{\partial y}{\partial t} = -d * x$	0.00	-1.75	

# Solving the Ordinary Differential Equation

Solving the ODE from  $t=0$  to  $t=1$  using a step size of 0.25 with explicit (forward) Euler, using  $x(t=0) = 3$  and  $y(t=0) = 2$ :

t	0.00	0.25	0.50
x	3.00	3.50	4.00
y	2.00	2.00	1.5625
$\frac{\partial x}{\partial t} = y$	2.00	2.00	1.5625
$d = 2.0 * t$	0.00	0.50	1.00
$\frac{\partial y}{\partial t} = -d * x$	0.00	-1.75	-4.00



# Solving the Ordinary Differential Equation

Solving the ODE from  $t=0$  to  $t=1$  using a step size of 0.25 with explicit (forward) Euler, using  $x(t=0) = 3$  and  $y(t=0) = 2$ :

t	0.00	0.25	0.50	0.75
x	3.00	3.50	4.00	4.390625
y	2.00	2.00	1.5625	0.5625
$\frac{\partial x}{\partial t} = y$	2.00	2.00	1.5625	
$d = 2.0 * t$	0.00	0.50	1.00	
$\frac{\partial y}{\partial t} = -d * x$	0.00	-1.75	-4.00	

# Solving the Ordinary Differential Equation

Solving the ODE from  $t=0$  to  $t=1$  using a step size of 0.25 with explicit (forward) Euler, using  $x(t=0) = 3$  and  $y(t=0) = 2$ :

t	0.00	0.25	0.50	0.75
x	3.00	3.50	4.00	4.390625
y	2.00	2.00	1.5625	0.5625
$\frac{\partial x}{\partial t} = y$	2.00	2.00	1.5625	0.5625
$d = 2.0 * t$	0.00	0.50	1.00	1.50
$\frac{\partial y}{\partial t} = -d * x$	0.00	-1.75	-4.00	-6.5859375

# Solving the Ordinary Differential Equation

Solving the ODE from  $t=0$  to  $t=1$  using a step size of 0.25 with explicit (forward) Euler, using  $x(t=0) = 3$  and  $y(t=0) = 2$ :

t	0.00	0.25	0.50	0.75	1.00
x	3.00	3.50	4.00	4.390625	4.53125
y	2.00	2.00	1.5625	0.5625	-1.083984375
$\frac{\partial x}{\partial t} = y$	2.00	2.00	1.5625	0.5625	
$d = 2.0 * t$	0.00	0.50	1.00	1.50	
$\frac{\partial y}{\partial t} = -d * x$	0.00	-1.75	-4.00	-6.5859375	

# Better Solutions for the Ordinary Differential Equation

Modelica tools need to know about ODEs, and can solve them better than the explicit Euler.

The end values for different solvers:

- ▶ Euler stepSize=0.25, x=4.531, y=-1.084, 4 rhs calls
- ▶ Euler stepSize=0.10, x=4.087, y=-1.600, 10 rhs calls
- ▶ RK4 stepSize=1.00, x=3.667, y=-1.667, 4 rhs calls
- ▶ RK4 stepSize=0.25, x=3.747, y=-1.841, 16 rhs calls
- ▶ DASSL, tolerance=1e-3, x=3.745, y=-1.838, 15 rhs calls
- ▶ DASSL, x=3.747, y=-1.842, 67 rhs calls
- ▶ Euler stepSize=1e-5, x=3.747, y=-1.842, 10000 rhs calls

Ability to choose numerical solver based on needs (predictable execution time, fast execution time, or accurate).

```
model ODE
  Real d=2*time;
  Real x(start=3.0,
          fixed=true);
  Real y(start=2.0,
          fixed=true);
equation
  der(x) = y;
  der(y) = -d*x;
end ODE;
```

# Better Solutions for the Ordinary Differential Equation

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Ability to choose numerical solver based on needs (predictable execution time, fast execution time, or accurate).

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model ODE
  Real d=2*time;
  Real x(start=3.0,
          fixed=true);
  Real y(start=2.0,
          fixed=true);
equation
  der(x) = y;
  der(y) = -d*x;
end ODE;
```

# Multi-Domain Approach: Systems Engineering

Modelica is a multi-domain approach based on math:

- ▶ It is suitable to simulate different physical domains independently or multiple domains in the same model.
- ▶ Can be used to simulate full systems or synthesize parts of a system (such as digital controllers).
- ▶ The language fulfills the requirements of Systems Engineering.

## Part II

# Implementation of a Modelica Compiler

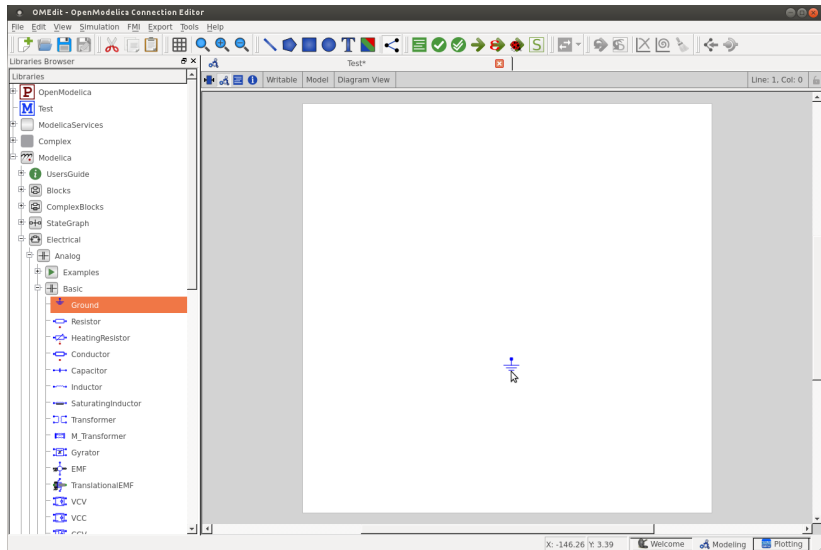
# User in the Focus

Modelica is designed around the user of the language being the focus:

- ▶ This makes implementation of the compiler harder.
- ▶ NP-hard problems need to be solved at *compile-time*.
- ▶ Compilation time is unbounded and includes interpretation of arbitrary code.
- ▶ Certain language features are a little weird when you consider the textual representation, but make sense when for the graphical user interface.



# User in the Focus – OMEdit / OMWebBook Demo



# The Compiler Design

A Modelica compiler needs to have lots of domain knowledge. It also depends on heuristics to translate equations into ODEs (the main job of a Modelica compiler), which are translated to executable code.

- ▶ The heuristics may fail to create an ODE from the given code even when a solution exists.
- ▶ Solutions do not necessarily exist.
- ▶ Numerical solvers may fail to solve the model (require infinite resolution).
- ▶ Solution: good error messages and debuggers.

In practice, this works very well.

# OpenModelica Overview

- ▶ Written in MetaModelica (general-purpose programming extension to Modelica).
- ▶ The code generator uses our own DSL Susan for text generation (which translates Susan code to MetaModelica).
- ▶ ANTLR parser which translates an ANTLR grammar with a C-code target, which uses the C interface to MetaModelica to create data types.
- ▶ Our own flex-based lexer which generates a MetaModelica-based lexer.
- ▶ Kernel written in Modelica, MetaModelica, C, C++, Susan, ANTLR, flex. DSL's almost everywhere.

# OpenModelica Parts

- ▶ Parser (using the ANTLR parser generator).
- ▶ Front-end (semantic analysis, like a traditional compiler). Old version was one huge monolithic step.
- ▶ Equation back-end (symbolic math, outputs imperative code from equations). (Very) old version was one huge monolithic step.
- ▶ Code generator (takes imperative code and generates of C-code, skipping middle-end and back-end of a traditional compiler).
- ▶ Utilities.
- ▶ Scripting environment.
- ▶ Front-end + code generator handles MetaModelica (functions).
- ▶ The compiler is also written in MetaModelica (bootstrapping).

# Modelica code for RC-circuit (GUI annotations stripped)

```
model RC
  Modelica.Electrical.Analog.Basic.Ground g;
  Modelica.Electrical.Analog.Basic.Resistor r(R = 1e6);
  Modelica.Electrical.Analog.Basic.Capacitor c(C = 1e-6);
  Modelica.Electrical.Analog.Sources.SineVoltage sineVoltage;
equation
  connect(r.n, c.p);
  connect(c.n, g.p);
  connect(sineVoltage.p, r.p);
  connect(g.p, sineVoltage.n);
end RC;
```

## FrontEnd phases

- ▶ FrontEnd - loaded program (parsing dependent libraries, etc)
- ▶ Absyn->SCode (Real[3] x[2], y[4]; -> Real x[2,3]; Real y[4,3];)
- ▶ NFInst.instantiate
- ▶ NFInst.instExpressions
- ▶ NFInst.updateImplicitVariability (Real arr[x] // x is structural)
- ▶ NFTyping.typeComponents (Real r)
- ▶ NFTyping.typeBindings (Real r = 1.5)
- ▶ NFTyping.typeClassSections (equations)
- ▶ NFFlatten.flatten
- ▶ NFFlatten.resolveConnections
- ▶ NFEvalConstants.evaluate
- ▶ NFSimplifyModel.simplify (“constant folding”)
- ▶ NFPackage.collectConstants
- ▶ NFFlatten.collectFunctions (removes now unused functions)
- ▶ NFFlatModel.toFlatString

# Flat Modelica IR; can be fed into a Modelica compiler

```
class 'RC'  
  public Real 'g.p.v'(unit = "V", quantity = "ElectricPotential");  
  public Real 'g.p.i'(unit = "A", quantity = "ElectricCurrent");  
  public parameter Real 'r.R'(start = 1.0, unit = "Ohm", quantity = "Resistance") = 1000000.0;  
  public parameter Real 'r.T_ref'(nominal = 300.0, start = 288.15, min = 0.0, displayUnit = "degC", unit =  
  public parameter Real 'r.alpha'(unit = "1/K", quantity = "LinearTemperatureCoefficient") = 0.0;  
  public Real 'r.v'(unit = "V", quantity = "ElectricPotential");  
  // ...  
equation  
  'r.n.v' = 'c.p.v';  
  'g.p.v' = 'sineVoltage.n.v';  
  'g.p.v' = 'c.n.v';  
  'sineVoltage.p.v' = 'r.p.v';  
  'c.p.i' + 'r.n.i' = 0.0;  
  'sineVoltage.n.i' + 'c.n.i' + 'g.p.i' = 0.0;  
  'sineVoltage.p.i' + 'r.p.i' = 0.0;  
  'g.p.v' = 0.0;  
  assert(1.0 + 'r.alpha' * ('r.T_heatPort' - 'r.T_ref') >= 1e-15, "Temperature outside scope of model!",  
  'r.R_actual' = 'r.R' * (1.0 + 'r.alpha' * ('r.T_heatPort' - 'r.T_ref'));  
  'r.v' = 'r.R_actual' * 'r.i';  
  'r.LossPower' = 'r.v' * 'r.i';  
  'r.T_heatPort' = 'r.T';  
  0.0 = 'r.p.i' + 'r.n.i';  
  'r.i' = 'r.p.i';  
  'r.v' = 'r.p.v' - 'r.n.v';  
  'c.i' = 'c.C' * der('c.v');  
  0.0 = 'c.p.i' + 'c.n.i';  
  'c.i' = 'c.p.i';  
  'c.v' = 'c.p.v' - 'c.n.v';  
  'sineVoltage.signalSource.y' = 'sineVoltage.signalSource.offset' + (if time < 'sineVoltage.signalSource.  
  'sineVoltage.v' = 'sineVoltage.signalSource.y';  
  0.0 = 'sineVoltage.p.i' + 'sineVoltage.n.i';  
  'sineVoltage.i' = 'sineVoltage.p.i';  
  'sineVoltage.v' = 'sineVoltage.p.v' - 'sineVoltage.n.v';  
end 'RC';
```

# FrontEnd-Backend conversion phases

- ▶ `NFScalarize.scalarize (Real r[3] -> Real 'r[1]'; Real 'r[2]'; Real 'r[3]');`
- ▶ `NFVerifyModel.verify`
- ▶ `NFConvertDAE.convert` (convert to the scalar-only backend)
- ▶ FrontEnd - DAE generated
- ▶ Transformations before Dump
- ▶ DAEDump done
- ▶ Misc Dump
- ▶ Transformations before backend



## Backend conversion phases (except initialization)

- ▶ Generate backend data structure
- ▶ preOpt normalInlineFunction
- ▶ preOpt evaluateParameters
- ▶ preOpt simplifyIfEquations
- ▶ preOpt expandDerOperator ( $\text{der}(2*x) \rightarrow 2*\text{der}(x)$ )
- ▶ preOpt clockPartitioning
- ▶ preOpt findStateOrder
- ▶ preOpt replaceEdgeChange
- ▶ preOpt inlineArrayEqn
- ▶ preOpt removeEqualRHS ( $x = f(\dots); y = f(\dots) \rightarrow x = f(\dots); y = x;$ )
- ▶ preOpt removeSimpleEquations ( $x = -y; , x = 2.0;$  removed and reconstructed during plotting)
- ▶ preOpt comSubExp (bad name)
- ▶ preOpt evalFunc
- ▶ preOpt encapsulateWhenConditions

**Note** Which optimizations run can be configured at runtime. And there are many flags to change algorithms used in them. Compilation may fail if some optimization phases are disabled.

## Matching and sorting (different example)

```
class RC // 5 equations and variables
  // 14 alias variables 5 constants
algorithm // The equations are now ordered
  // 1
  sinevoltage.signalSource.y := sinevoltage.signalSource.o
  // 2
  r.v := c.v -sinevoltage.signalSource.y;
  // 3
  c.i := -r.v / r.R_actual;
  // 4
  r.LossPower := -r.v * c.i;
  // 5
  der(c.v) := c.i / c.C;
end RC;
```

# Backend conversion phases (except initialization)

- ▶ postOpt lateInlineFunction (inline after matching)
- ▶ postOpt wrapFunctionCalls
- ▶ postOpt inlineArrayEqn
- ▶ postOpt constantLinearSystem
- ▶ postOpt simplifysemiLinear
- ▶ postOpt removeSimpleEquations
- ▶ postOpt simplifyComplexFunction
- ▶ postOpt solveSimpleEquations
- ▶ postOpt tearingSystem (method for solving nonlinear systems)
- ▶ postOpt inputDerivativesUsed
- ▶ postOpt calculateStrongComponentJacobians (extra runtime information)
- ▶ postOpt calculateStateSetsJacobians
- ▶ postOpt symbolicJacobian
- ▶ postOpt removeConstants
- ▶ postOpt simplifyTimeIndepFuncCalls
- ▶ postOpt simplifyAllExpressions (constant folding everywhere)
- ▶ postOpt findZeroCrossings
- ▶ postOpt collapseArrayExpressions
- ▶ sorting global known variables
- ▶ sort global known variables
- ▶ remove unused functions

# Code generation (dump C-code)

- ▶ Create SimCode IR from backend IR (populate some hashtables, etc to make code generation easier)
- ▶ Templates (SimCode to C-code)

# Intermediate representations

- ▶ Abstract syntax tree (from parser) including comments. Used in the API to update the program without changing the textual representation. Real numbers represented by strings.
- ▶ Exploded syntax tree. A canonical form of the AST used by the front-end.
- ▶ A single "New Frontend" data structure, including classes (such as functions) and the instantiated components. This is lowered step by step. At the final step, it is typed and a lot of language features no longer exist.
- ▶ The old frontend data structure. This is scalar (no arrays remain).
- ▶ The backend data structure is generated from the old frontend data structure. It is a set of time-dependent partitions and common known variables. It starts simple (preOpt modules), and after sorting/matching it contains an adjacency matrix (adjacency list) of variables/equations as well as having sorted all equations.
- ▶ The SimCode data structure is generated from the sorted equations and gives final indexes of everything, and more information.

# Functions (algorithmic code)

Functions are similar to imperative programming languages, and a few optimization are performed:

- ▶ Function inlining
- ▶ Constant propagation
- ▶ Constant folding
- ▶ Dead code elimination
- ▶ Finding potential use of uninitialized variables

Some of these might only be implemented in the old frontend / bootstrapping.

The backend can also create specialized functions for some constant inputs to functions (eliminating a lot of branches, assertions, or allowing inlining).

# More Reading

- ▶ <https://modelica.org>
- ▶ <https://openmodelica.org>

[www.liu.se](http://www.liu.se)