Sinneuniversitetet

Inter-Procedural Analysis and **Points-to Analysis**

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Outline

- Inter-Procedural analysis
- Call graph construction
- Points to analysis
- Points to analysis (fast and precise, not today requires SSA)

Inter-Procedural Analysis

- What is inter-procedural dataflow analysis

 DFA that propagates dataflow values over procedure boundaries
 Finds the impact of calls to caller and callee
- Tasks:
- Determine a conservative approximation of the called procedures for all call sites
- Referred to as Call Graph construction (more general: Points-to analysis)
 Tricky in the presents of function pointers, polymorphism and procedure varia Perform conservative dataflow analysis over basic-blocks of procedures involved
- Reason:
- Allows new analysis questions (code inlining, removal of virtual calls) For analysis questions with intra-procedural dataflow analyses, it is more precise (dead code, code parallelization)
- Precondition: Complete program
- No separate compilation
- Hard for languages with dynamic code loading

Call / Member Reference Graph

- A Call Graph is a rooted directed graph where the nodes represent methods and constructors, and the edges represent possible interactions (calls):
 - from a method/constructor (caller) to a method/constructor (callee).
 - root of the graph is the main method.
- Generalization: Member Reference Graph also including fields (nodes) and read and write accesses (edges).

Proper Call Graphs

A proper call graph is in addition

- Conservative: Every call $\mathbb{A}.\,m\,()\to\mathbb{B}.\,n\,()\,$ that may occur in a run of the program is a part of the call graph
- Connected: Every member that is a part of the graph is reachable from the main method
- Notice
 - We may have several entry points in cases where the program in question is not complete.
 - E.g., an implementation of an Event Listener interface will have the Event Handler method as an additional entry point if we are neglecting the Event Generator classes.
 Libraries miss a main method
 - In general, it is hard to compute, which classes/methods may belong to a program because of dynamic class loading.

Techniques for Inter-Procedural Analysis

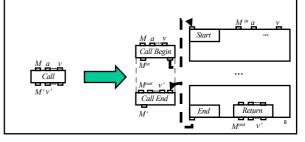
- Intra-procedural analysis on call and basic block graphs
- Simulated execution

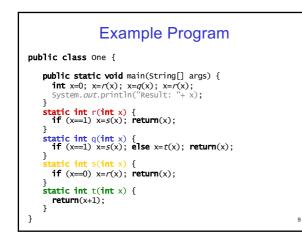
Call and basic block graphs

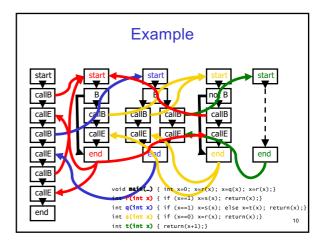
- Given call graph and a bunch of procedures each with a basic block graph
- Merge call basic block graphs
 - Split call nodes (and hence basic blocks) into callBegin and callEnd nodes
 - Connect callBegin with entry blocks of procedures called
 - Connect callEnd with exit blocks of procedures called
- Entry (exit) block of main method gets start node of forward (backwards) dataflow analysis
- Polymorphism is resolved by explicit dispatcher or by several targets'
- Inter-procedural dataflow analysis now possible as before for intra-procedural analysis

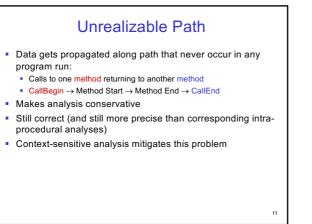
Merging call and basic block graphs

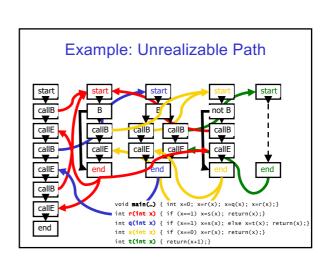
- New node: begin and end of calls distinguished
- Edges: connection between caller and callees











Simulated Execution

- Starts with analyzing main
- Interleaving of analyze method and the transfer function of calls'
- A method (intra-procedural analysis):
- propagates data values analog the edges in basic-block graph
- updates the analysis values in the nodes according to their transfer functions
 If node type is a call then ...
- Calls' transfer function and only if the target method input changed: Interrupts the processing of a caller method
 - Propagates arguments (v1...vn) to the all callees
 - Processes the callees (one by one) completely
 - Iterate to local fixed point in case of recursive calls
 - Propagates back and merges (supremum) the results r of the callees
 - Continue processing the caller method ...

Comparison

- Advantages of Simulated Execution
 - Fewer non realizable path, therefore
 - More precise
 - Faster
- Disadvantages of Simulated Execution
 Harder to implement
 - More complex handling of recursive calls
 - · Leaves theory of monotone DFM and Abstract Interpretation

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- Call graph construction
- Points to analysis
- Points to analysis (fast and precise, not today requires SSA)

Call Graph Construction in Reality

- The actual implementation of a call graph algorithm involves a lot of language specific considerations and exceptions to the basic rules. For example:
 - · Field initialization and initialization blocks
 - Exceptions
 - Calls involving inner classes often need some special attention.
 - How to handle possible call back situations involving external classes.

Why are we interested?

- Elimination of dead code i.e., classes never loaded, no objects created from, and methods never called.
- Elimination of polymorphism: usage refers to a statically known method i.e., only one target is possible.
- Resolving call sites and field accesses i.e. constructing a precise call graph is a prerequisite for any analysis that requires inter-procedural control-flow information. For example, constant folding and common sub-expression elimination, and Points-to analysis.
- Detection of design patterns (e.g., singletons usage refers to a single object, not to a set of objects of the same type) and anti-patterns.
- Architecture recovery i.e. the reconstruction of a system architecture from code

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Call Graphs: The Basic Problem

- The difficult task of any call graph construction algorithm is to approximate the set of members that can be targeted at different call sites.
- What is the target of call site a.m()
- Depends on classes of objects potentially bound to designator expression a?
- Not decidable, in general, because:
 - In general, we do not have exact control flow information.
 - In general, we can not resolve the polymorphic calls.
 Dynamic class loading. This problem is in some sense more problematic since it is hard to make useful conservative approximations.

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Declared Target

- We say that the declared target of a call a.m() occurring in a method definition X.x() is the method m() in the declared type of the variable a in the scope of X.x().
- When using declared targets, connectivity can be achieved by ...
 - ... inserting (virtual) calls from super to subtype method declarations
 - ... keeping (potentially) dynamically loaded method nodes reachable from the main method (or as additional entry points).
- Class objects (static objects) are treated as objects

Declared Sources

- Stack objects are considered part of this
 - Let *a* be a local variable or parameter, resp.
 - a.m() is a usage of whatever a is declared as (target),
 - in whatever this is declared as (source).

Generalized Call Graphs

- A call graph is a directed graph G=(V, E)
 - vertices V = Class.m are pairs of classes Class and methods / constructors / fields m
 - edges *E* represent usage: let *a* and *b* be two objects: *a* uses *b* (in a method / constructor execution *x* of *a* occurs a call / access to a method / constructor / field *y* of *b*) \Leftrightarrow (*Class(a) x*, *Class(b) y*) \in *E*
- An generalized call graph is a directed graph G=(V, E)
 vertices V = N(o),m are pairs of finite abstractions of runtime objects o using a so called called name schema N(o) and methods / constructors / fields m
- edges E represent usage: let a and b be two objects: a uses b (in a method / constructor execution x of a occurs a call / access to a method / constructor / field y of b) ⇔ (N(a)x, N(b)y) ∈ E
- A name schema ${\it N}$ a is an abstraction function with finite co-domain
- The declared *Class(o)* is a special name schema and, hence, describes a special call graph

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Name Schemata

- One can abstract from objects by distinguishing:
 Just heap and stack (decidable, not relevant)
 - Objects with same class (not decidable, relevant, efficient approximations)
 - Objects with same class but syntactic different creation program point (not decidable, relevant, expensive approximations)
 - Objects with same creation program point but with syntactic different path to that creation program point (not decidable, relevant, approximations exponential in execution context)
 - Different objects (not decidable)

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Decidability of a Call Graph

- Not decidable in general: reduction from termination problem
 - Add a new call (not used anywhere else) before the program exit
 - If I could decide the exact call graph, I new if the program terminates or not
- Decidable if name schema abstract enough (then not relevant in practice)

Approximations
Simple conservative approximation

from static semantic analysis
declared class references in a class *A* and their subtypes are potentially uses in *A a.x* really uses *b.y* ⇒ (*N*(*a*)*x*, *N*(*b*)*y*) ∈ *E*Simple optimistic approximation

from profiling
actually used class references in an execution of class *A* (a number of executions) are guaranteed uses in *A a.x* really uses *b.y* ⇐ (*N*(*a*)*x*, *N*(*b*)*y*) ∈ *E*

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Simplification

- · For a first try, we consider only one name schema: Distinguish objects of different classes / types
 - Formally, N(o)=Class(o)
- Consequently, a call graph is ...
 - a directed graph G=(V,E)
 - vertices V are pairs of classes and methods / constructors / fields
 - edges *E* represent usage: let *A* and *B* be two classes: A.x uses *B.y* (i.e. an instance of *A* executes *x* using an method / constructor / field *y* instance of *B*) $\Leftrightarrow (A.x, B.y) \in E$
- Not decidable still, we discuss optimistic and conservative approximations

Algorithms to discuss

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All algorithms these are conservative:

- Reachability Analysis RA
- Class Hierarchy Analysis CHA
- Rapid Type Analysis RTA
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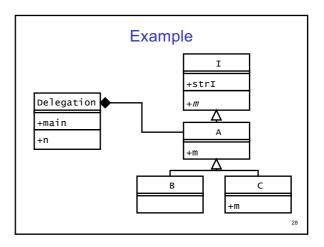
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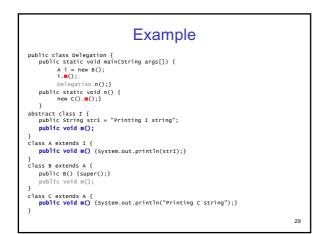
- (context-insensitive) Control Flow Analysis 0-CFA
- (k-context-sensitive) Control Flow Analysis k-CFA

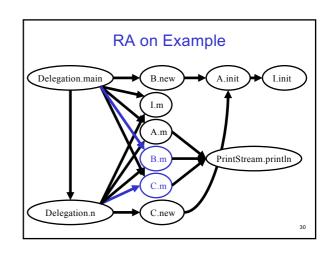
Reachability Analysis – RA

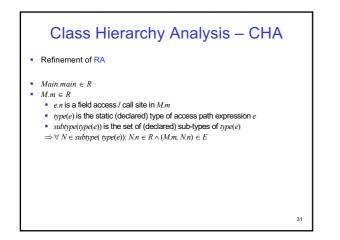
Worklist algorithm maintaining reachable methods initially main routine in the Main class is reachable

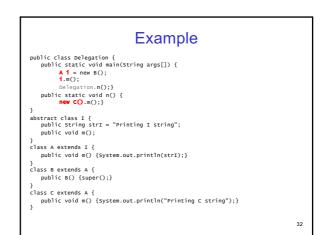
- For this and the following algorithms, we understand that
- Member (field, method, constructor) names n stand for complete signatures
 - R denotes the worklist and finally reachable members
 - *R* may contain fields and methods/constructors. However, only methods/constructors may contain other field accesses/call sites for further processing
- RA:
 - Main.main ∈ R (maybe some other entry points too)
 M.m ∈ R and e.n is a field access / call site in m ⇒ ∀ N ∈ Program: N.n ∈ R ∧ (M.m, N.n) ∈ E

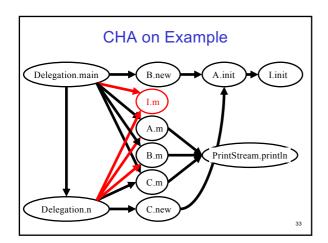


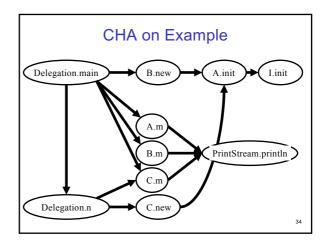


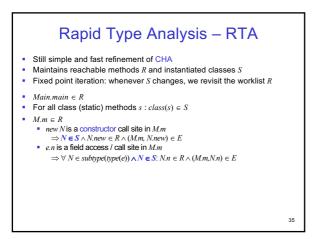


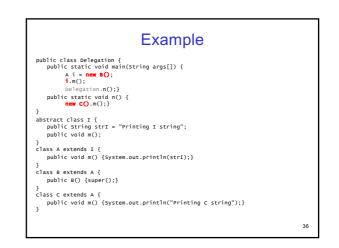


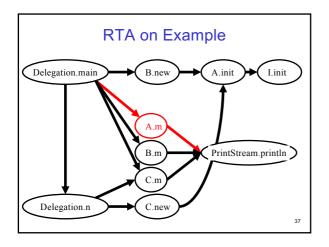


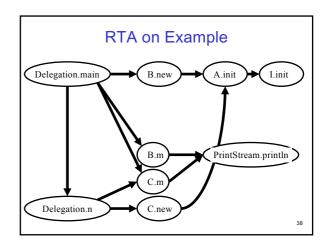


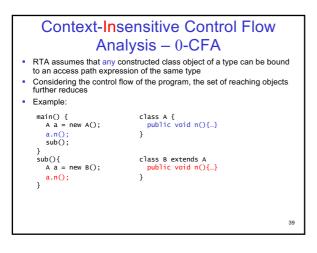


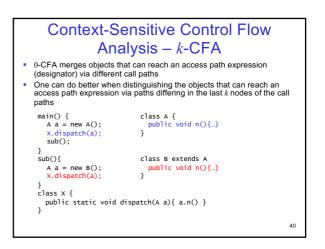


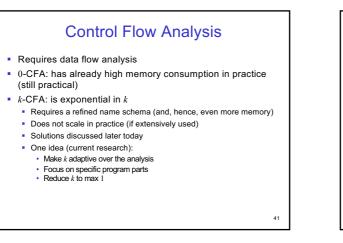


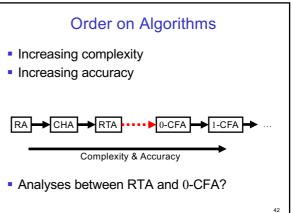












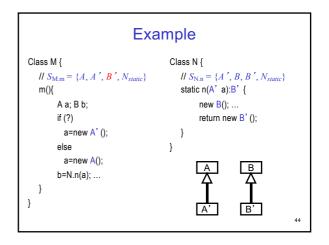
Analyses Between RTA and 0-CFA

- RTA uses one set S of instantiated classes
- Idea:
 - Distinguish different sets of instantiated classes reaching a specific field or method
 - Attach them to these fields, methods
 Gives a more precise "local" view on object types
 - Gives a more precise "local" view on object types possibly bound to the fields or methods
 Regards the control flow between methods but

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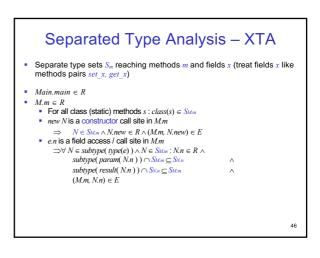
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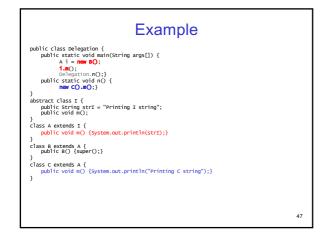
- Disregards the control flow within methods
- Fixed point iteration

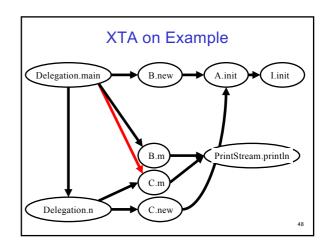


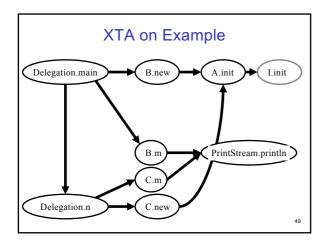
Notations

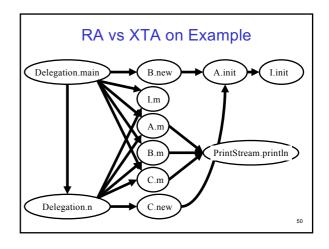
- Subtypes of a set of types: subtype(S) ::= ∪_{N∈S} subtype(N)
- Set of parameter types param(m) of a method m: all static (declared) argument types of m excluding type(this)
- Return type *return*(*m*) of a method *m*: the static (declared) return type of *m*

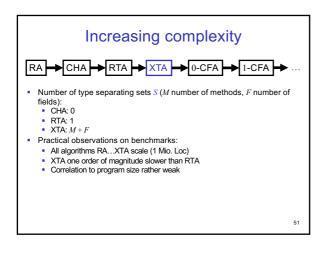


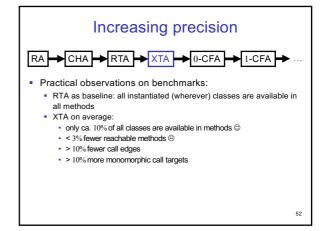








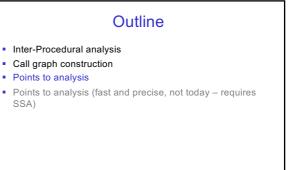


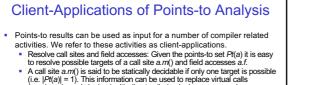


Conclusion on Call Graphs so far

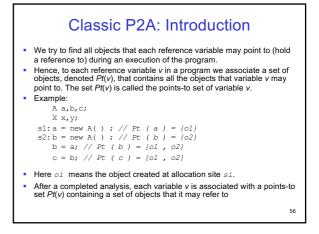
- Approximations
 - Relatively fast, feasible for large systems
 - Relatively imprecise, conservative
- What is a good enough approximation of certain client analyses
- Answer depends on client analyses (e.g., different answers for software metrics and clustering vs. program optimizations)

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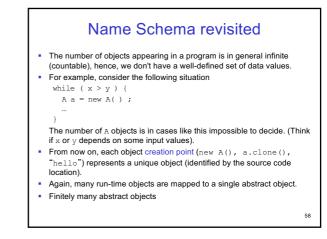
- (requires dynamic lookup) with direct calls (no lookup necessary).
 Inter-procedural control-flow: Similarly, resolving call sites and field accesses is a prerequisite for any analysis that requires inter-procedural control-flow information. For example, constant folding and common sub-expression elimination.
- Synchronization Removal: In multi-threaded programs each object has a lock to ensure multual exclusion. If we can identify thread-local objects (objects only accessed from within the thread) their locks can be removed and execution time reduced.
- Static Garbage Collection: Method-local objects (objects only referenced from within a given method) can be put on the stack rather than the heap and these objects will be automatically de-allocated once a method execution been completed.

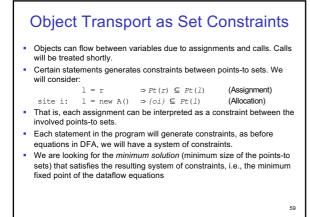


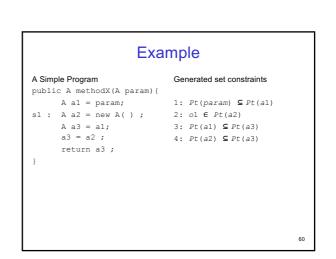
Outline of the approach

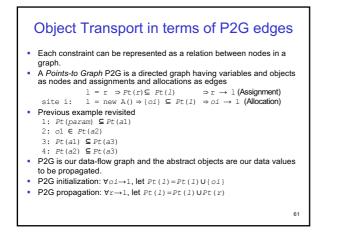
Points-to analysis (any data-flow analysis) requires:

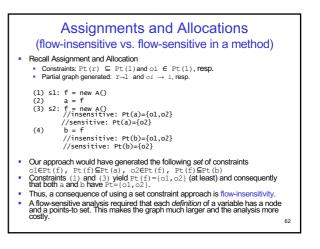
- 1. Deciding upon a set of data values (analysis value domain *U*)
- 2. Constructing a data-flow graph which indicates the flow of data.
- 3. Initialize the graph with data.
- 4. Propagate the data along the edges in the dataflow graph until a fixed point is reached.



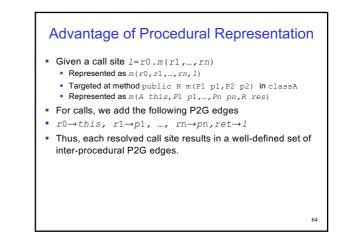


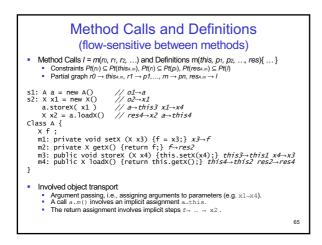


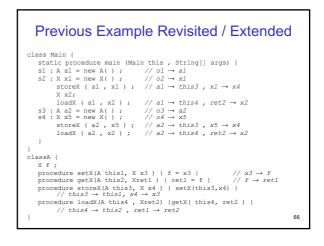


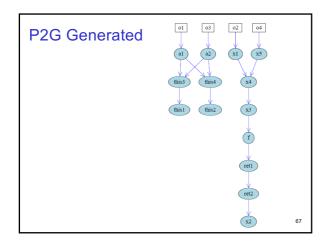


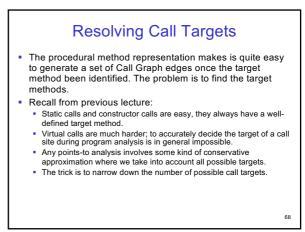
Representation of Methods OO Definition Procedural Definition m(A this, class A { public R m(P1 p1, P2 p2) { P1 p1, P2 p2, R res) { return Rexpr; res = Rexpr ; 1 Procedural Invocation OO Invocation l = a.m(x,y);m(a,x,y,l); 63







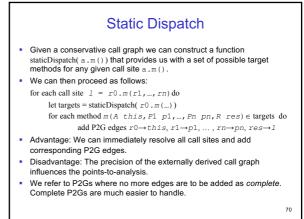




Resolving Polymorphic Calls

Two approaches to resolve a call site a.m()

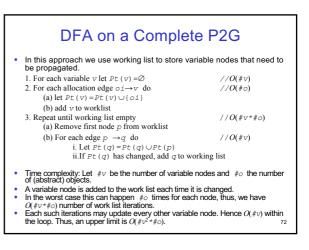
- Static Dispatch: Given an externally derived conservative call graph (discussed before) we can approximate the actual targets of any call site in a program. By using such a call graph we can associate each call site a.m() with a set of pre-computed target methods $T_1.m(), \ldots T_n.m()$.
- Dynamic Dispatch: By using the currently available points-to set Pt(a) itself, we can, for each object in the set, find the corresponding dynamic class and, hence, the target method definition of any call site a.m().





- vve can then proceed as tollows: for each call site l = r0.m(r1,..., rn) (or m(r0,r1,...,rn,l)) do for each abstract object ox∈Pt(r0) do 1. Let m = signatureOf(m()) 2. Let A = typeOf(co) 3. Let m(A this, pl p1,..., Pn pn, R res) = dynamicDispatch(A,m) 4. Add P2G edges r0→this, r1→p1, ..., rn→pn, res→1 Adverters' Wo avrid using an outermolly defined real arrowb
- Advantage: We avoid using an externally defined call graph. Disadvantage: The P2G is not complete since we initially don't know all members of ${\it Pt}\left(a\right)$
- Hence, the P2G will change (additional edges will be added) during analysis.

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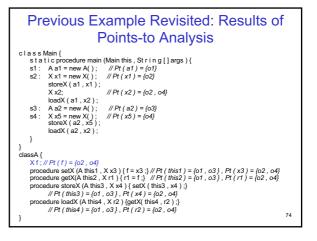


Optimizing the Analysis

- The high time complexity O(#v² ★ #⊙) encourages optimizations. Optimizations can basically be done in two different ways:
- We can reduce the size of P2G by identifying points-to sets that must be equal. This idea will be exploited in
 Removal of strongly connected components
 - 2. Removal of single dominated subgraphs.
- We can speed up the propagation algorithm by processing the nodes in a more clever ordering:
 3. Topological node ordering.
- Other optimizations are possible all three are simple and effective.

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Limitations of Classic Points-to Analysis

- In the previous example we found that Pt (A, f) = {o2, o4}. However, from the program code it is obvious that we have two instances of class A (o1 and o2) and that Pt(o1, f) = {o2} whereas Pt(o3, f) = {o4}. Hence by having a common points-to set for field variables in different objects the different object states are merged.
- states are merged. Consider two List objects created at different locations in the program. We use the first list to store String objects and the other to store Integer. Using ordinary points to analysis we would find that both these list store both strings and objects.
- Conclusion: Classic points-to analysis merges the states in objects created at different locations and, as a result, can't distinguish their individual states and content.
- content.
 Context-sensitive approaches would let each abstract object have its own set of fields. This would however correspond to object/method inlining and increase the number of PZG nodes and reduce the analysis speed accordingly.
- Flow-sensitivity would increase precision as well, at the price of adding new nodes for every definition of a variable. Once again, increased precision at the price of performance loss.
- The trade-off between precision and performance is a part of everyday life in data-flow analysis. In theory, we know how to increase the precision, unfortunately not without a significant performance loss.

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