



Automated Planning

Planning as Search

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How to generate a plan?

One way of defining planning:

Using **knowledge** about the world,
including possible actions and their results,
to **decide** what to do and when
in order to achieve an **objective**,
before you actually start doing it



How?

Is planning a straight-forward process
of adding actions in the right order?

```
while (exists unvisited position) {  
  pos ← nearest unvisited position  
  plan += flyto(pos)  
  plan += aim()  
  plan += take-picture()  
}
```



Usually, conditions are too complex;
better to **test alternatives – search**

```
Generate some starting point  
while (not complete) {  
  try some alternatives  
  create modified alternatives  
  throw away some alternatives...  
}
```

- To generate plans using search, we need:

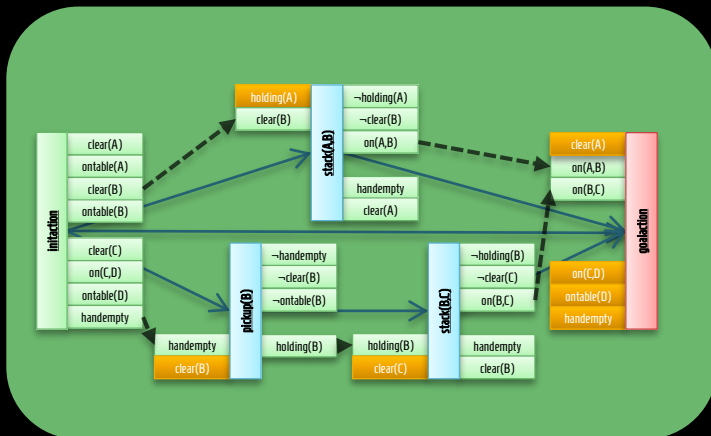
1) A **node structure** defining what information is in a node

State space search: A node is a **state**

$s = \{\text{fact1}, \text{fact2}, \text{fact3}, \dots\}$

Partial Order Causal Link:

A node is a complex **plan structure**



2) A way of creating an **initial node** from a problem instance

Search spaces are generally too large to represent completely

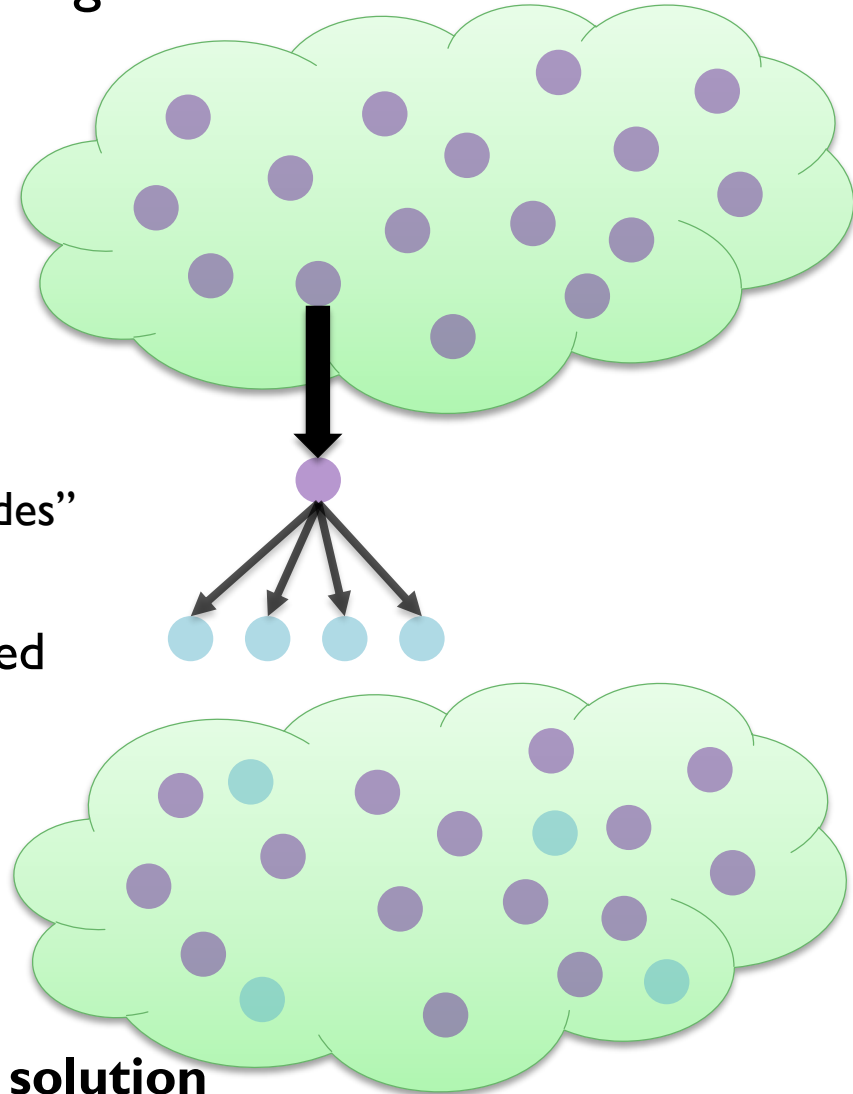
Need to start somewhere and then expand the space incrementally

Planning as Search (2)

■ General way of formalizing search algorithms:

- There are some "open" nodes, that we:
 - Know how to reach
 - Haven't explored yet
- **Pick** / remove one of them
 - Using some *strategy* for picking "good nodes"
- Find **neighbor** nodes that can be created in a single step (whatever that step is!)
- Put **those** back in the set of nodes
 - New options!
- Repeat until a node **corresponds to a solution**

At first: The
initial node!



Planning as Search (3)

Search space

Classical planning: Finite number of search nodes

Initial search node 0
(contains some information,
depending on the search space...)

Child node 1

Child node 2

Edges could correspond to actions...
or to something completely different
(POCL)!

3) A successor function / branching rule
returning all successors (neighbors)
of any search node

Expand a node = generate its successors

Planning as Search (4)

Search space

Classical planning: Finite number of search nodes

Initial search node 0
(contains some information,
depending on the search space...)

Child node 1

Child node 2

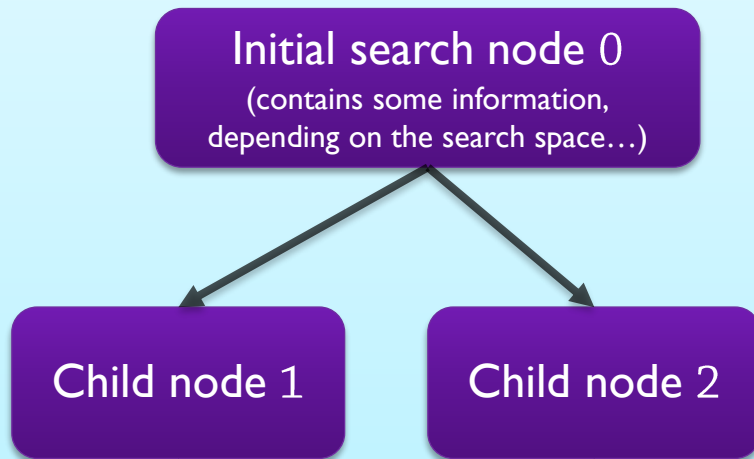
To know when we succeeded:

- 4) A **solution criterion**, detecting when a node corresponds to a **solution**
- 5) A **plan extractor**, telling us which **plan** a solution node corresponds to

Planning as Search (5)

Search space

Classical planning: Finite number of search nodes



Finally, we need to decide **how to search**:

6) A **search strategy**
chooses which node to expand next

Planning as Search (6)



■ General Search-Based Planning Algorithm:

```
search(problem) {  
  initial-node  $\leftarrow$  make-initial-node(problem) // [2]  
  open  $\leftarrow$  { initial-node }  
  while (open  $\neq$   $\emptyset$ ) {  
    node  $\leftarrow$  search-strategy-remove-from(open) // [6]  
    if is-solution(node) then // [4]  
      return extract-plan-from(node) // [5]  
    foreach newnode  $\in$  successors(node) { // [3]  
      add newnode to open  
    }  
  }  
  // Expanded the entire search space without finding a solution  
  return failure;  
}
```

Expand
node

Searching Graphs

Searching Graphs (1)

Search space

Classical planning: Finite number of search nodes

Initial search node 0
(contains some information,
depending on the search space...)

Child node 1

Child node 2

Node 3

In a **graph**, two nodes can share a successor!
Option 1: Keep track of all visited nodes,
detect when the same successor is generated
again

- ➔ Requires a lot of memory
- ➔ Only investigate a given node once,
second time: don't expand it

Searching Graphs (2)

Search space

Classical planning: Finite number of search nodes

Initial search node 0
(contains some information,
depending on the search space...)

Child node 1

Child node 2

Node 3

Node "3b"
(identical!)

Option 2:

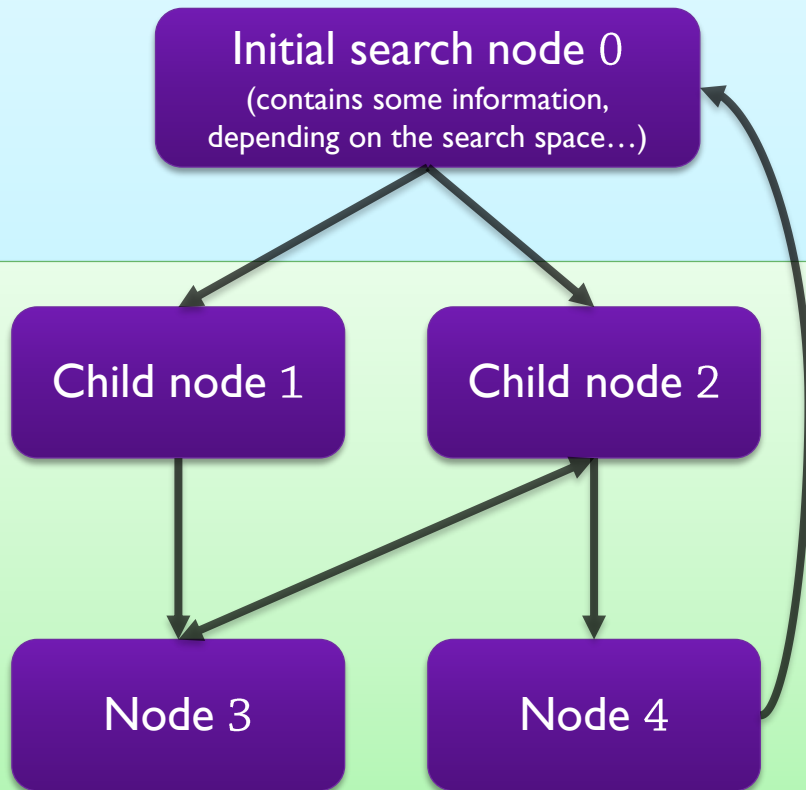
Don't keep track of visited nodes

- Saves memory
- Investigate some subtrees multiple times
- The search space is traversed as a *tree*

Searching Graphs (3)

Search space

Classical planning: Finite number of search nodes



An **ancestor** may also be a **successor**
→ **loops** in the search graph

Depending on the search **strategy**,
it may or may not be necessary
to detect and handle this

Searching Graphs (4)

- To avoid searching subgraphs twice (shared successors + loops):

- **search**(problem) {

- initial-node* $\leftarrow$ **make-initial-node**(problem) // [2]

- open* $\leftarrow$ { *initial-node* }

- added* $\leftarrow$ { *initial-node* }

Nodes are removed from *open*,
but not from *added*

- while** (*open* $\neq \emptyset$) {

- node* $\leftarrow$ **search-strategy-remove-from**(*open*) // [6]

- if** **is-solution**(*node*) **then** // [4]

- return** **extract-plan-from**(*node*) // [5]

- foreach** *newnode* $\in$ **successors**(*node*) { // [3]

- if not** (*newnode* $\in$ *added*)

- add *node*' to *open*

- add *newnode* to *added*

- }

- }

// Expanded the entire search space without finding a solution

return failure;

}

Aspects of Search

Defined by the search space

1) Node structure

2) Generating initial search node

3) Branching rule, creating successors

4) Determining if a node is a solution

5) Extracting a plan from a node

Forward State Space, Backward Goal Space, Partial Order Causal Link, ..., ..., ...

Defined by the search strategy

6) Deciding which node to expand next

Uninformed

- Depth first (DFS)
- Breadth first
- Dijkstra's algorithm
- Uniform cost
- Depth limited DFS
- Iterative deepening DFS
- ...

Informed

- Greedy Best First
- A*
- Weighted A*
- Iterative deepening A*
- Beam Search
- Hill Climbing
- Enforced Hill Climbing
- Simul. Annealing
- ...



Heuristics!

Independence!

Search Spaces

Forward state space
Backward goal space
Partial Order Causal Link
Hierarchical Task Networks

Search Strategies

Hill Climbing
Enforced Hill Climbing
A*
(Repeated) Weighted A*

Heuristics

Goal count
Landmarks
Pattern Databases
Relaxation, Delete Relaxation
Relaxed Planning Graphs

Tweaking Search Spaces

Predicates vs state variables
Lifted search spaces

Tweaking Search Strategies

Helpful actions / Preferred operators
Dual Queues, Boosted Dual Queues
Lazy Search

Meta search strategies

Portfolio planning