



Linköping University



Automated Planning

Introduction to Planning

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One way of defining planning:

*Using knowledge about the world,
including possible actions and their results,
to decide what to do and when
in order to achieve an objective,
before you actually start doing it*

Applications of Planning

Some applications are simple, well-structured, almost *toy problems*

Simple structure



Single agent acting

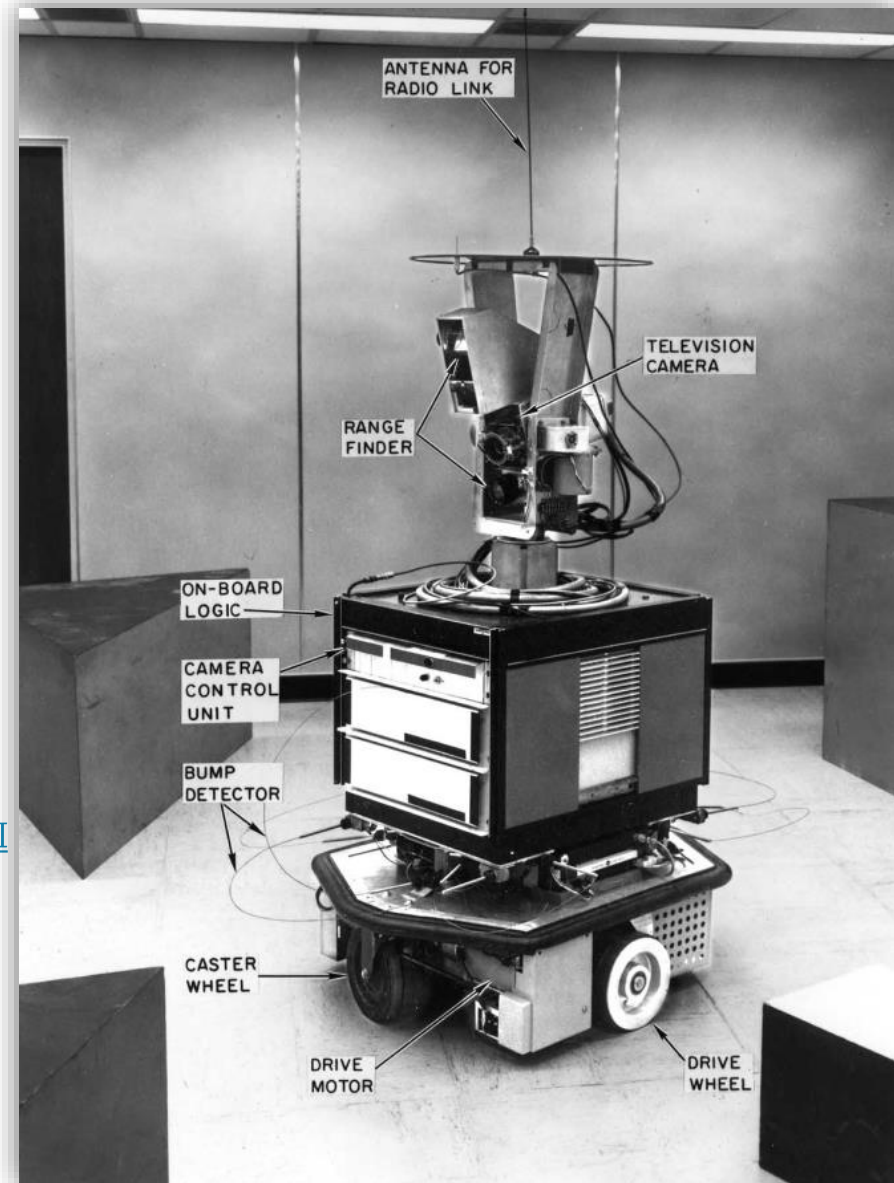
Possible actions

- **Move** topmost disk from x to y , **without** placing larger disks on smaller disks

Objective

- All disks on the *third* peg, in order of increasing size

- Classical robot example:
Shakey (1969)
 - Available **actions**:
 - *Moving* to another location
 - *Turning* light switches on and off
 - *Opening* and *closing* doors
 - *Pushing* movable objects around
 - ...
 - **Goals**:
 - *Be in room 4 with objects A,B,C*
 - <http://www.youtube.com/watch?v=qXdn6ynwpil>

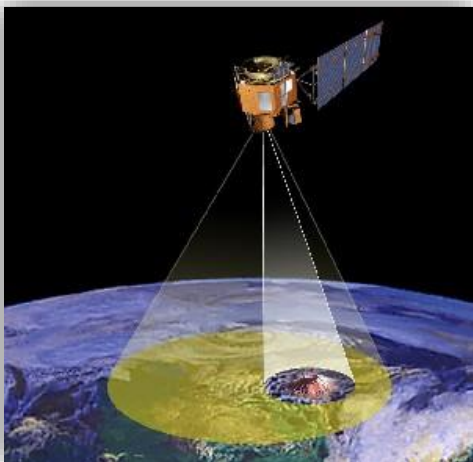


Miconic 10 Elevators

■ Schindler Miconic 10 system

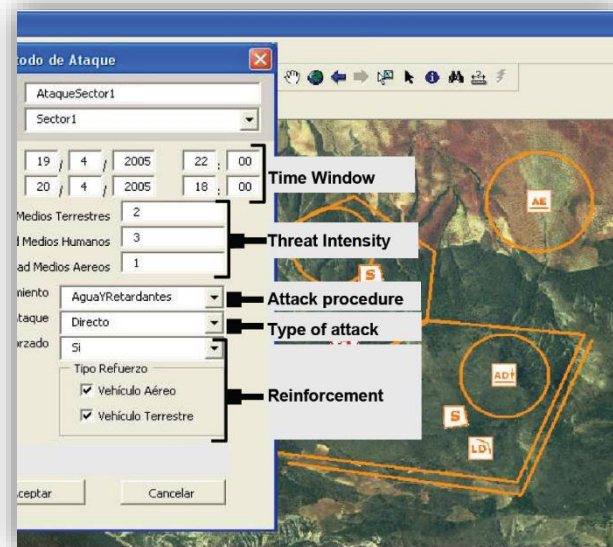
- Tall buildings, multiple elevators
- Enter destination *before* you board
- System creates a *plan*:
 - Which elevator goes to which floor
 - In which order
- Saves time!
 - 3 elevators could serve as much traffic as 5 elevators with earlier algorithms





On-board planning
to view interesting natural
events:

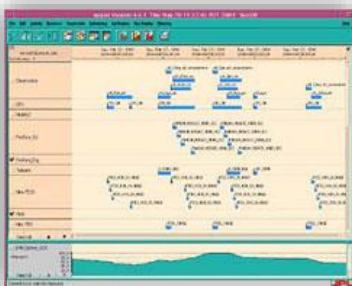
<http://ase.jpl.nasa.gov/>



SIADEx –

plan for firefighting
Limited resources

Plan execution is dangerous!



NASA Mapgen / Mars Rovers

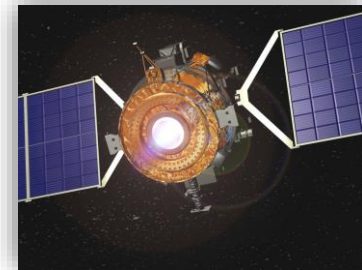
Primary platform for creating daily
activity plans for Spirit, Opportunity

Mixed-initiative tool:
Human in the loop

Why should Computers Plan?



- And why should computers create plans?
 - Manual planning can be boring and inefficient
 - Automated planning may create higher quality plans
 - Software can systematically optimize
 - Automated planning can be applied where the agent is
 - Satellites cannot always communicate with ground operators
 - Spacecraft or robots on other planets may be hours away by radio



**Distinction:
Planning vs. Reacting**

Context: Unmanned Aerial Vehicles

- A modern **context** for planning:
 - Autonomous Unmanned Aerial Vehicles (UAVs)



Using **knowledge** about the world,
including possible actions and their results,
to **decide** what to do and when
in order to achieve an **objective**,
before you actually start doing it

- General knowledge about the world
 - **Locations** of UAVs and objects
 - **Fuel** levels, ...
- Available actions:
 - **Take off**
 - Before: The UAV must be on the ground
 - Result: The UAV is flying
 - **Fly to a point**
 - Before: Must have sufficient fuel
 - Result: Will end up at the indicated point
 - **Land**
 - **Fly a trajectory curve**
 - **Point camera, take picture**
 - **Start/stop video recording**
 - **Transmit information to operator**
 - ...

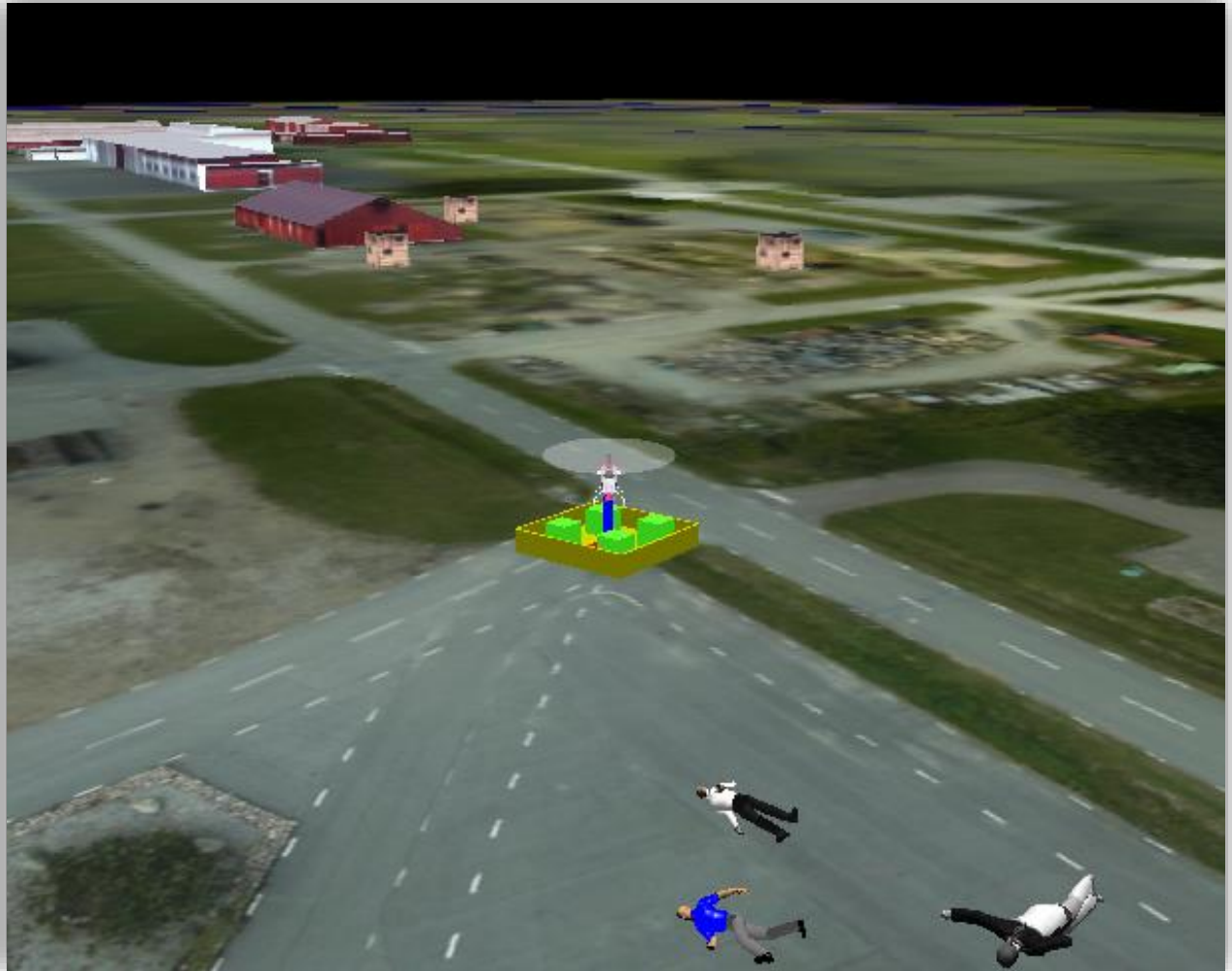
Informal!
Incomplete!

More later...

Using knowledge about the world,
including possible actions and their results,
to decide what to do and when
in order to achieve an objective,
before you actually start doing it

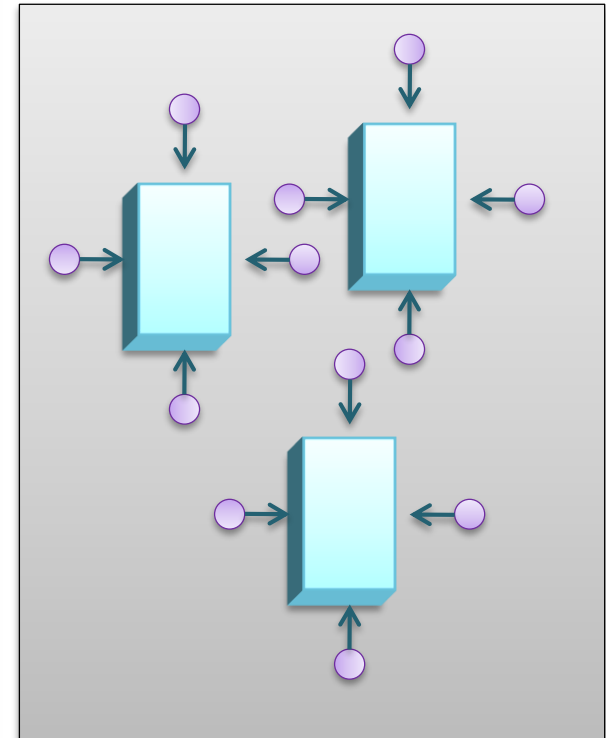
UAV Objective 1: Emergency Services Logistics

- Assist in emergency situations
 - Deliver packages of food, medicine, water



UAV Objective 2: Photogrammetry

- A specific **photogrammetry problem** with a single UAV:
 - Photograph buildings – generate realistic 3D models
 - Problem: Find best way of taking pictures
 - From specified locations
 - In the specified directions



Using knowledge about the world,
including possible actions and their results,
to decide what to do and when
in order to achieve an objective,
before you actually start doing it

Method 0: Reactive + Stupid

- Method 0: Let's be reactive and stupid
 - Reactive: *No planning, don't explicitly consider the future*

- Very fast *decision + execution algorithm*:
while (exists unvisited position) {
 $pos \leftarrow$ some **random** unvisited position
 flyto(pos)
 aim()
 take-picture()
}

- Somewhat suboptimal for *flight...*

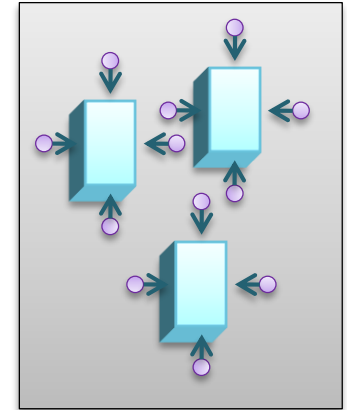
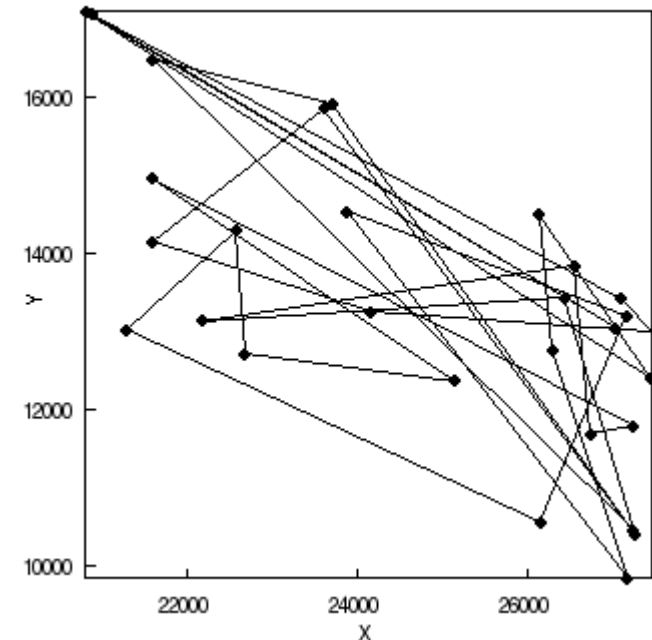


Figure 3.1. Western Sahara: example of random initial tour



Method 1: Reactive + Greedy

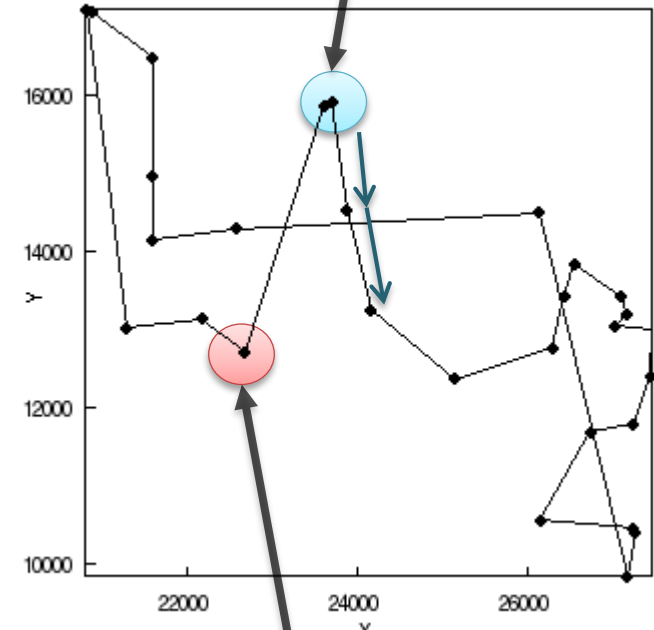
- Method 1: Let's be reactive and greedy
 - Greedy heuristic chooses next location
 - "Least expensive extension to the plan"
 - **while** (exists unvisited position) {
 $pos \leftarrow$ the nearest unvisited position
 flyto(pos)
 aim(); **take-picture**()
}
 - Seems good for this task; not optimal
 - Least expensive *right now*, more expensive in the long run
 - For many other tasks: Still *really bad*

Often, *not thinking ahead* means you can't even solve the problem!

(Fly too far \rightarrow run out of fuel;
crack an egg \rightarrow can't uncrack it; ...)

Start here;
generate actions
incrementally

Figure 3.2. Western Sahara: example of greedy initial tour



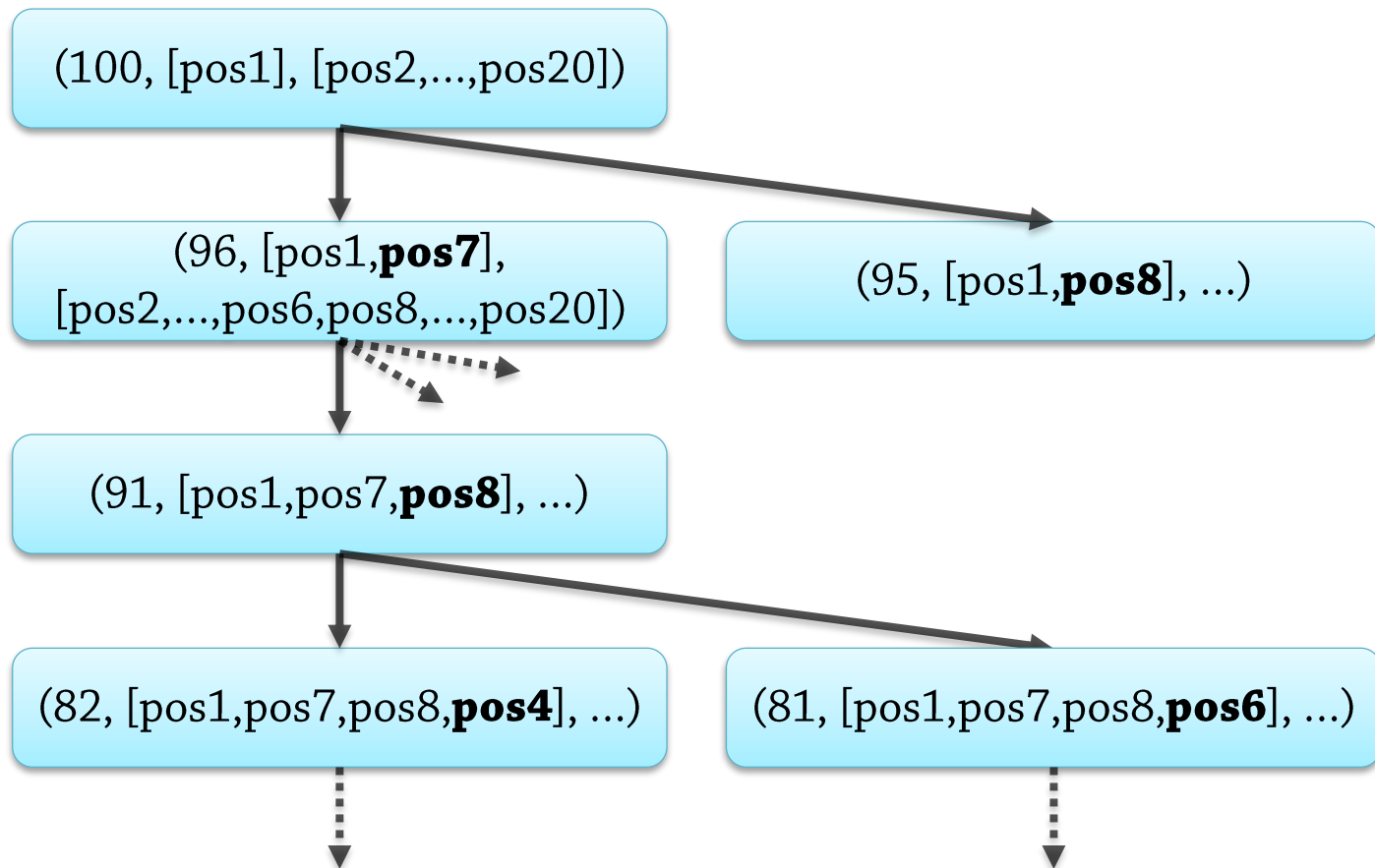
Run out of fuel here?

Using knowledge about the world,
including possible actions and their results,
to decide what to do and when
in order to achieve an objective,
before you actually start doing it

Method 2: Think ahead

- Method 2: Let's think ahead

- First create a complete plan, considering multiple choices
- Keeping track of [**fuel** left, **visited** positions, **remaining** positions]



Method 2: Think ahead – planning

- Method 2, *first*: Search (for example, depth first)

- call **solve**(100, [pos1], [pos2,...,pos20])
- solve**(fuel-left, order, remaining) {
 if (remaining == []) **return** order;
 foreach position *pos* in *remaining*
 in order of increasing
 distance to current *pos*
 {
 f2 = fuel-left – fuel-usage(*last*(*order*), *pos*);
 if (*f2* > 0) {
 order2 = **solve**(*f2*, *order*+*[pos]*, *remaining*-*[pos]*)
 if (*order2* ≠ null) **return** *order2*;
 }
 }
 return null;
}

Have we already achieved the goal?

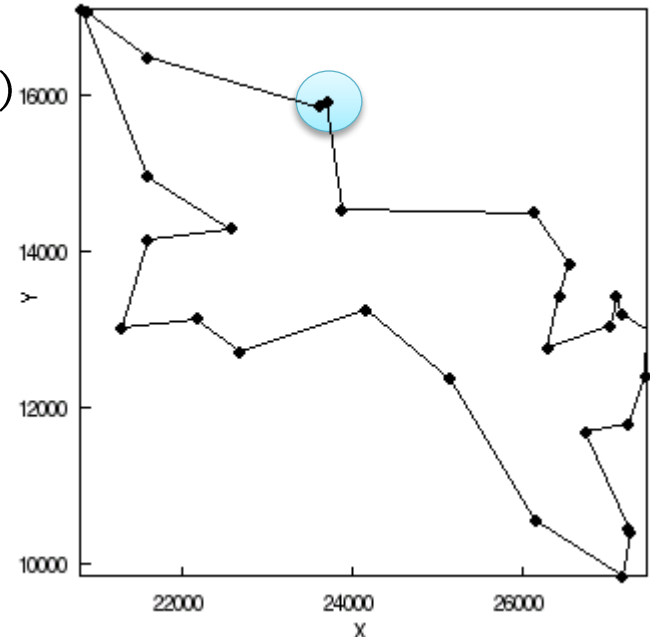
First choice: As before (greedy heuristic)
If not feasible: Try the next nearest pos

Check fuel "in simulation", not in reality

Backtrack if there is no feasible continuation

This is (one form of) planning!

Figure 3.8. Western Sahara: solution tour

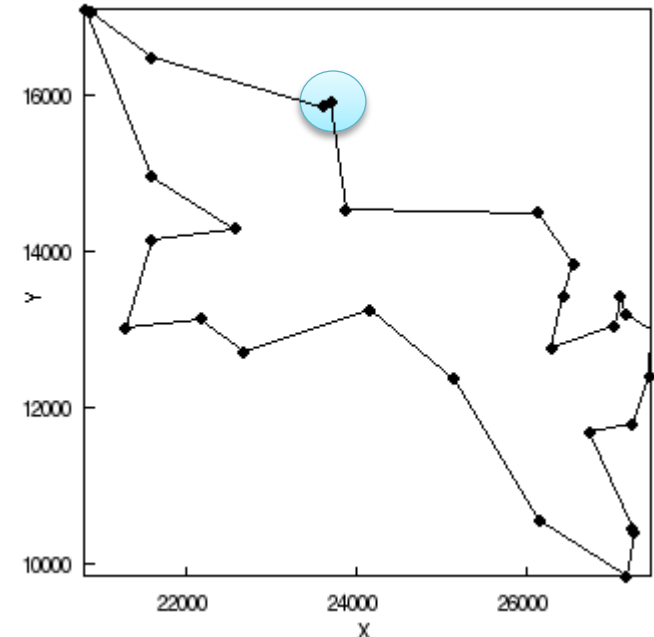


Method 2: Think ahead – execution

- Method 2: Let's think ahead – *second*, execute the plan
 - **foreach** (position *pos* in sequence of positions) {
 - flyto**(*pos*)
 - aim**()
 - take-picture**()

Execution after verifying the plan!

Figure 3.8. Western Sahara: solution tour



**Distinction:
Domain-specific vs. domain-independent
planning**

Domain-Specific Planning 1

- Our solver is domain-specific – only photogrammetry
 - Strong assumptions:
 - Interesting aspects of the world:
fuel left, **visited** positions, **remaining** positions
 - Objective:
Take a **single** picture at **every** position (no more, no less)
 - Available actions:
flyto, aim, take-picture
(executed *in that order* at each position)
 - Executability conditions:
Having **fuel**, being in the right **place**
(no more, no less)
 - Positive: Allows efficient code
 - Adapted to the exact problem, “hardcoded”
 - Can even use Traveling Salesman algorithms...

```
call solve(100, [pos1], [pos2,...,pos20])
solve(fuel-left, order, remaining) {
  if (remaining == []) return order;
  foreach position pos in remaining
    in order of increasing
      distance to current pos
  {
    f2 = fuel-left - fuel-usage(last(order), pos);
    if (f2 > 0) {
      order2 = solve(f2, order+[pos], remaining-[pos])
      if (order2 ≠ null) return order2;
    }
  }
  return null;
}
```


- But some domains are **less straight-forward!**

- Writing an efficient solver from scratch is *difficult*

- Specialization means **less flexibility!** What if...

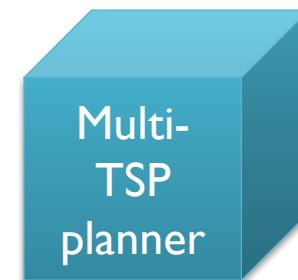
- you want to **deliver** a couple of crates at the same time?

- Need to modify the code of the planner



- you have **two UAVs** and a **UGV** (ground vehicle)?

- Different algorithm:
Multiple TSP



- you want to survey an **area** (send video feed of the ground)?
- you have dynamic no-fly-zones ("don't fly there at 15:00-16:00")?

Many hardcoded assumptions

Interesting aspects of the world:

fuel left, **visited** positions, **remaining** positions

Objective:

Take a **single** picture at **every** position (no more, no less)

Available actions:

flyto, aim, take-picture

(executed *in that order* at each position)

Executability conditions:

Having **fuel**, being in the right **place**

(no more, no less)

Little input

Initial fuel level
List of positions



Few assumptions

???

As much as possible specified in the input

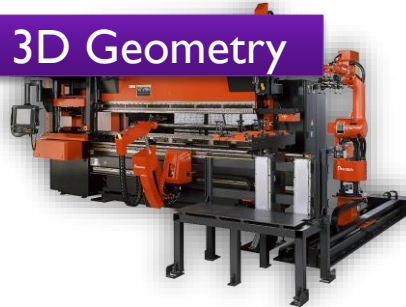
??

Can we find a single set of common modeling concepts sufficient for all of these very different domains?

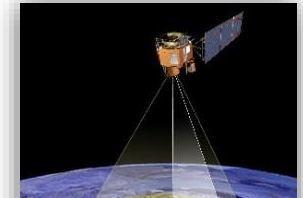
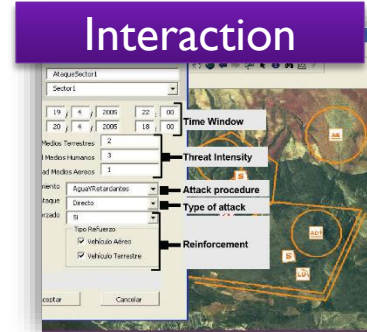
Path planning



3D Geometry



Interaction



Opportunistic goals

Multiple agents



Simple...



"Required concurrency"



Timing



Can we – and should we?

Increasing model expressivity:

- Can be necessary
 - Can't model fuel usage constraints?
→ create non-executable plans!
- Can improve quality
 - Want plans that execute quickly
→ requires a model of time!
- Can simplify our job
 - More expressivity
→ easier to express the problem

Decreasing model expressivity:

- Can improve performance
 - (By many orders of magnitude)
 - We can exploit problem structure
 - Allows different heuristics
 - Allows different plan structures
 - ...
- Simplifies development
- ...

Conflicting desires – we need trade-offs!

Decide what "kind" of domains your planner should be able to accept
Write a planner for this expressivity

Degrees of Expressivity

“Truly domain-independent”

Handles *everything* – does not exist*

*Except for standard Turing-complete programming languages, which don't count...

Partial order of expressivity, "coverage"...

...

...

Temporal planning

MDP
planning

Some classes *subsume* others, some are simply *different*

Classical planning

...

...

Domain-specific (photogrammetry)

Can specialize the planner for very high performance
Must write an entire planner

What is Classical Planning?

- Many early planners made **similar tradeoffs**
 - **At the time**, simply called "*planning*" or "*problem solving*"
 - **Later** grouped together, called "**classical planning**"
 - Restricted, but a **good place to start**
 - Forms the basis of most non-classical planners as well

Classical Planning: Disagreements

- So exactly what is classical planning?
 - Some disagreements...
 - Inevitable: Just a group of *similar* techniques, formalisms
 - Where to draw the line?

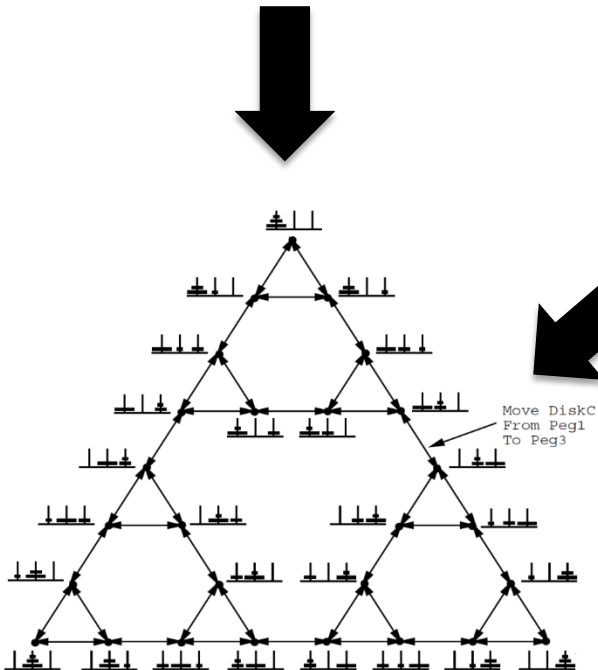


We'll use the book's definitions
You can go outside those boundaries and still be "*kind of classical*"!

**Modeling Assumptions
and
State Transition Systems
for classical planning**

Now: Formal classical model

(Σ, s_0, S_g)
 where
 $\Sigma = (S, A, \gamma)$



Next time: Language for describing models

;; The Towers of Hanoi problem
 ;; (formalisation by Hector Geffner).

```

(define (domain hanoi)
  (:requirements :strips)
  (:predicates (clear ?x) (on ?x ?y) (smaller ?x ?y))

  (:action move
    :parameters (?disc ?from ?to)
    :precondition (and (smaller ?to ?disc)
                       (on ?disc ?from)
                       (clear ?disc) (clear ?to))
    :effect (and (clear ?from) (on ?disc ?to)
                (not (on ?disc ?from))
                (not (clear ?to))))
  )
  
```

Classical Planning 1

A0: *Finite number of states*

Can't model continuous positions of disks in ToH

OK – we're only interested in some discrete alternatives:

On peg 1, on peg 2, above disk 3, ...

The world is always in a given state, which we want to affect

Photogrammetry state:

fuel left,

visited positions,

remaining positions

- We need states of the world
 - $S = \{s_1, s_2, \dots, s_n\}$ is a set of states

A3: The world can only be affected by executing an action

No random changes in the world

No other agents acting in the world

At least not in the part of the world we model!

The world is always in a given state, which we want to affect

- We need **actions**
 - $A = \{a_1, a_2, \dots, a_m\}$ is a set of actions;
this set is also finite

Classical Planning 3

- We must know when an action is executable and what it achieves
 - $\gamma: S \times A \rightarrow 2^S$ $\gamma(s, a) \rightarrow$ the set of states you *may end up in* if you execute a in state s
 - $\gamma(s, a) = \emptyset$ means a cannot be executed in s
 - $\gamma(s, a) = \{s'\}$ means executing a in s leads to s'

The world is always in a given state, which we want to affect

Another possible state

A6: Every action results in a discrete state transition

No concept of time

No concept of continuous change (crane swinging from A to B), only:

Before pickup, the container is on truck y ;

after, the container is carried by crane z

Many planners do model time in some way \rightarrow "semi-classical"

Non-determinism?

- $\gamma(s, a) = \{s_1, s_2, \dots\}$ is possible in some non-classical planners

The world is always in a given state, which we want to affect

Another possible state

Another possible state

Non-deterministic actions
Complicated due to explosion of possibilities!

Classical Planning 4

- We must know when an action is executable and what it achieves
 - $\gamma: S \times A \rightarrow 2^S$ $\gamma(s, a) \rightarrow$ returns the set of states you *may end up in*
 - $\gamma(s, a) = \emptyset$ means a cannot be executed in s
 - $\gamma(s, a) = \{s'\}$ means executing a in s leads to s'
 - $|\gamma(s, a)| > 1$ impossible in classical planning, due to **A2**

The world is always in a given state, which we want to affect

Another possible state

A2: Deterministic actions

If we know the current state and the action that is executed, we *know in advance* exactly which state we will end up in

Some planners support non-determinism
Complicated due to explosion of possibilities!

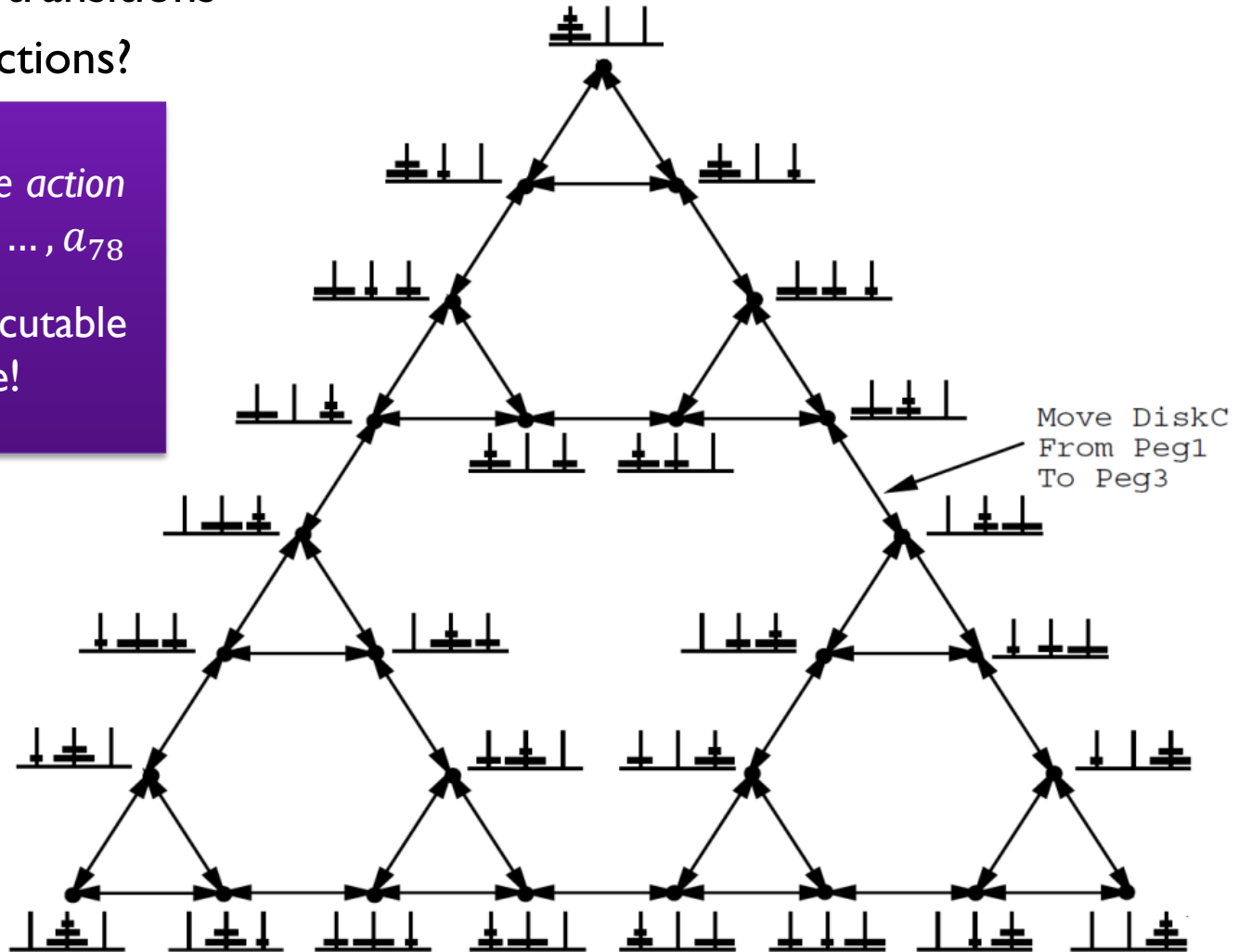
Together: $\Sigma = (S, A, \gamma)$ is a state transition system (STS)

Classical Planning 5: STS Example

- **Part** of an **STS** for a Hanoi problem, **illustrated**:
 - 27 states, 78 transitions
 - How many actions?

Can always have one action per transition: a_1, a_2, \dots, a_{78}

Each action only executable in a single state!



Classical Planning 6: STS Example, cont.

- Part of an **STS** for a Hanoi problem, illustrated:

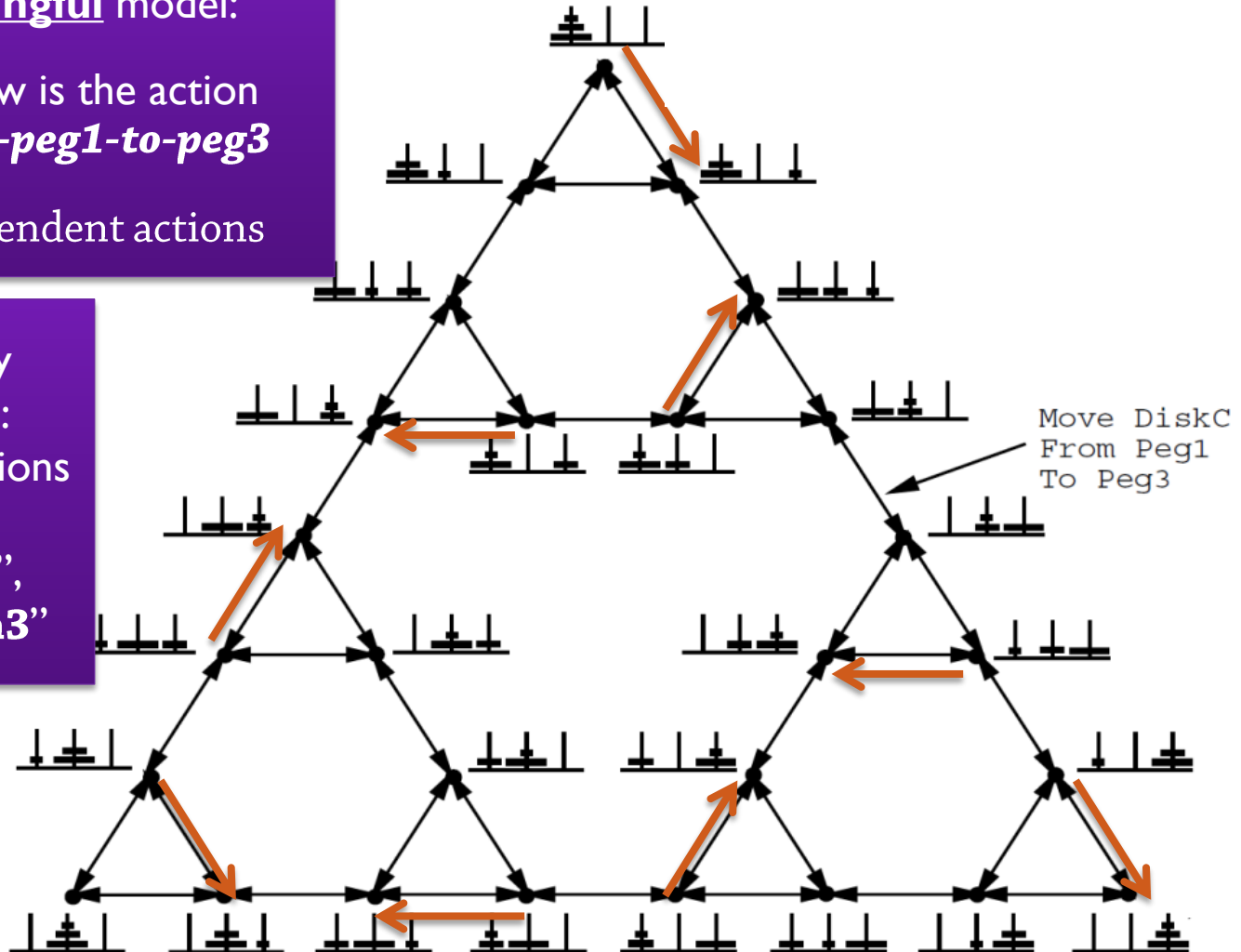
Common meaningful model:

Every orange arrow is the action *move-diskA-from-peg1-to-peg3*

→ 18 context-dependent actions

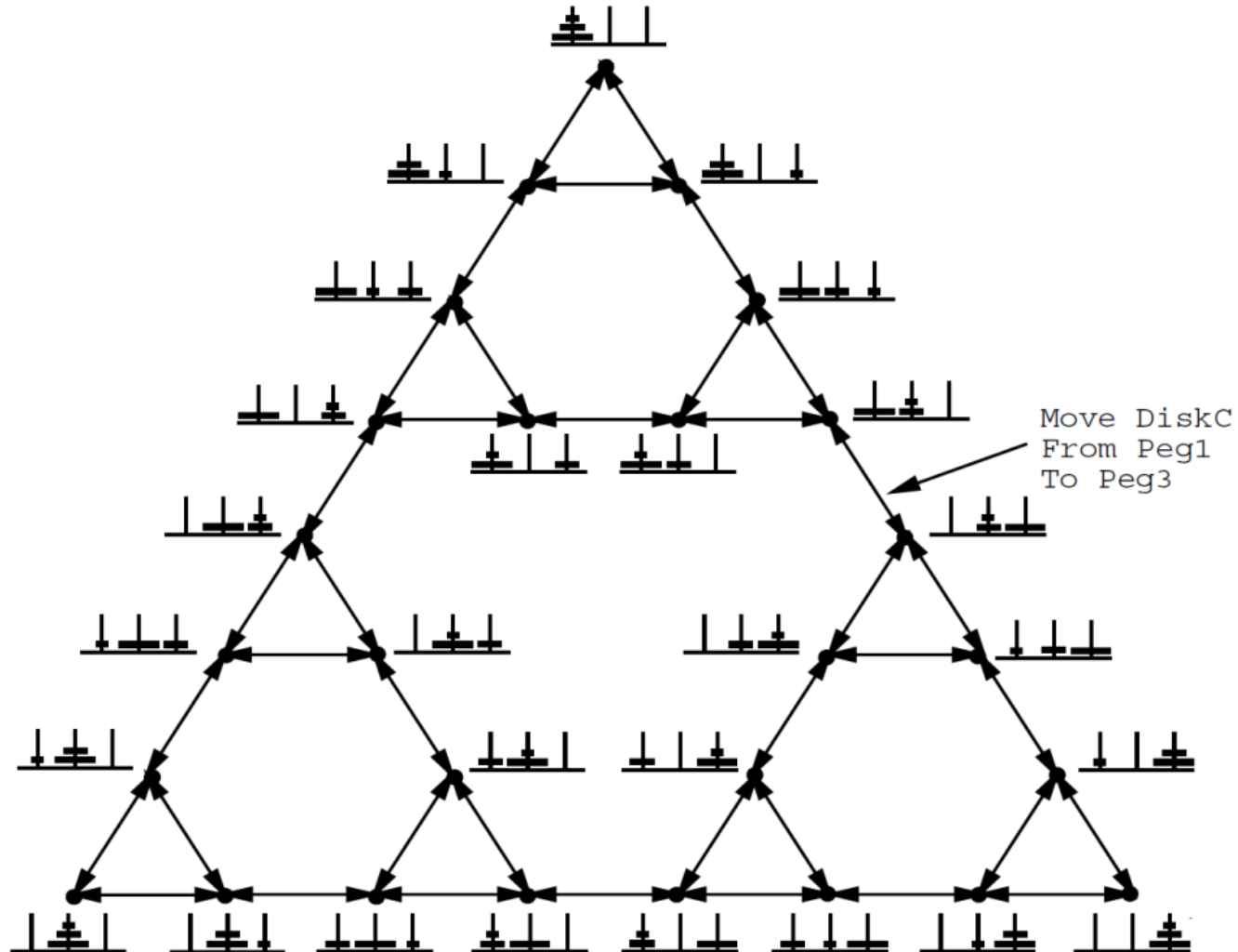
Or we *could* get by using *three* actions:

At most three transitions from any state → Actions "option1", "option2", "option3"

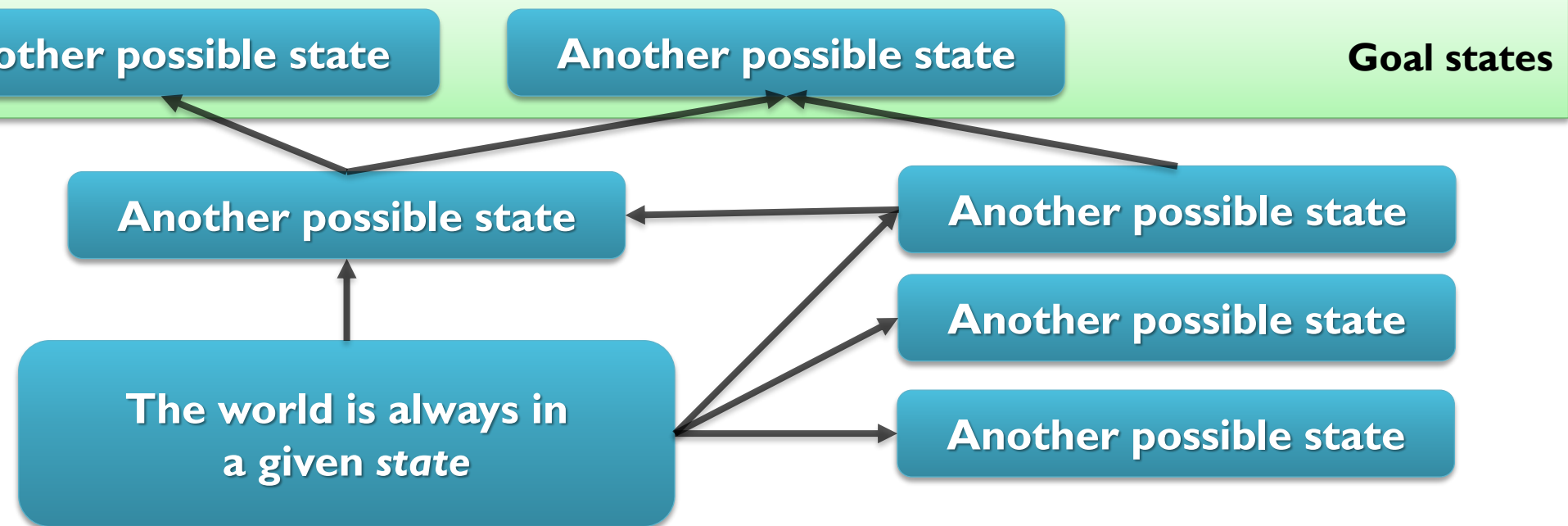


STS: How the world works in general

Now: What's the (formal) problem to solve?



Problem, part 1: Objectives



A4: Restricted objectives

The *objective* is always to end up in a goal state $s \in S_g$
(No constraint on cost, time requirements,
states to avoid on the way, ...)

Many planners support more complex objectives

Problem, part 2: Initial State

A1: We can always detect the current state

The world is always in
a *given state*

A7: Offline planning

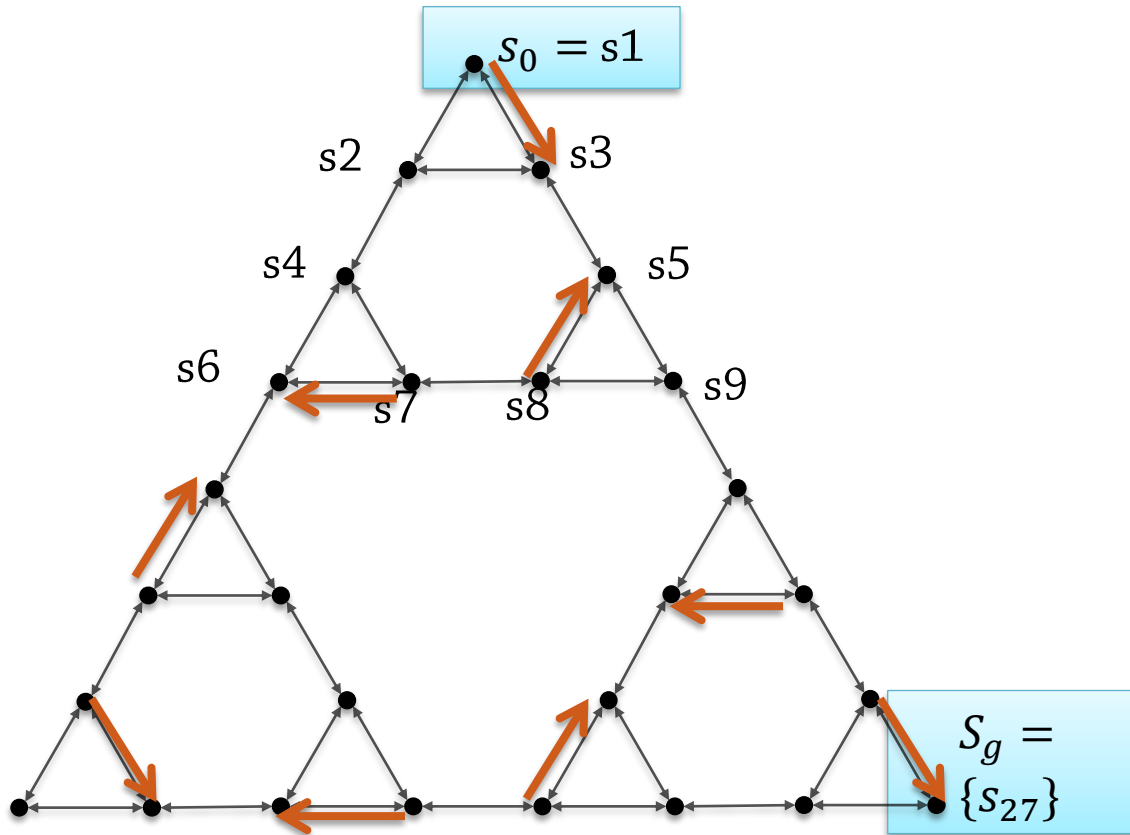
No need to consider changes that may happen
while generating plans.

We know now
what the state of the world will be
when we start executing a plan!

Initial state: s_0

Problem Definition

- Result: A complete classical planning problem (Σ, s_0, S_g)



Transition System and Problem

Real World



Abstraction
Approximation
Simplification

State Transition System
 $\Sigma = (S, A, \gamma)$

Tells us: How the world works
(Only those aspects
that we *need* in our model
in order to solve
interesting problems!)

Real World
+ current
problem

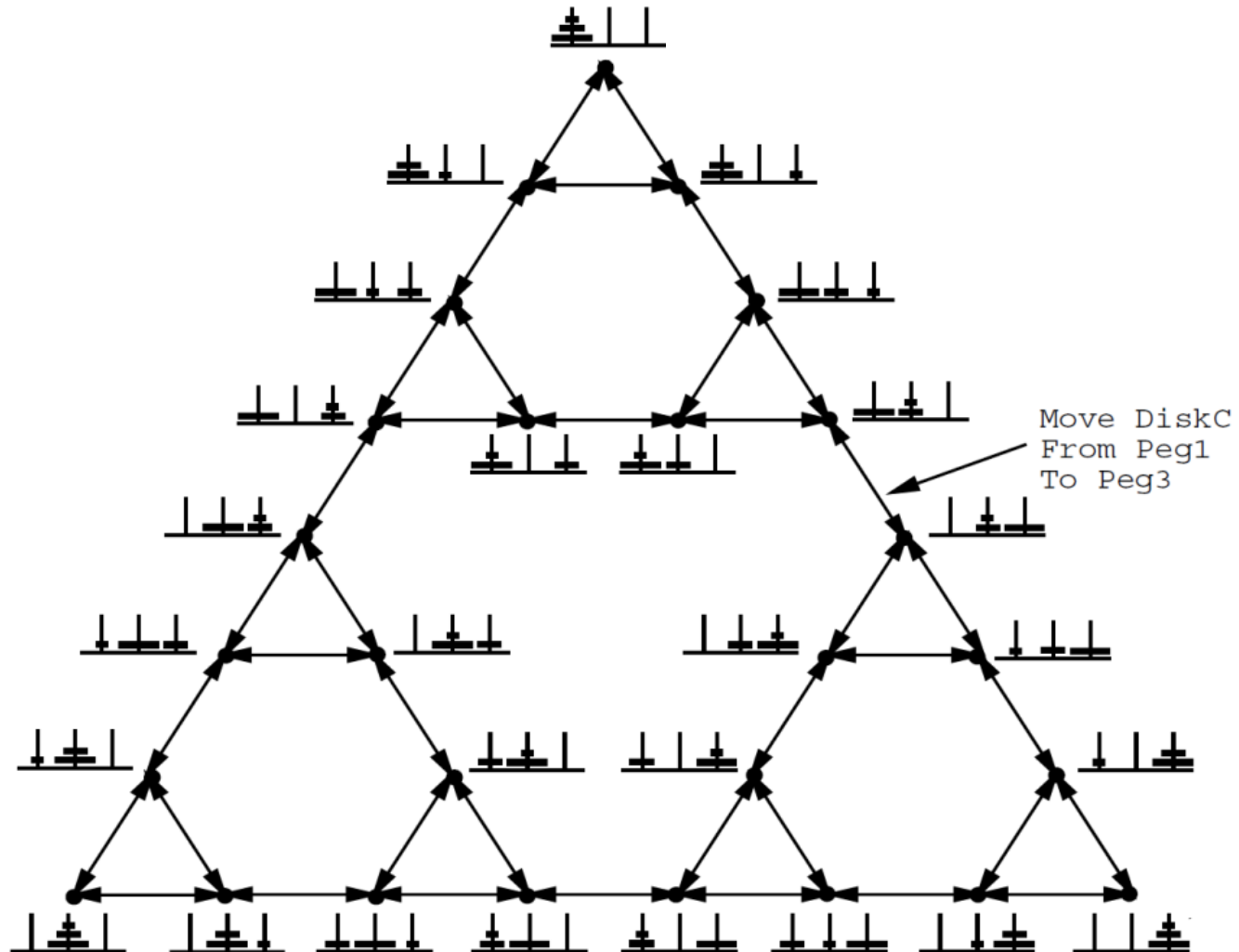


Abstraction
Approximation
Simplification

Planning Problem
 $\mathcal{P} = (\Sigma, s_0, S_g)$

Tells us:
Which specific problem to solve

And what is a solution?



A5: Sequential execution

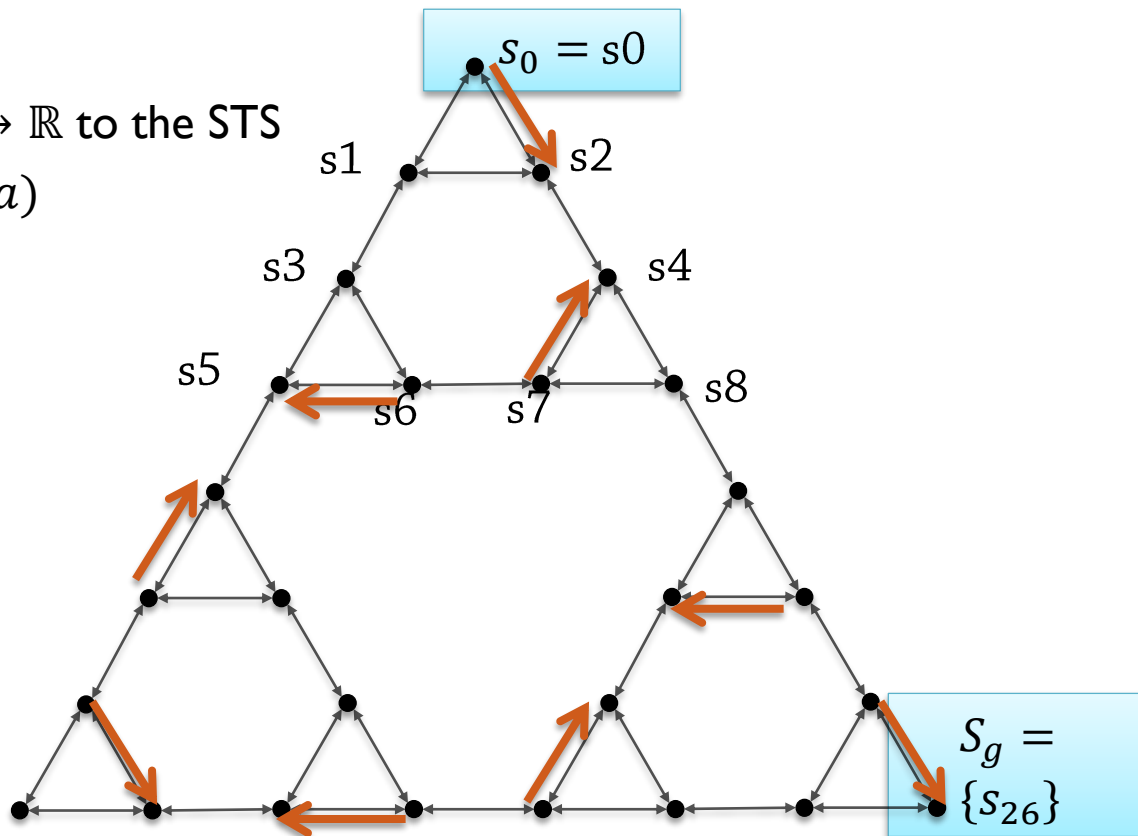
A solution never executes two actions concurrently
(Many planners do allow concurrency \rightarrow "semi-classical")

- **Action sequence:** $\sigma = \langle a_1, a_2, \dots, a_n \rangle$, where $\{a_1, \dots, a_n\} \subseteq A$
 - Sometimes called "plan"
- An action sequence is **executable** in state $s \in S$ if $\exists s_1, \dots, s_n \in S$ such that:
 - $\gamma(s, a_1) = \{s_1\}$
 - $\gamma(s_1, a_2) = \{s_2\}$
 - ...
 - $\gamma(s_{n-1}, a_n) = \{s_n\}$
 - Sometimes called "executable action sequence", "plan", "executable plan", ...

In the exam questions, the terminology will be unambiguous!

- An action sequence is a **solution** to (Σ, s_0, S_g) if:
 - It is executable in s_0
 - It results in a state $s_n \in S_g$
 - Sometimes called "plan", "solution plan", ...

- A **good** solution:
 - Add a cost function $c: A \rightarrow \mathbb{R}$ to the STS
 - Try to minimize $\sum_{\{a \in \pi\}} c(a)$



Plan Generation (2)

- Is classical planning simply graph search?

- Can be, but:

- Graphs are enormous

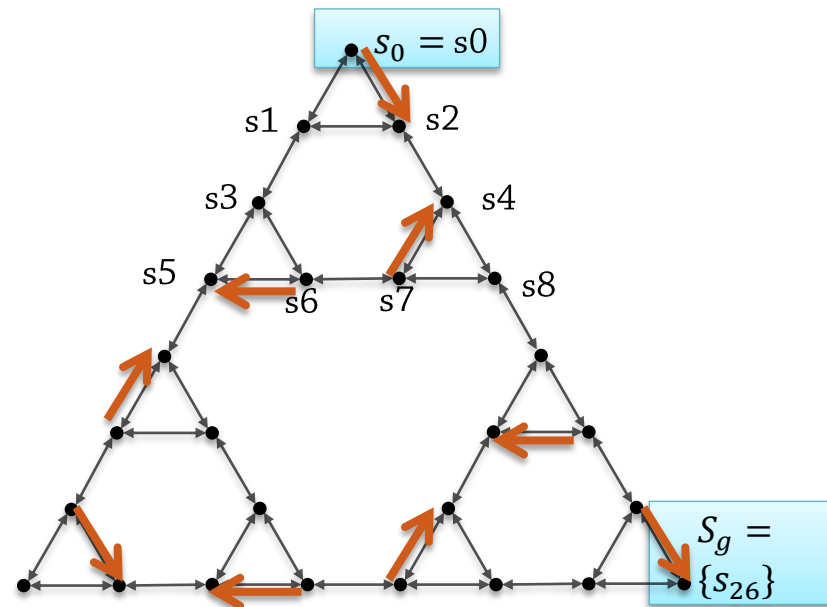
- Requires advanced heuristics, adapted to planning

- Requires advanced search methods

- Alternatives to searching the STS

- can be used to "indirectly" find paths!

- Many forms of non-classical planning do not map into searching an STS



- Very useful:
 - As a conceptual model, explaining important concepts
 - To analyze expressivity, clarify restrictions
 - To prove properties

- Very useless:
 - As a way of actually **writing down** realistic planning problems (enumerate all possible states?)
 - As an implementation structure for planners
 - → Next time!