## Errata to "Descriptive Typing Rules for Xcerpt"

## October 16, 2007

## Abstract

This is errata to the paper

 S. Berger, E. Coquery, W. Drabent, and A. Wilk. "Descriptive typing rules for Xcerpt." In International Workshop, PPSWR 2005, Dagstuhl Castle, Germany, September 2005, Proceedings, number 3703 in LNCS, pages 85-100. Springer Verlag, 2005. http://www.springerlink.com/link.asp?id= 8rejjqbwxbkydlwr

and to its extended version

- S. Berger, E. Coquery, W. Drabent, and A. Wilk. "Descriptive typing rules for Xcerpt and their soundness." Technical Report REWERSE-TR-2005-01, REWERSE, 2005. http://rewerse.net/publications/#REWERSE-TR-2005-01.
- Definition 8 (p. 91 in [1]), in the fourth case (for  $l\{q_1, \ldots, q_n\}$ ) it should be  $j = 1, \ldots, n$  instead of  $j = 1, \ldots, m$ .
- The head of second query rule of Ex. 15 (p. 93 l. -4 in [1]) is

 $results[all result[cds[all name[TITLE]], year[YEAR]]] \leftarrow$ 

Should be

$$results[all result[year[YEAR], cds[all name[TITLE]]]] \leftarrow$$

Relation ⊑ in Section 4.2 (p. 95 of [1], the last paragraph of 4.2) is not a partial order but a pre-order. In the same paragraph, a condition "provided that [[Γ(X)]] ≠ Ø for each X ∈ V" should be added to the statement "Γ ⊑ Γ' is equivalent to substitutions(Γ) ⊆ substitutions(Γ')."

- Section 4.3 of [1], paragraph 1, l. -1 (p. 95) states: "In the Appendix we prove correctness of the typing system." Actually the proof is presented in [2].
- Definitions 17, l. 2 and 18, l. 5 ([1] p. 97) should be augmented with a requirement that substitutions  $(\Gamma) \neq \emptyset$ .

To the last sentence of the paragraph following Def. 17 ("For correctness of the rules it is required...") a phrase "and that  $substitutions(\Gamma) \neq \emptyset$  for any  $\Gamma \in \Psi$ " should be added.

- In rule (PATTERN) for construct terms ([1] p. 97), when  $\alpha\beta = \{\}$ , the regular expression  $S_1 \cdots S_n$  may be not a multiplicity list. In such a case  $S_1 \cdots S_n$  should be replaced by some multiplicity list r such that  $L(S_1 \cdots S_n) \subseteq perm(L(r))$ , where perm(L(r)) stands for the language of permutations of the strings from the language L(r).
- Theorem 20 ([1] p. 98, in [2] additionally Lemma 27), a missing requirement on D:

For any type names  $T_1, \ldots, T_n$  in D there exists a type definition D' such that  $\llbracket T_1 \rrbracket_D \cap \ldots \cap \llbracket T_1 \rrbracket_D = \llbracket T \rrbracket_{D'}$  for (1) some type name T.

A sufficient condition for this requirement is that D is *proper*, in the sense of references [4] or [13] of [1].

An alternative to requirement (1) is a modification of rule (VAR) for construct terms ([1] p.97), by changing each  $\llbracket T_i \rrbracket = \llbracket \Gamma_i(X) \rrbracket$  into  $\llbracket T_i \rrbracket \supseteq \llbracket \Gamma_i(X) \rrbracket$ .

- The URL to [2] given in [1] (p. 99 reference [2]) is obsolete. It should be http://rewerse.net/publications/#REWERSE-TR-2005-01.
- It is not made explicit that our definition of a query (Def. 10, [1] p. 92) is simplified. We consider applying a query to a single data term, while in full Xcerpt it is applied to a set of data terms. Thus, for instance, a query  $\operatorname{and}(Q_1, Q_2)$  may succeed due to  $Q_1$  matching one data term and  $Q_2$  matching another.