

Automated Planning

Domain-Configurable Planning: Hierarchical Task Networks

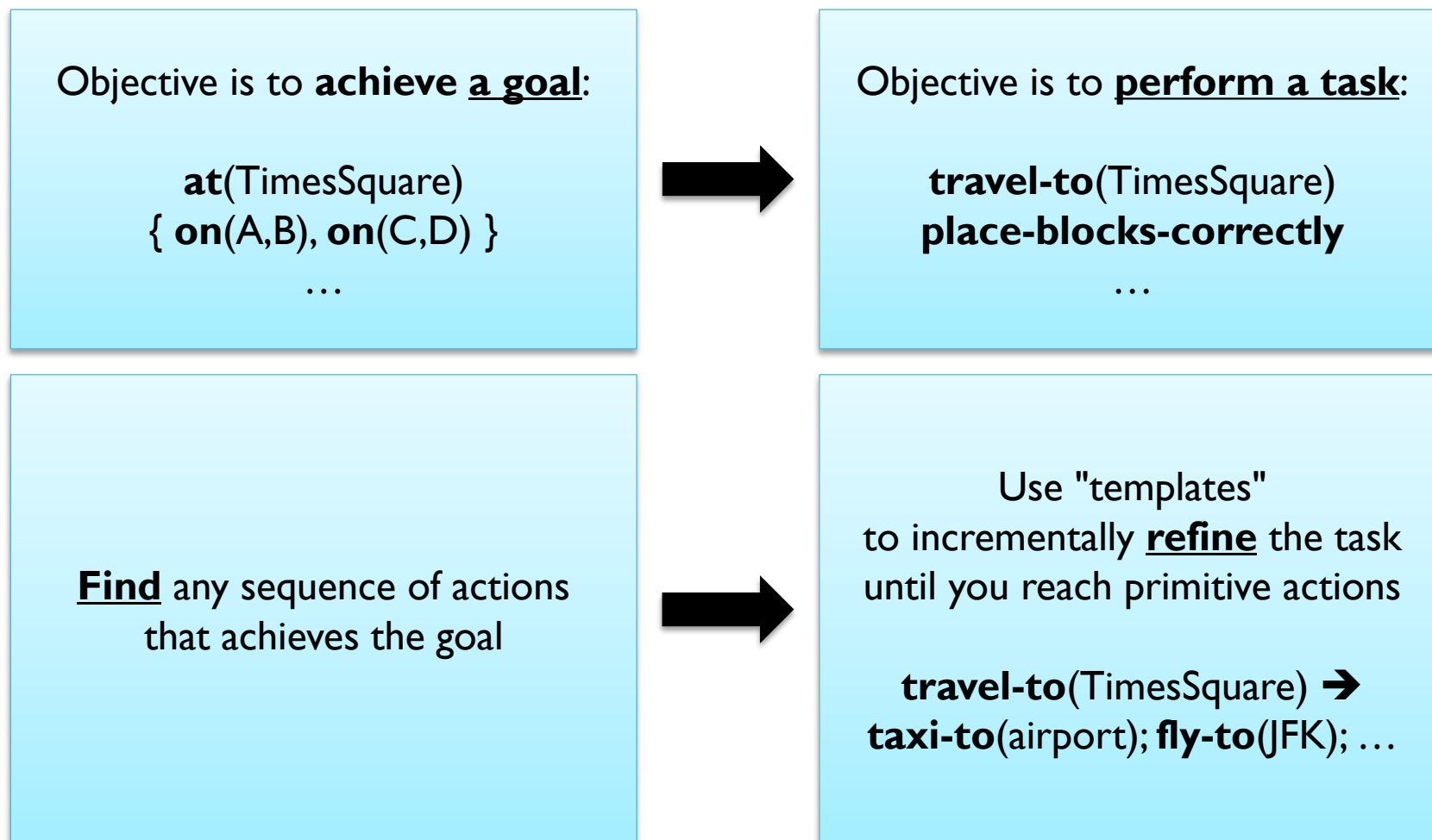
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- Classical Planning vs. Hierarchical Task Networks:



Provides **guidance** but still requires **planning**

Total-Order Simple Task Networks

A simple form of Hierarchical Task Network,
as defined in the book

Terminology I: Primitive Task

- A primitive task is an action
 - Anything that can be directly executed

`stack(A,B)`

`load(crane1, loc3, cont5, ...)`

`point(camera4, obj4)`

Dark green
(in this presentation):
"Done", no need to think further

- As in classical planning, what is primitive depends on:
 - The *execution system*
 - How detailed you want your plans to be
- Example:
 - For you, **fly(here,there)** may be a primitive task
 - For the pilot, it may be decomposed into many smaller steps
- Can be *ground* or *non-ground*: **stack(A,?x)**
 - No separate terminology, as in *operator/action*

Terminology 2: Non-Primitive Task



- A **non-primitive task**:
 - Cannot be directly executed
 - Must be **decomposed** into 0 or more **subtasks**

put-all-blocks-in-place()

make-tower(A,B,C,D,E)

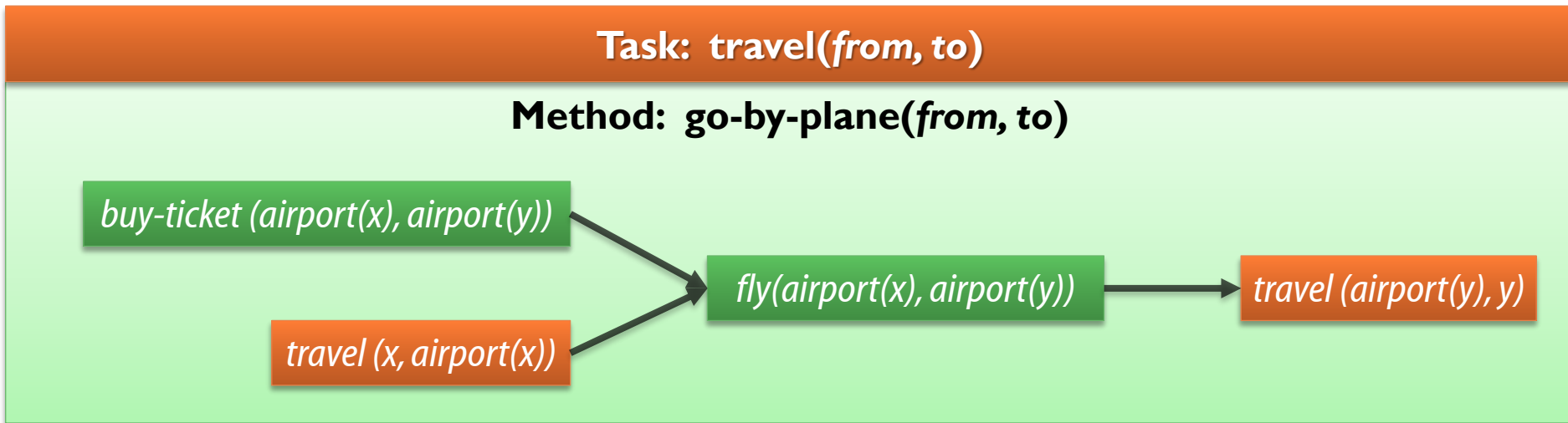
move-stack-of-blocks(x, y)

Orange:
There's a "problem"
that we need to solve

Should be *decomposed to*
pickup, putdown, stack, unstack
tasks / actions!

Terminology 3: Method

- A **method** specifies *one way* to decompose a non-primitive task



- The decomposition is a **graph** $\langle N, E \rangle$
 - Nodes in N correspond to **subtasks to perform**
 - Can be primitive or not!
 - Edges in E correspond to **ordering relations**

Totally Ordered STNs



In Totally Ordered Simple Task Networks (STN),
each method must specify a sequence of subtasks

- Can still be modeled as a graph $\langle N, E \rangle$



- Alternatively: A sequence $\langle t_1, \dots, t_k \rangle$
 - **buy-ticket**(airport(x), airport(y)),
travel(x, airport(x)),
fly(airport(x), airport(y)),
travel(airport(y), y) >

Totally Ordered STNs (2)

We can illustrate the entire decomposition in this way
(horizontal arrow → sequence)

The “travel” task has a method called “go-by-plane”

travel(x,y)

go-by-plane(x,y)

Task

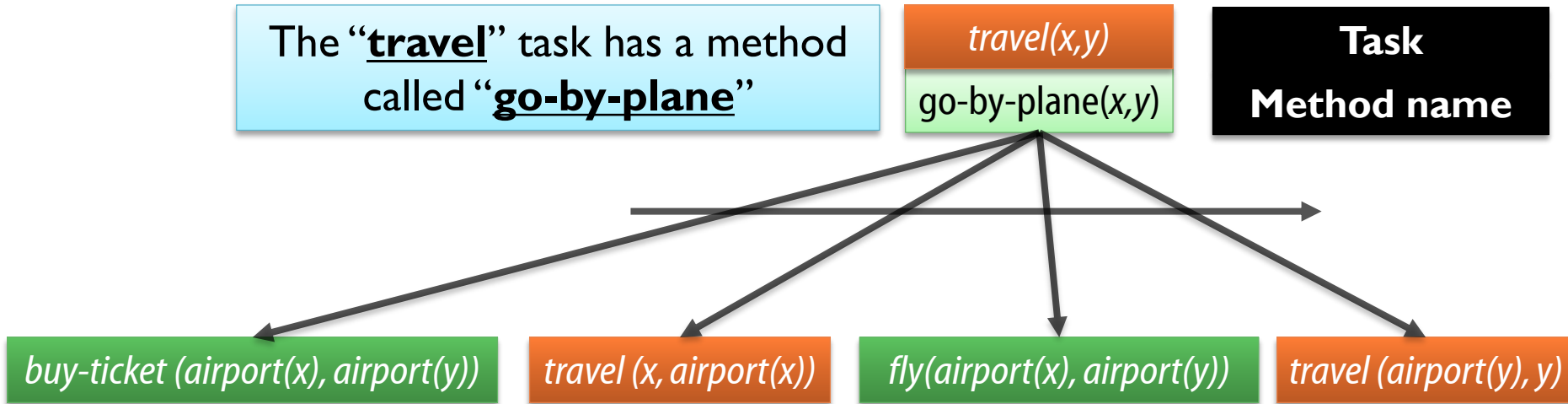
Method name

buy-ticket (airport(x), airport(y))

travel (x, airport(x))

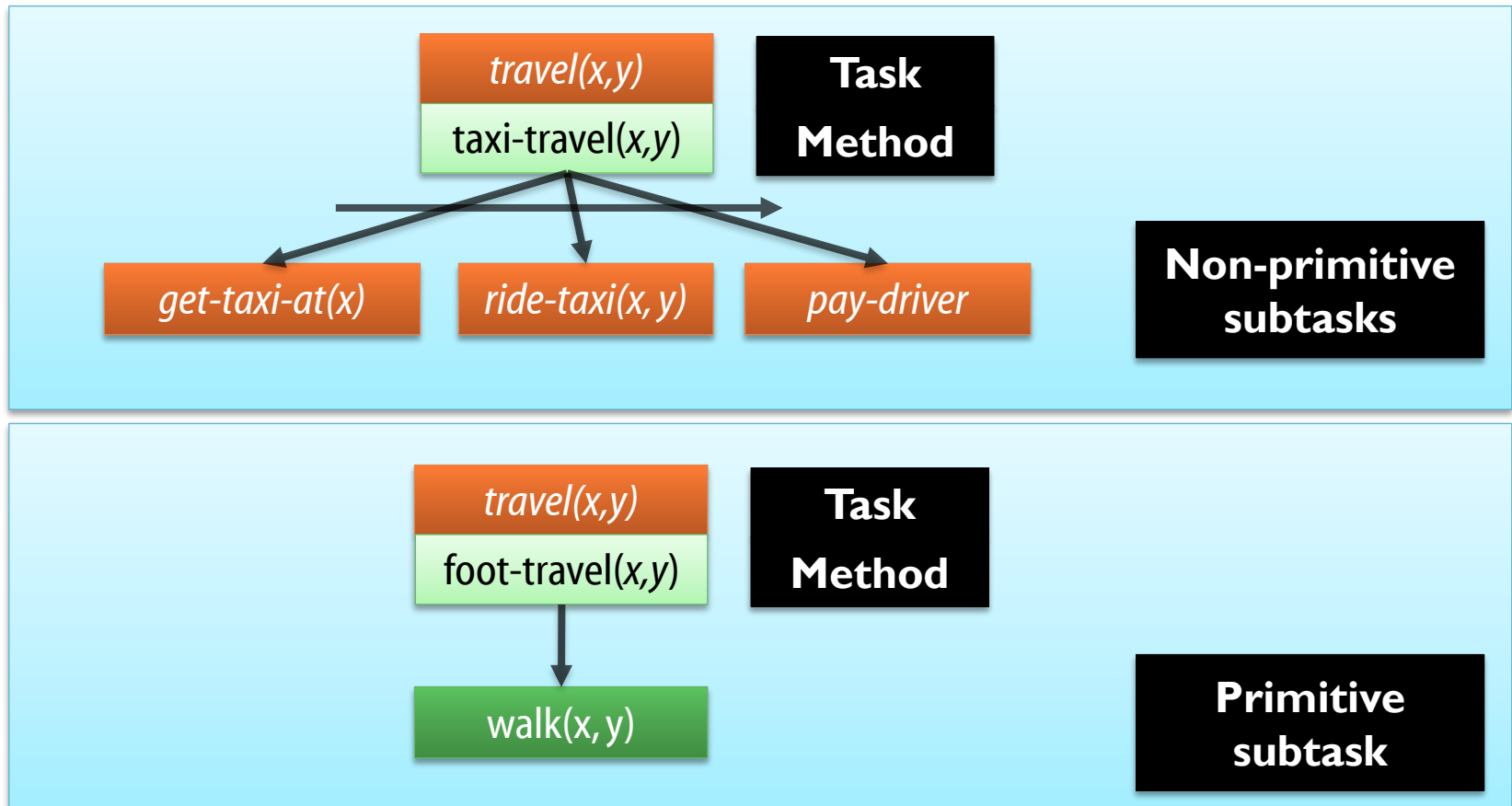
fly(airport(x), airport(y))

travel (airport(y), y)



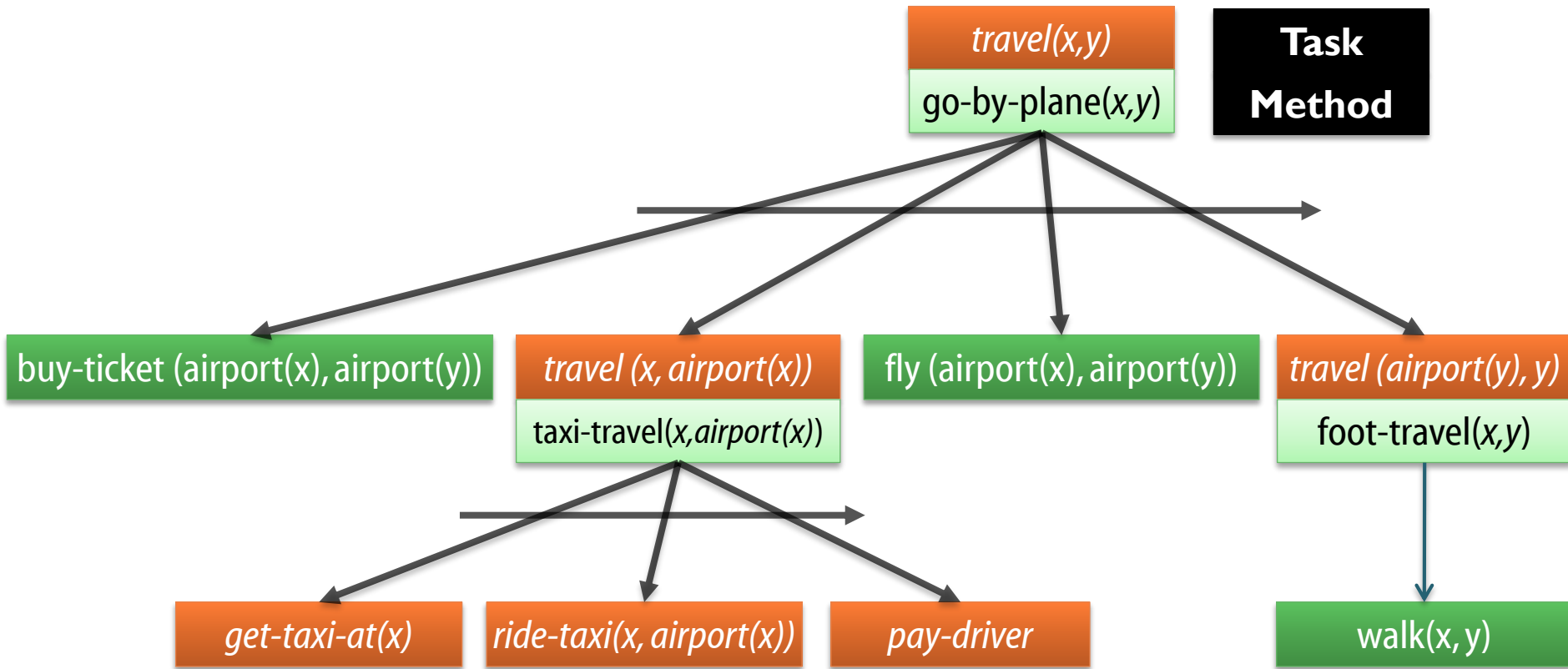
Multiple Methods

- A non-primitive task can have **many methods**
 - So: You still need to **search**, to determine which method to use



- ...and to determine *parameters* (shown later)

- An HTN plan:
 - **Hierarchical**
 - Consist of **tasks**
 - Based on graphs \approx **networks**



Domains, Problems, Solutions



- An STN planning domain specifies:
 - A set of tasks
 - A set of operators used for primitive tasks
 - A set of methods

- An STN problem instance specifies:
 - An STN planning domain
 - An initial state
 - An initial task network, which should be ground (no variables)
 - Total Order STN example:
<travel(home,work); do-work(); travel(work,home)>

General HTNs:
Can have additional
constraints to be
enforced

Domains, Problems, Solutions (2)

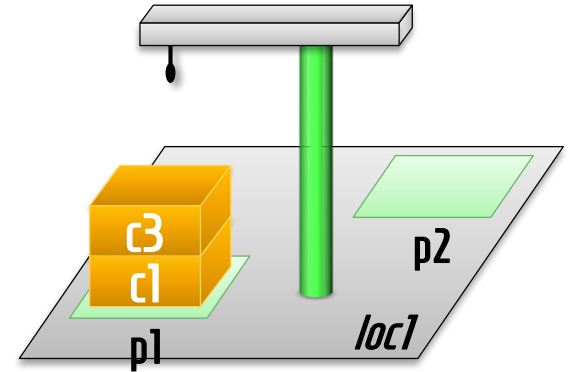


- Suppose you:
 - Start with the initial task network
 - Recursively apply methods to non-primitive tasks, expanding them
 - Continue until all non-primitive tasks are expanded
- Totally ordered → yields an action sequence
 - If this is executable: A solution
 - (No goals to check – implicit in the method structure!)
- The planner uses only the methods specified for a given task
 - Will not try arbitrary actions...
 - For this to be useful, you must have useful “recipes” for all tasks

DWR Example: Moving the Topmost Container

A simple "template expansion"

- Let's switch to Dock Worker Robots...
- Example Tasks:
 - Primitive – all DWR actions
 - Move the **topmost** container between piles
 - Move an **entire stack** from one pile to another
 - Move a stack, but keep it in the **same order**
 - Move **several stacks** in the same order



- To move the topmost container from one pile to another:

- task:

move-topmost-container(pile1, pile2)

The *task* has parameters
given from above

- method:

take-and-put(cont, crane, loc, pile1, pile2, c1, c2)

A *method* can have
additional parameters,
whose values are
chosen by the planner –
just as in classical planning!

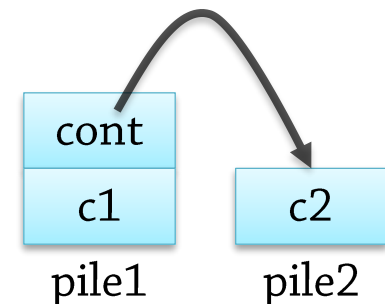
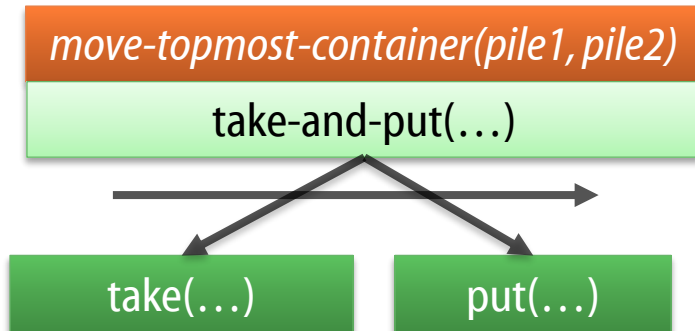
- precond: attached(pile1, loc), attached(pile2, loc),
belong(crane, loc),
top(cont, pile1), on(cont, c1),
top(c2, pile2)

The *precond* adds constraints:
crane must be *some* crane
in the same loc as the piles,
cont must be *the* topmost
container of pile1, ...

Interpretation:

If you are asked to **move-topmost-container**(pile1, pile2),
check all possible values for **cont, crane, loc, c1, c2** where the preconds are satisfied

- To move the topmost container from one pile to another:
 - task:
`move-topmost-container(pile1, pile2)`
 - method:
`take-and-put(cont, crane, loc, pile1, pile2, c1, c2)`
 - precond: `attached(pile1, loc), attached(pile2, loc),`
`belong(crane, loc),`
`top(cont, pile1), on(cont, c1),`
`top(c2, pile2)`
 - subtasks: `<take(crane, loc, cont, c1, pile1),`
`put(crane, loc, cont, c2, pile2)>`

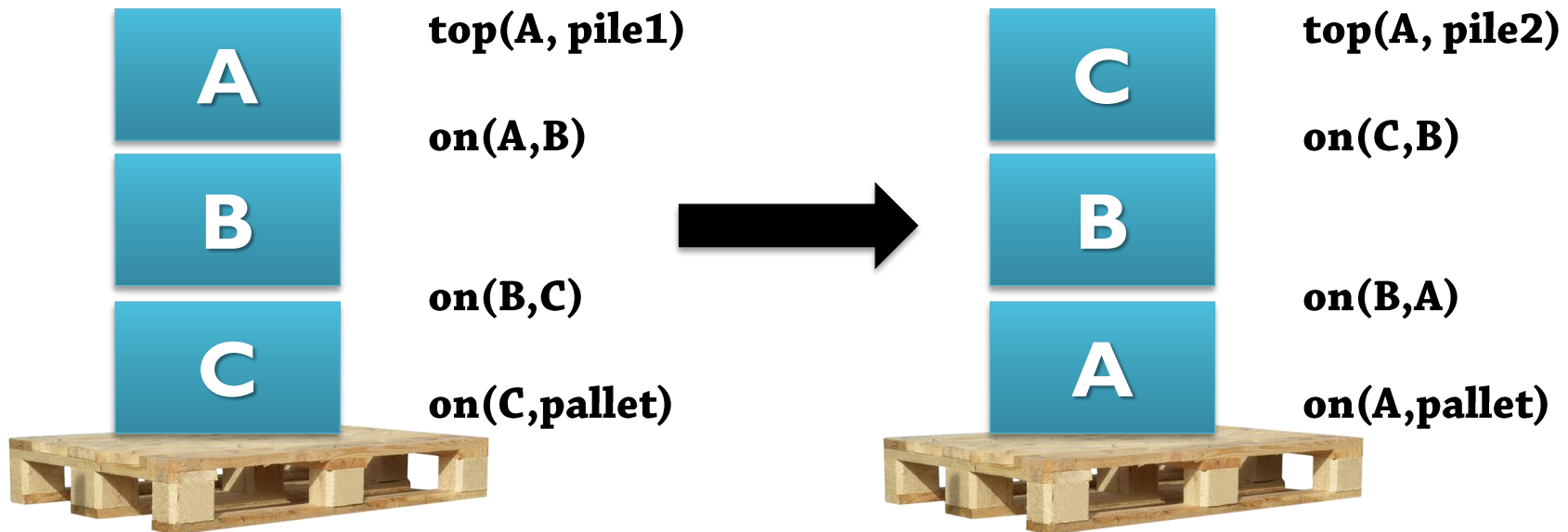


DWR Example: Moving a Stack of Containers

Iteration with no predetermined bound

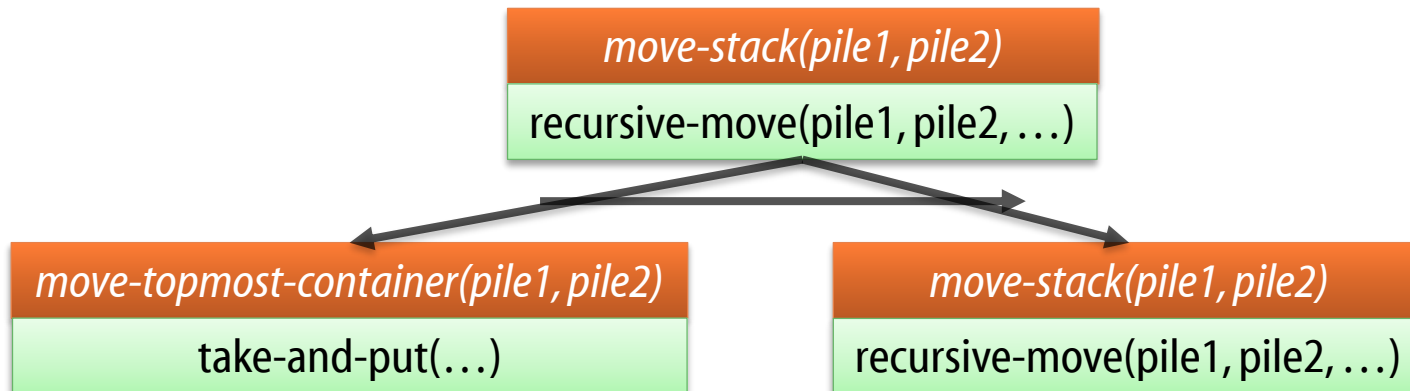
Moving a Stack of Containers

- How can we implement the task **move-stack**(pile1, pile2)?
 - Should move **all** containers in a stack
 - There is no **limit** on how many there might be...



Recursion (1)

- We need a **loop** with a **termination condition**
 - HTN planning allows **recursion**
 - Move the **topmost** container (we know how to do that!)
 - Then move the **rest**
 - First attempt:
 - **task:** `move-stack(pile1, pile2)`
 - **method:** `recursive-move(pile1, pile2)`
 - **precond:** `true`
 - **subtasks:** `<move-topmost-container(pile1, pile2), move-stack(pile1, pile2)>`



Recursion (2)

- But consider the BW and DWR "pile models"...

BW



clear(A)

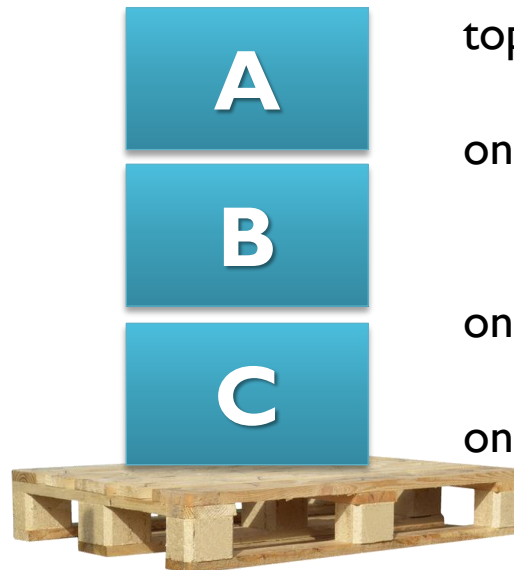
on(A,B)

on(B,C)

ontable(C)

The bottom block
is not "on" anything

DWR



top(A, pile I)

on(A,B)

on(B,C)

on(C,pallet)

The bottom block
is "on" the pallet, a "special container"

What if the pallet is "topmost"?
We don't want to move it!

Recursion (3)

- To fix this:

- **Task:** `move-stack(pile1, pile2)`

- **method:** `recursive-move(pile1, pile2, cont, x)`

- **precond:** `top(cont, pile1), on(cont, x)`

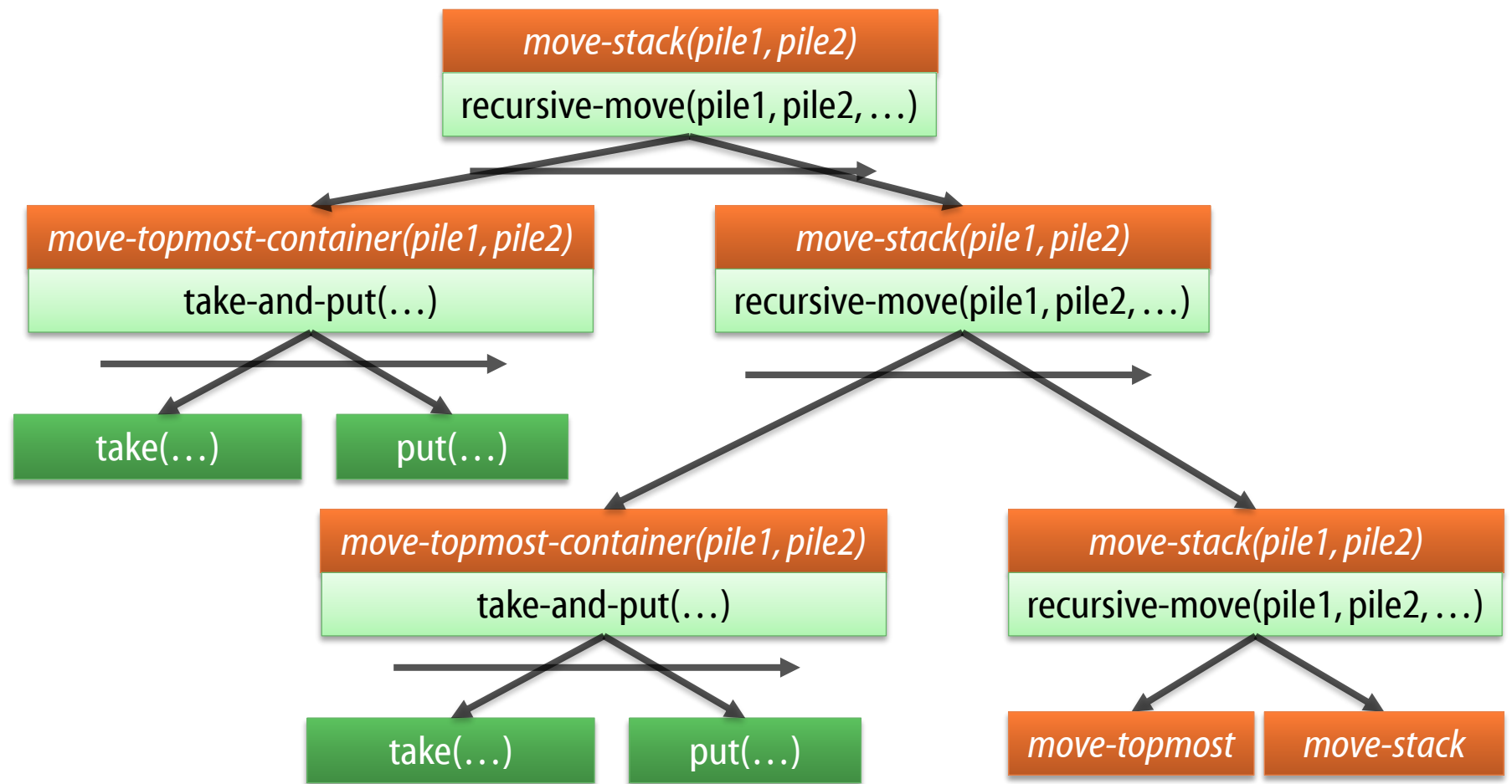
- **subtasks:** `<move-topmost-container(pile1, pile2), move-stack(pile1, pile2)>`

Add two method params –
"non-natural", as in "ordinary" planning;
does not give the planner a real choice

cont is on top of something (*x*), so *cont* can't be the pallet

Recursion (4)

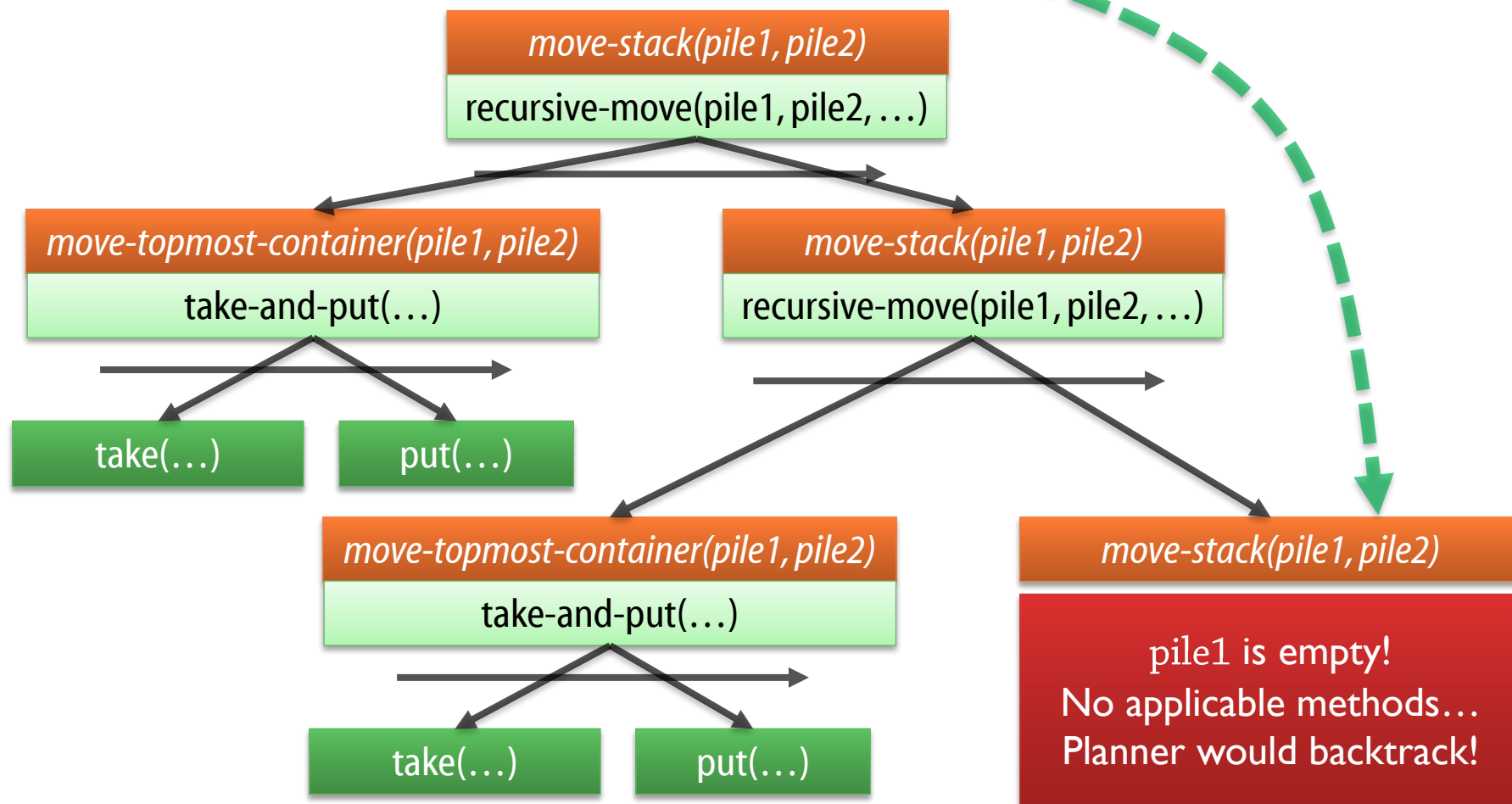
- The planner can now create a structure like this:



But when will the recursion end?

Recursion (5)

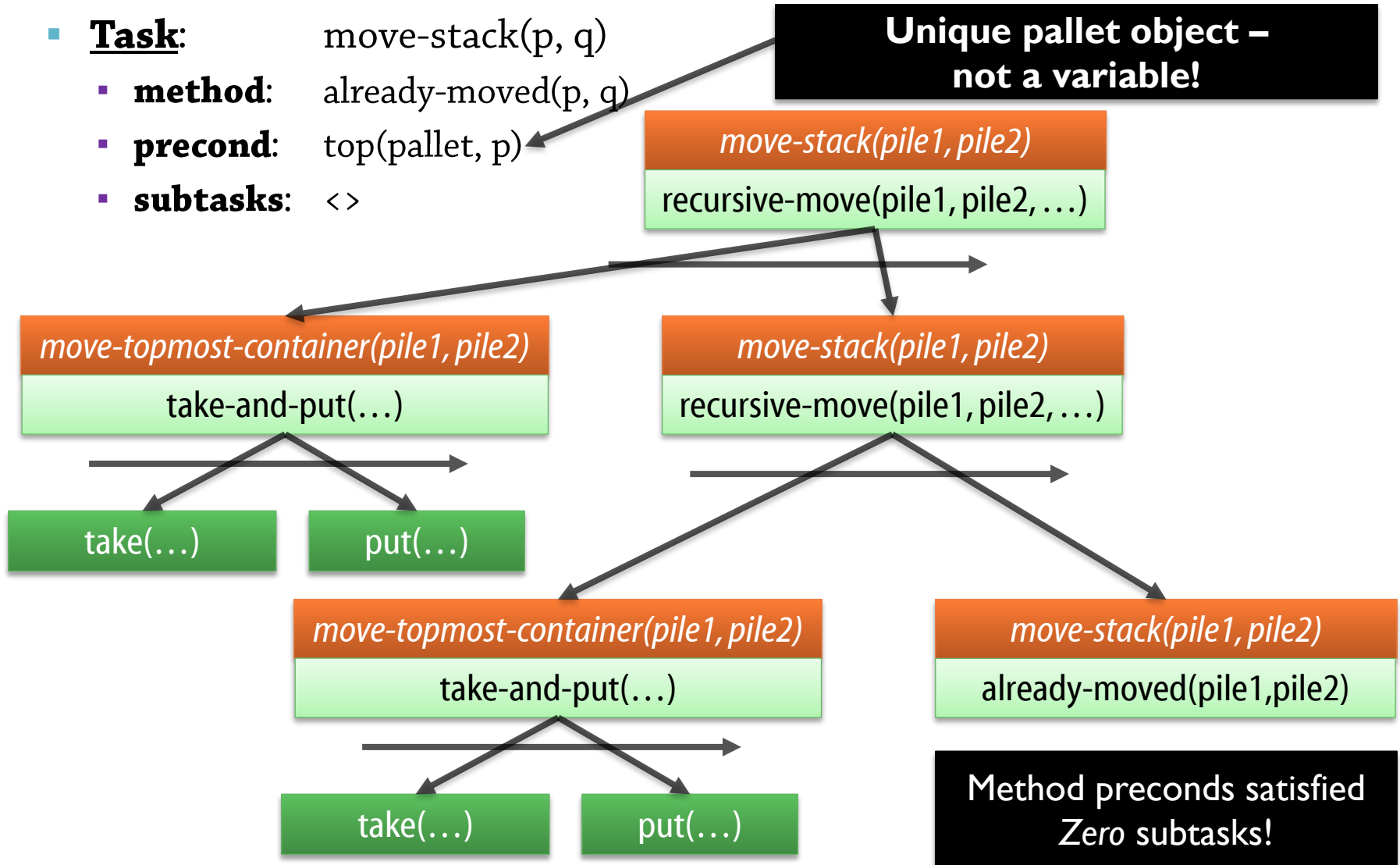
- At some point, **only the pallet** will be left in the stack
 - Then recursive-move will **not be applicable**
 - But we **must** execute **some** form of move-stack!



Recursion (6)

- We need a method that **terminates** the recursion

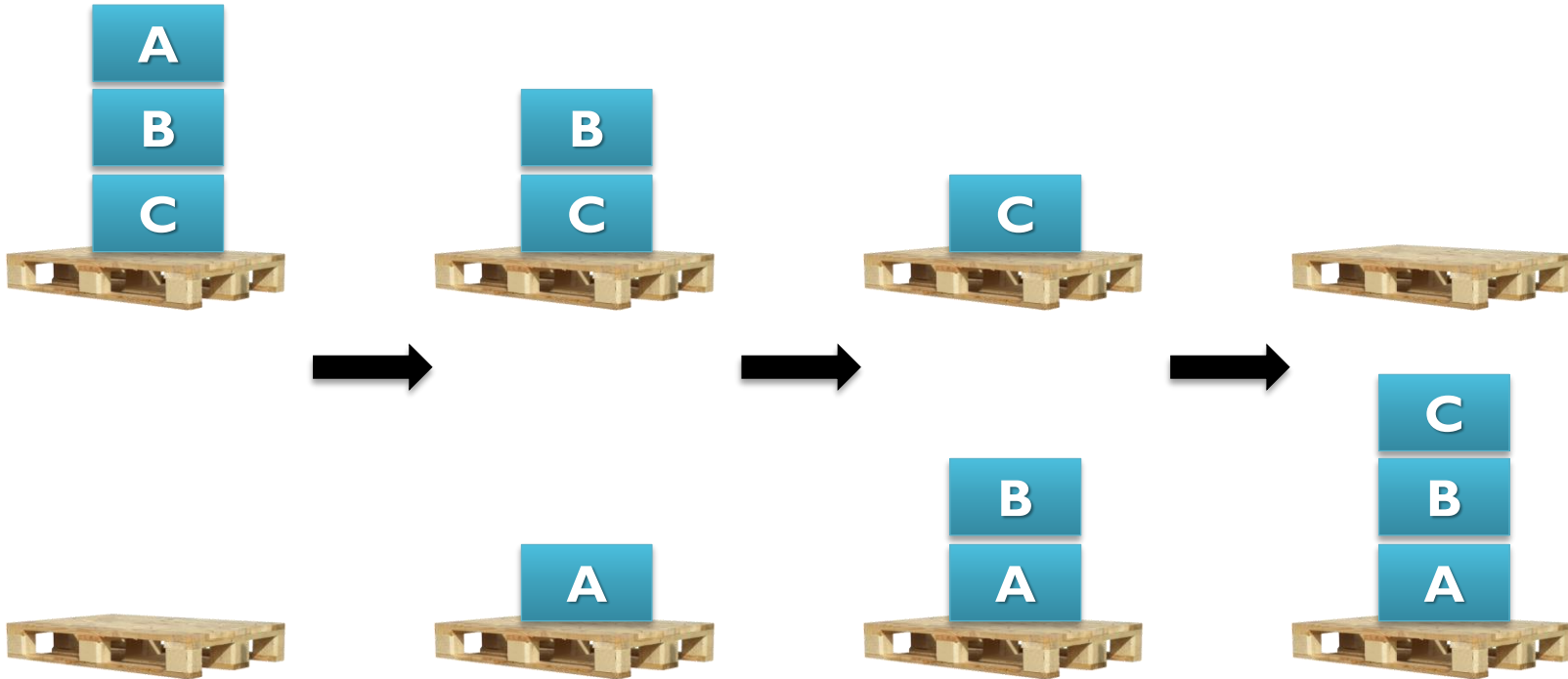
- **Task:** move-stack(p, q)
 - **method:** already-moved(p, q)
 - **precond:** top(pallet, p)
 - **subtasks:** <>



DWR Example:
Moving a stack, in the same order

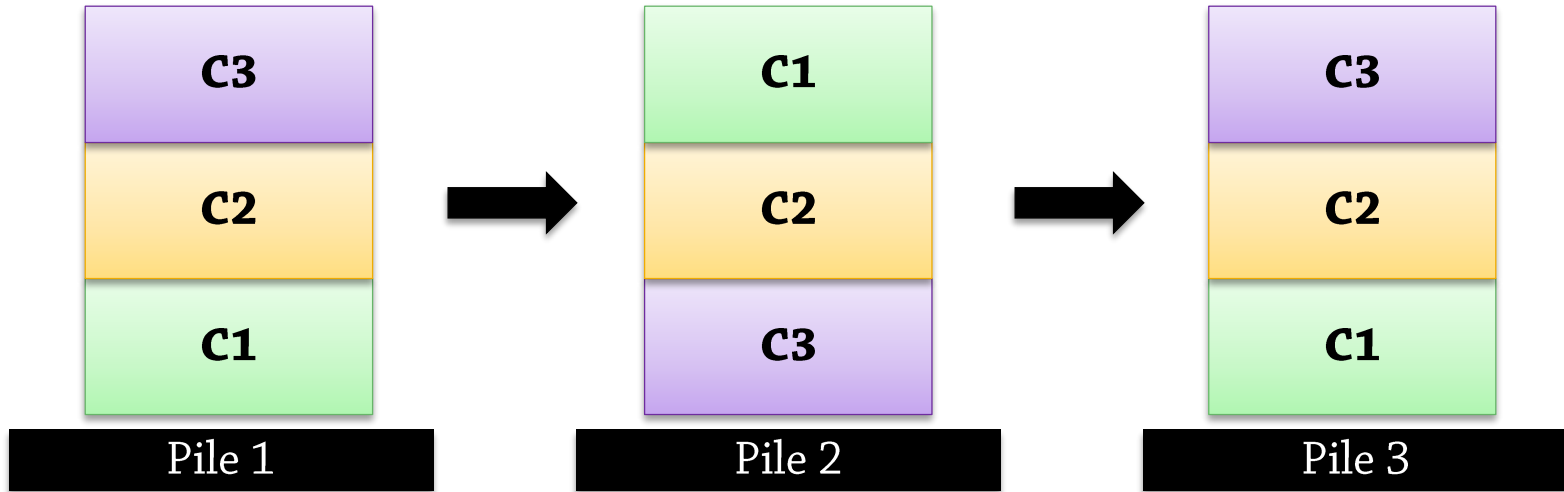
Ordering (1)

- Using move-stack inverts a stack:



Ordering (2)

- To avoid this: Use an intermediate pile



Ordering (3)

■ Example:

- **Task:** `move-stack-same-order(pile1, pile2)`
 - **method:** `move-each-twice(pile1, pileX, pile2, loc)`
 - **precond:** `top(pallet, pileX),`
`attached(...), // All in the same location`
...
 - **subtasks:** `; move twice:`
`<move-stack(pile1, pileX), move-stack(pileX, pile2)>`

**Planner chooses pileX,
finds location**

Why does **pileX** have to be empty initially?

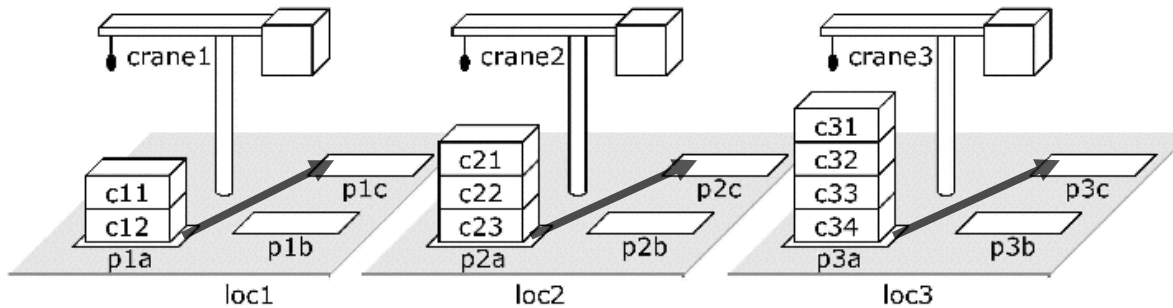
Because the second *move-stack* moves *all* containers from the intermediate pile...

DWR Example: Moving Three Stacks

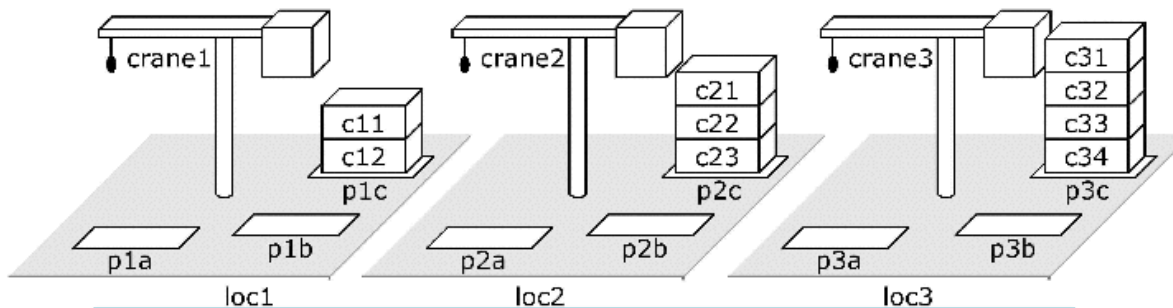
Letting the planner choose *parameters*

Overall Objective

- Our overall **objective** is:
 - Moving three entire stacks of containers, preserving order



Initial state, with 3 locations, 3 piles to move

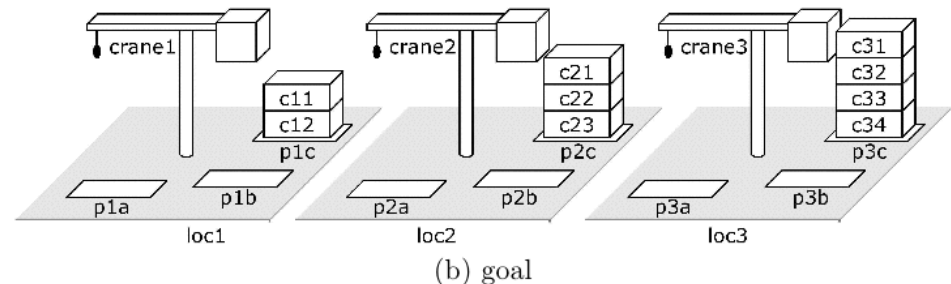
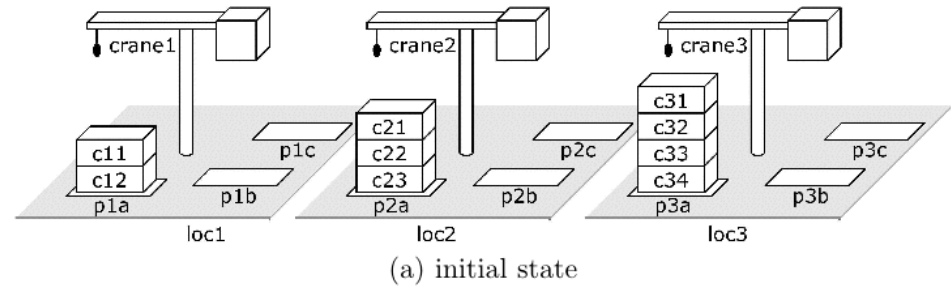


Corresponding objective, all piles moved

Overall Objective: Defining a Task

- Define a **task** for this objective
 - **Task:** move-three-stacks()
 - **method:** move-each-twice()
 - **precond:** ; no preconditions apart from the subtasks'
 - **subtasks:** ; move each stack twice:
<move-stack-same-order(p1a,p1c),
move-stack-same-order(p2a,p2c),
move-stack-same-order(p3a,p3c) >

- Use this task as the *initial task network*



DWR Example: Moving n stacks

Letting the planner choose *parameters*

- Here the entire objective was encoded in the initial network
 - **move-three-stacks**
 - → `<move-stack-same-order(p1a,p1c),
move-stack-same-order(p2a,p2c),
move-stack-same-order(p3a,p3c) >`
- To avoid this:
 - New predicate ***should-move-same-order***(*pile, pile*) encoding the goal
 - **Task**: `move-as-necessary()`
 - **method**: **move-and-repeat**(pile1, pile2)
 - **precond**: `should-move-same-order(pile1, pile2)`
 - **subtasks**: `<move-stack-same-order(pile1, pile2), ; ; makes should-move... false!
move-as-necessary>`
 - **Task**: `move-as-necessary()`
 - **method**: **all-done**
 - **precond**: `not exists pile1, pile2 [should-move-same-order(pile1, pile2)]`
 - **subtasks**: `<>`

- Can even do uninformed unguided planning

- Doing *something, anything*:

- Task do-something → operator pickup(x)
- Task do-something → operator putdown(x)
- Task do-something → operator stack(x,y)
- Task do-something → operator unstack(x,y)

**Planner chooses
all parameters**

- Repeating:

- Task achieve-goals → <do-something, achieve-goals>

- Ending:

- Task achieve-goals → <>, with precondition: entire goal is satisfied

Or combine aspects of this model
with other aspects of "standard" HTN models!

Useful Modeling Strategies:

Delivery Example – Delivering a package

Modeling "conditional" actions

Delivery 1: First Variation



- **Delivery:**
 - A single truck
 - Pick up a package, drive to its destination, unload

- **Task:** **deliver**(package, dest)
 - **method:** **move**(package, packageloc, dest)
 - **precond:** **at**(package, packageloc)
 - **subtasks:** <**driveto**(packageloc), **load**(package),
 driveto(dest), **unload**(package)>

What if the truck is already *at* the package location?
First driveto is unnecessary!

Delivery 2: Second Variation



- **Alternative**: Two alternative methods for *deliver*
 - **Task:** `deliver(package, dest)`
 - **method:** `move1(package, packageloc, truckloc, dest)`
 - **precond:** `at(truck, truckloc), at(package, packageloc),`
`packageloc = truckloc`
 - **subtasks:** `<load(package), driveto(dest), unload(package)>`
 - **Task:** `deliver(package, dest)`
 - **method:** `move2(package, packageloc, truckloc, dest)`
 - **precond:** `at(truck, truckloc), at(package, packageloc),`
`packageloc != truckloc`
 - **subtasks:** `<driveto(packageloc),`
`load(package), driveto(dest), unload(package)>`

Do we really have to repeat the entire task?
Many "conditional" subtasks → combinatorial explosion

Delivery 3: Third variation



- Make the choice in the subtask instead!
 - **Task:** deliver(package, dest)
 - **method:** move1(package, packageloc, truckloc, dest)
 - **precond:** at(truck, truckloc), at(package, packageloc)
 - **subtasks:** <**be-at**(packageloc), load(package), **be-at**(dest), unload(package)>

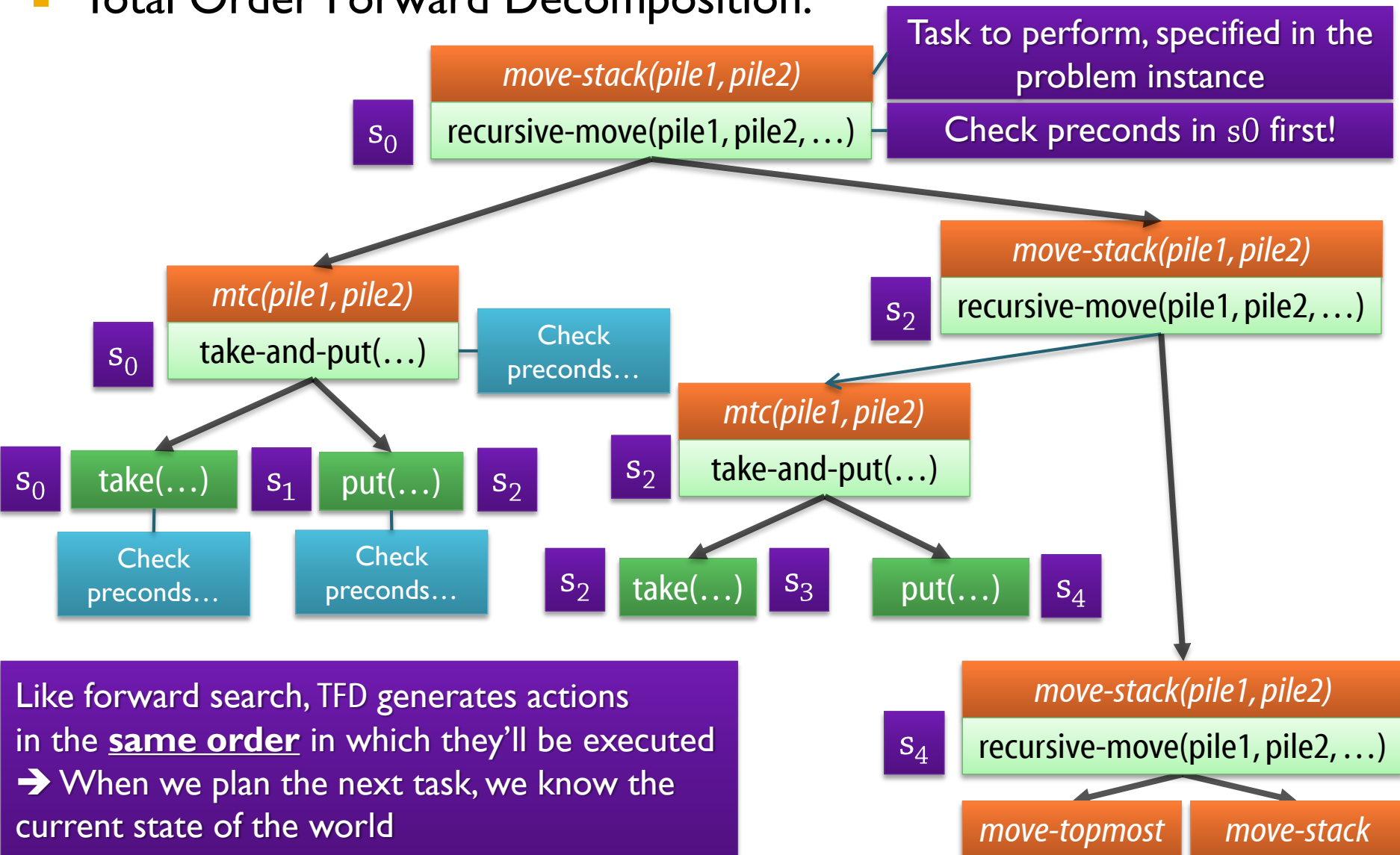
 - **Task:** **be-at**(loc)
 - **method:** drive(loc)
 - **precond:** !at(truck,loc)
 - **subtasks:** <driveto(loc)>

 - **Task:** **be-at**(loc)
 - **method:** already-there
 - **precond:** at(truck,loc)
 - **subtasks:** <>

A Planning Algorithm: Total Order Forward Decomposition

Total Order Forward Decomposition

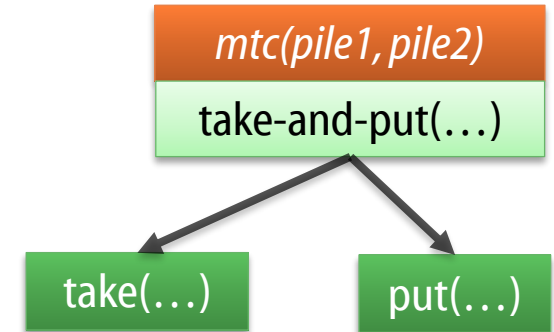
- Total Order Forward Decomposition:



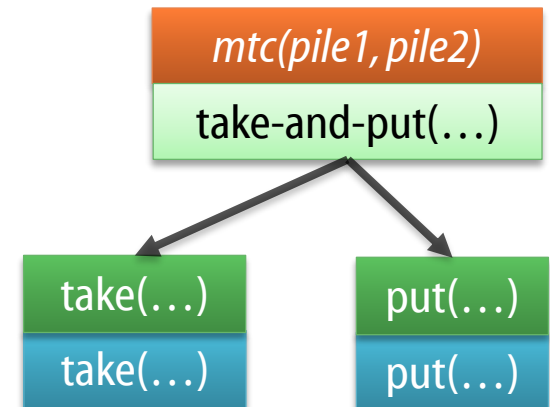
Like forward search, TFD generates actions in the **same order** in which they'll be executed
→ When we plan the next task, we know the current state of the world

- Primitive Tasks vs. Operators:

- We've said...
 - A primitive task *is* an action



- The book says...
 - A primitive task *is decomposed to* a single action



Not an essential difference,
as long as you are consistent!

Solving Total-Order STN Problems (1)



- TFD takes an STN problem instance:
 - s – the current state
 - $\langle t_1, \dots, t_k \rangle$ – a list of tasks to be achieved **in the specified order**
 - O – the available operators (with params, preconds, effects)
 - M – the available methods (with params, preconds, subtasks)

- **Returns:**
 - A sequential plan
 - Loses the hierarchical structure of the final plan
 - Simplifies the presentation – but the structure *could* also be kept!

 - **TFD(s , $\langle t_1, \dots, t_k \rangle$, O , M):**
 - // If we have no tasks left to do...
 - **if** ($k = 0$) **then** return the empty plan

Solving Total-Order STN Problems (2)

- TFD($s, \langle t_1, \dots, t_k \rangle, O, M$):
 - if ($k = 0$) then return the empty plan

For simplicity: The case where all tasks are **ground**

- if** (t_1 is primitive) **then**

// A primitive task is decomposed into a single action!

// May be many to choose from (e.g. method has more params than task).

$actions \leftarrow$ ground instances of operators in O

$candidates \leftarrow \{ a \mid a \in actions \text{ and } a \text{ is relevant for } t_1 \text{ and } a \text{ is applicable in } s \}$

// Achieves the task

if ($candidates = \emptyset$) return failure

s

t1 = take(...)
a = take(...)

t2 = put(...)

Waiting in line to be decomposed in the next step

Solving Total-Order STN Problems (3)

▪ $TFD(s, \langle t_1, \dots, t_k \rangle, O, M)$:

▪ if $(k = 0)$ then return the empty plan

▪ **if** $(t_1$ is primitive) **then**

 // A primitive task is decomposed into a single action!

 // May be many to choose from (e.g. method has more params than task).

 actions \leftarrow ground instances of operators in O

 candidates $\leftarrow \{ a \mid$
 $a \in \text{actions and}$
 a is relevant for t_1 and
 a is applicable in $s \}$

 // Achieves the task

if $(\text{candidates} = \emptyset)$ return failure

▪ **nondeterministically choose** any $a \in \text{candidates}$ // Or use backtracking

▪ $\text{newstate} \leftarrow \gamma(s, a)$ // Apply the action, find the new state

$\text{remaining} \leftarrow \langle t_2, \dots, t_k \rangle$

$\pi \leftarrow TFD(\text{newstate}, \text{remaining}, O, M)$

if $(\pi = \text{failure})$ return failure

else return $a.\pi$ // Concatenation: $a +$ the rest of the plan

For simplicity: The case where all tasks are ground



Solving Total-Order STN Problems (4)

- TFD($s, \langle t_1, \dots, t_k \rangle, O, M$):
 - if ($k = 0$) then return the empty plan
 - if** (t_1 is primitive) **then**

// A primitive task is decomposed into a single action!

// May be many to choose from (e.g. method has more params than task).

$actions \leftarrow$ ground instances of operators in O

$candidates \leftarrow \{ (a, \sigma) \mid a \in actions \text{ and}$

σ **is a substitution** s.t. action a **achieves** $\sigma(t_1)$ and
 a is applicable in s }

if ($candidates = \emptyset$) return failure

The case where tasks are **non-ground**: $move(container_1, X)$

Basically, σ can specify variable bindings for parameters of $t_1 \dots$

(italics = variables)

candidates

s

$t_1 = take(crane, loc1, cont2, cont, pile8)$

$take(\underline{crane1}, loc1, cont2, \underline{cont5}, pile8)$

$take(\underline{crane2}, loc1, cont2, \underline{cont5}, pile8)$

$t_2 = put(crane, \dots)$

$\sigma = \{ crane \mapsto crane1, cont \mapsto cont5 \}$

$\sigma = \{ crane \mapsto crane2, cont \mapsto cont5 \}$

Solving Total-Order STN Problems (5)

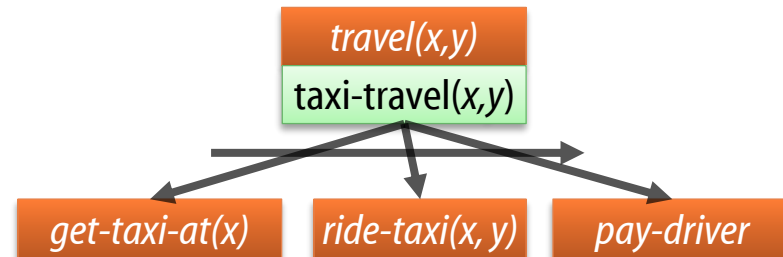
- TFD($s, \langle t_1, \dots, t_k \rangle, O, M$):
 - if ($k = 0$) then return the empty plan
 - if** (t_1 is primitive) **then**
 - $actions \leftarrow$ ground instances of operators in O
 - $candidates \leftarrow \{ (a, \sigma) \mid a \in actions \text{ and } \sigma \text{ is a substitution s.t. action } a \text{ achieves } \sigma(t_1) \text{ and } a \text{ is applicable in } s \}$
 - if** ($candidates = \emptyset$) return failure
 - nondeterministically choose** any $(a, \sigma) \in candidates$ // Or use backtracking
 - $newstate \leftarrow \gamma(s, a)$ // Apply the action, find the new state
 - $remaining \leftarrow \sigma(\langle t_2, \dots, t_k \rangle)$ // Must have the same variable bindings!
 - $\pi \leftarrow TFD(newstate, remaining, O, M)$ // Handle the remaining tasks
 - if** ($\pi = failure$) return failure
 - else** return $a.\pi$

	(italics = variables)	$\sigma(t_2) =$ put(<u>crane1</u> , ...)
s	t1 = take(<i>crane</i> , loc1, cont2, <i>cont</i> , pile8)	t2=put(<i>crane</i> , ...)
chosen:	a = take(<u>crane1</u> , loc1, cont2, <u>cont5</u> , pile8)	$\sigma = \{ crane \mapsto crane1, cont \mapsto cont5 \}$
	take(<u>crane2</u> , loc1, cont2, <u>cont5</u> , pile8)	$\{ crane \mapsto crane2, cont \mapsto cont5 \}$

Solving Total-Order STN Problems (6)

- TFD($s, \langle t_1, \dots, t_k \rangle, O, M$):
 - if ($k = 0$) then return the empty plan
 - if** (t_1 is primitive) **then** ...
 - else** // t_1 is $\text{travel}(\text{LiU}, \text{Resecentrum})$, for example
 - // A non-primitive task is decomposed into a new task list.
 - // May have many methods to choose from: taxi-travel, bus-travel, walk, ...
 - $\text{ground} \leftarrow$ ground instances of methods in M
 - $\text{candidates} \leftarrow \{ (m, \sigma) \mid m \in \text{ground} \text{ and } \sigma \text{ is a substitution s.t. } \text{task}(m) = \sigma(t_1) \text{ and } m \text{ is applicable in } s \}$ // Methods have preconds!
 - if** ($\text{candidates} = \emptyset$) return failure
 - nondeterministically choose** any $(m, \sigma) \in \text{active}$ // Or use backtracking

As before,
but
methods
instead of
actions



Solving Total-Order STN Problems (7)

- TFD($s, \langle t_1, \dots, t_k \rangle, O, M$):
 - if ($k = 0$) then return the empty plan
 - if** (t_1 is primitive) **then** ...
 - else** // t_1 is travel(LiU, Resecentrum), for example
// A non-primitive task is decomposed into a new task list.
// May have many methods to choose from: taxi-travel, bus-travel, walk, ...
 $ground \leftarrow$ ground instances of methods in M
 $candidates \leftarrow \{ (m, \sigma) \mid m \in ground \text{ and } \sigma \text{ is a substitution s.t. } task(m) = \sigma(t_1) \text{ and } m \text{ is applicable in } s \}$ // Methods have preconds!
if ($candidates = \emptyset$) return failure
nondeterministically choose any $(m, \sigma) \in active$ // Or use backtracking

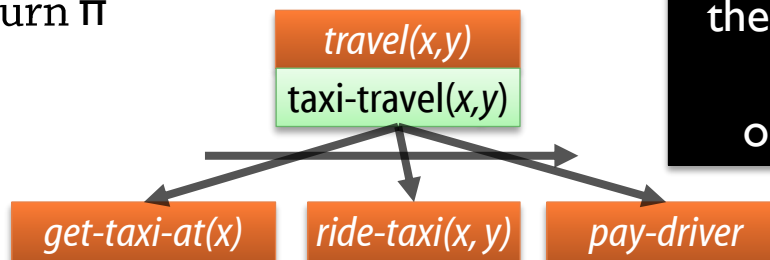
// No actions are applied here, so no new state!
 $remaining \leftarrow \mathbf{subtasks}(m) . \sigma(\langle t_2, \dots, t_k \rangle)$ // Prepend new list!

$\pi \leftarrow TFD(s, remaining, O, M)$

if ($\pi = failure$) return failure

else return π

Replace the task by its subtasks



In TFD
the "origin" of a task is discarded:
No longer needed,
only the subtasks are relevant

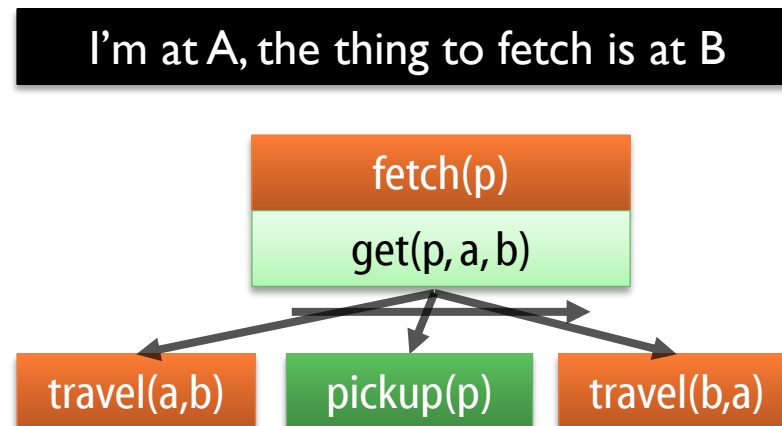
Limitations of Total-Order HTN Planning

Limitation of Ordered-Task Planning



- TFD requires **totally ordered** methods
 - Can't interleave subtasks of different tasks
- Suppose we want to **fetch one object** somewhere, then return to where we are now
 - Task: **fetch**(obj)
 - method: **get**(obj, mypos, objpos)
 - precondition: **robotat**(mypos) & at(obj, objpos)
 - subtasks: <**travel**(mypos, objpos), **pickup**(obj), **travel**(objpos, mypos)>

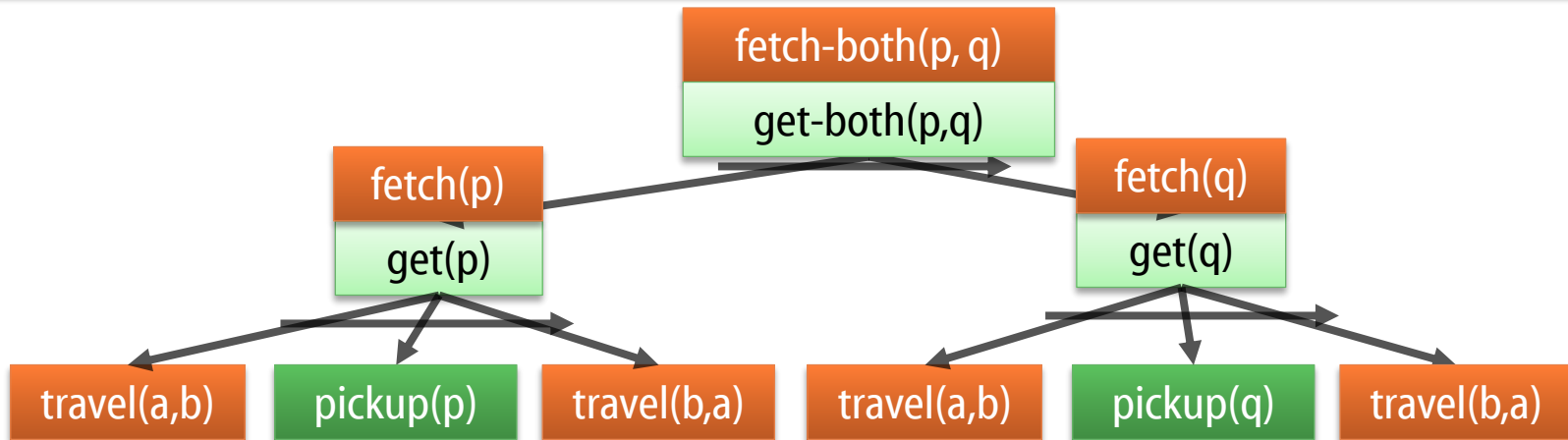
- Task: **travel**(x, y)
 - method: **walk**(x, y)
 - method: **stayat**(x)



Limitation of Ordered-Task Planning

- Suppose we want to fetch **two** objects somewhere, and return
 - (Simplified example – consider “fetching all the objects we need”)
- One idea: Just “fetch” each object in sequence
 - Task: **fetch-both**(obj1, obj2)
 - method: **get-both**(obj1, obj2, mypos, objpos1, objpos2)
 - precondition: –
 - subtasks: <**fetch**(obj1, mypos, objpos1), **fetch**(obj2, mypos, objpos2)>

I'm at A, both objects are at B



Have to start with the first Fetch...

I'm back at A and have to walk again!

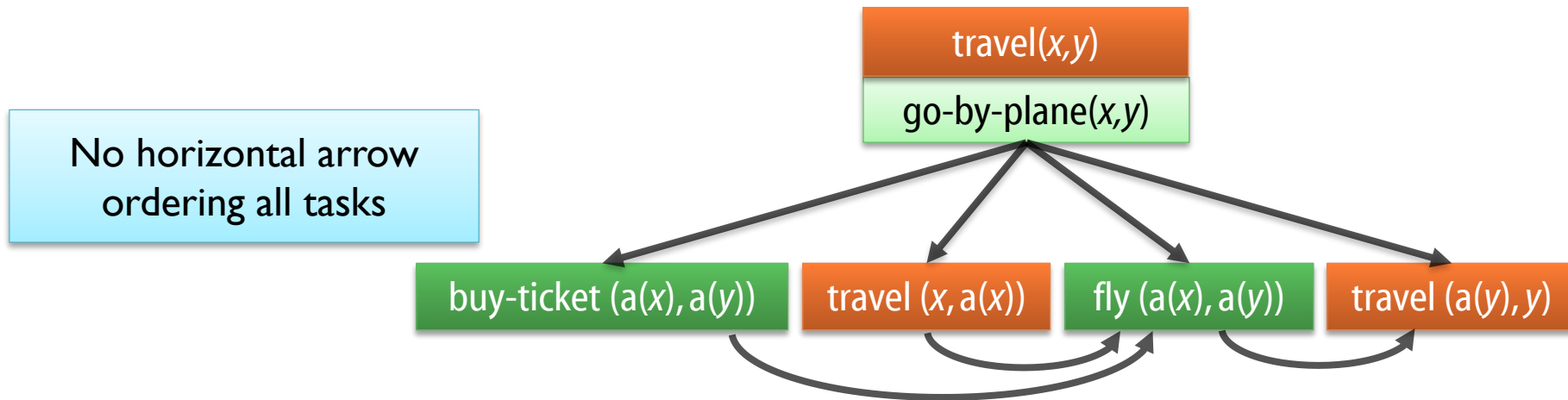
- To generate more efficient plans using total-order STNs:
 - Use a different domain model!
 - Task: **fetch-both**(obj1, obj2)
 - method: **get-both**(obj1, obj2, mypos, objpos1, objpos2)
 - precondition: objpos1 != objpos2 & at(obj1, objpos1) & at(obj2, objpos2)
 - subtasks: <**travel**(mypos, objpos1), **pickup**(obj1), **travel**(objpos1, objpos2), **pickup**(obj2), **travel**(objpos2, mypos)>
 - Task: **fetch-both**(obj1, obj2)
 - method: **get-both-in-same-place**(obj1, obj2, mypos, objpos)
 - precondition: **robotat**(mypos) & at(obj1, objpos) & at(obj2, objpos)
 - subtasks: <**travel**(mypos, objpos), **pickup**(obj1), **pickup**(obj2), **travel**(objpos, mypos)>

Or: load-all; drive-truck; unload-all

HTN Planning with Partially Ordered Methods

- Partially ordered method:

- The subtasks are a partially ordered set $\{t_1, \dots, t_k\}$ – a *network*



method go-by-plane(x,y)

task: travel(x,y)

precond: long-distance(x,y)

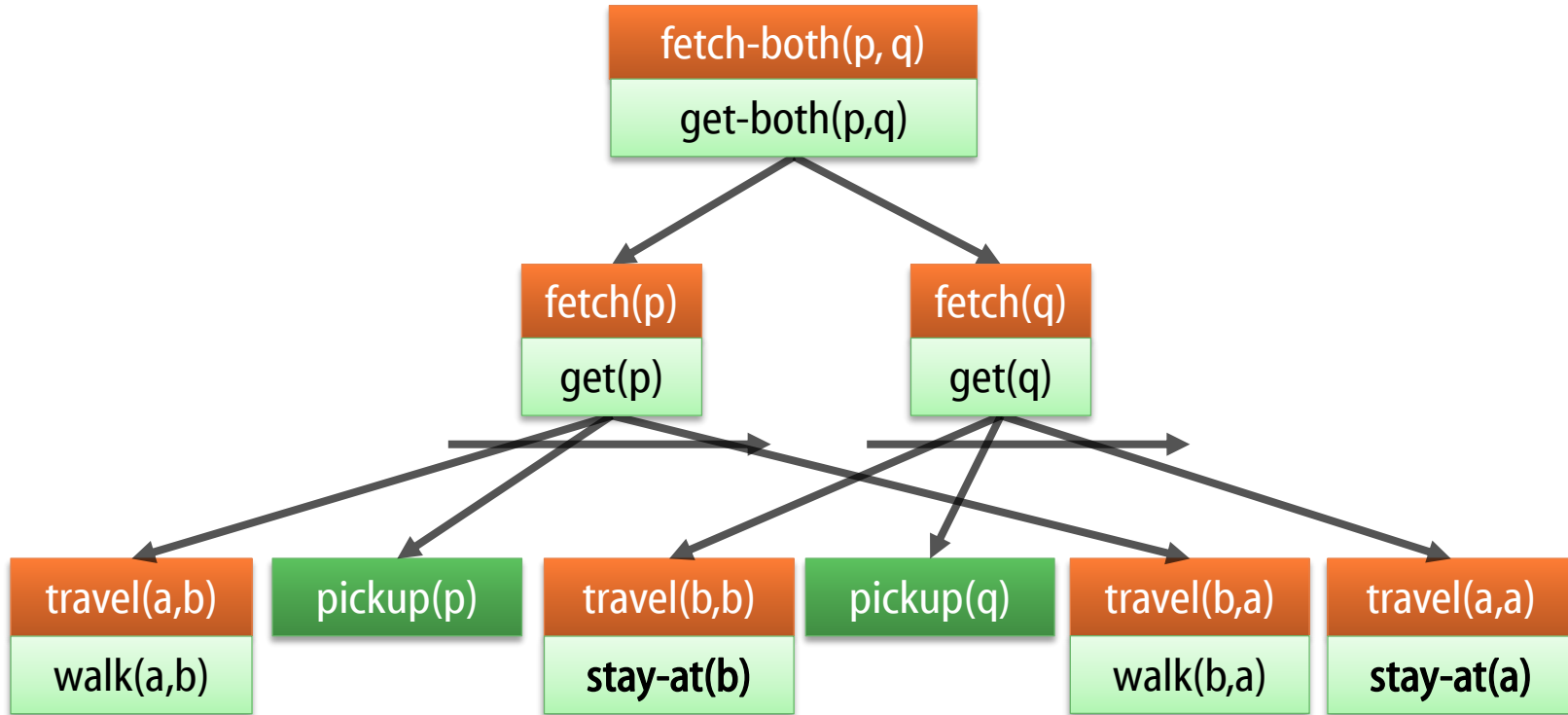
network: $u_1 = \text{buy-ticket}(a(x), a(y))$, $u_2 = \text{travel}(x, a(x))$, $u_3 = \text{fly}(a(x), a(y))$

$u_4 = \text{travel}(a(y), y)$,
 $\{(u_1, u_3), (u_2, u_3), (u_3, u_4)\}$

**Precedence: u_1 before u_3 ,
etc.**

Partially Ordered Methods

- With partially ordered methods, subtasks can be interleaved



- Requires a more complicated planning algorithm: PFD
- SHOP2: implementation of PFD-like algorithm + generalizations

Conclusion

- Control Rules or Hierarchical Task Networks?
 - Both can be very efficient and expressive
 - If you have "recipes" for everything, HTN can be more convenient
 - Can be modeled with control rules, but not intended for this purpose
 - You have to forbid everything that is "outside" the recipe
 - If you have knowledge about "some things that shouldn't be done":
 - With control rules, the default is to "try everything"
 - Can more easily express localized knowledge about what should and shouldn't be done
 - Doesn't require knowledge of all the ways in which the goal can be reached