

Version 1.1

From? Theoretical Computer Science Laboratory, Linköpings Universitet, Sweden

1 / 11

2 / 11

3 / 11

4 / 11

5 / 11

6 / 11

7 / 11

8 / 11

Backtrack points

$$H :- B_1, B_2, \dots$$

After a success $B_1\theta_0\theta_1$ of $B_1\theta_0$,
data must be kept to facilitate backtracking to B_1 :
 $B_1\theta_0$, which clauses not yet used, ...

(this is called *creating a backtrack point*)

unless system determines
that there are no more answers to $B_1\theta$:
– the last matching clause for $B_1\theta$ has been used
– no backtrack points between $B_1\theta$ and $B_1\theta_0\theta_1$

Backtrack points – possible substantial memory usage.

Indexing and pruning may contribute to avoiding
backtrack points.

9 / 11



Differences lists and open structures

We have already seen difference lists in relation to
definite clause grammars.

Difference lists improve the complexity of many
algorithms

- naive reverse $\rightsquigarrow$ linear reverse (a lecture)
- quicksort from our labs – better complexity when
the result represented as a difference list

11 / 11



Tail recursion

Well-known trick in functional programming. Replace
recursion with iteration. Possible in Prolog when:

- The recursive call is the last one in its clause,
 $p(\dots) :- \dots, p(\dots)$.
- No untried alternatives for the clause
(e.g. the clause is the last rule for the predicate).
- No backtrack points left by the clause

In such case, recursion implemented like a loop.
(No new stack frame, ...)

Consider `middle/2` from lab 2.

```
middle(X, [X]).
middle(X, [_First|Xs]) :-
    append(Middle, [_Last], Xs),
    middle(X, Middle).
```

Is `middle/2` tail-recursive?

10 / 11

