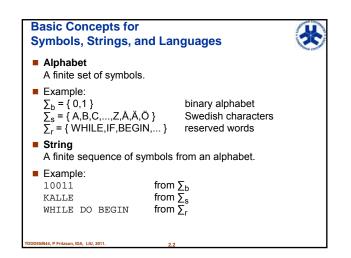
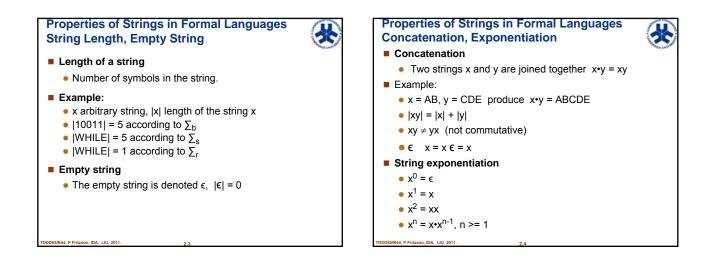
TDDD55 Compilers and interpreters

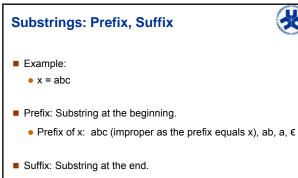
 TDDB44 Compiler Construction

 **Formal Languages Part 1** 

 Including Regular Expressions







• Suffix of x: abc (improper as the suffix equals x), bc, c, ε

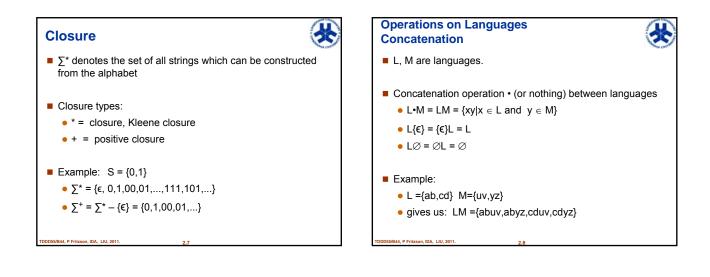
DDD55/B44, P Fritzson, IDA, LIU, 2011.

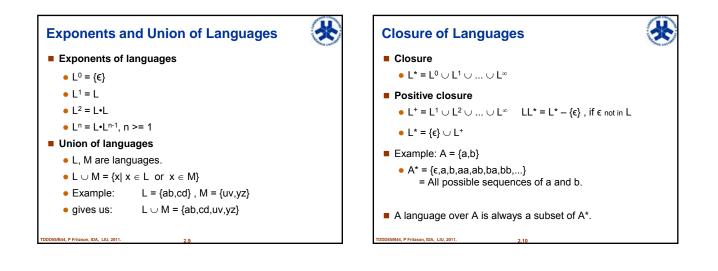
# Languages

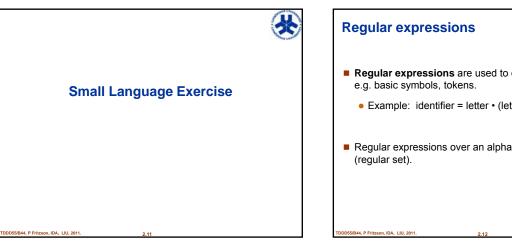
- A Language = A finite or infinite set of strings which can be constructed from a special alphabet.
- Alternatively: a subset of all the strings which can be constructed from an alphabet.
  - $\emptyset$  = the empty language. NB! { $\varepsilon$ }  $\neq \emptyset$ .
- Example: S = {0,1}

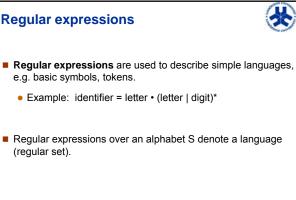
son IDA. LIU. 2011

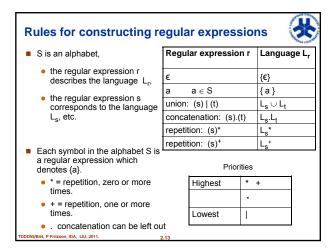
- L1 = {00,01,10,11} all strings of length 2
- L2 = {1,01,11,001,...,111, ...} all strings which finish on 1
- L3 =  $\emptyset$  all strings of length 1 which finish on 01

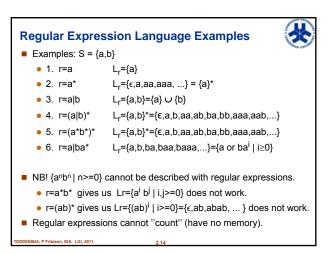










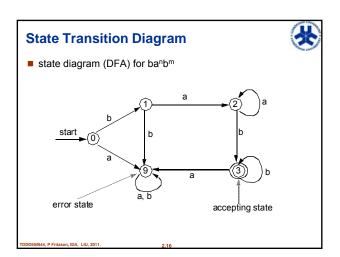


### Finite state Automata and Diagrams

- (Finite automaton)
- Assume:
  - regular expression RU = ba\*b\* = baa ... abb ... b
  - L(RU) = {  $ba^nb^m \mid n, m \ge 1$  }

#### Recognizer

- A program which takes a string x and answers yes/no depending on whether x is included in the language.
- The first step in constructing a recognizer for the language L(RU) is to draw a state diagram (transition diagram).



# Interpret a State Transition Diagram

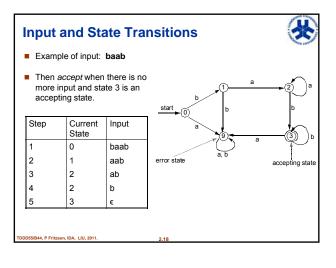
Start in the starting node 0.

IDA, LIU, 2011

- Repeat until there is no more input:
  - Read input.

D55/B44, P Fritzson, IDA, LIU, 2011

- Follow a suitable edge.
- When there is no more input:
  - Check whether we are in a final state. In this case accept the string.
- There is an error in the input if there is no suitable edge to follow.
  - Add one or several error nodes.



## Representation of State Diagrams by Transition Tables

- The previous graph is a DFA (Deterministic Finite Automaton).
- It is deterministic because at each step there is exactly one state to go to and there is no transition marked "\"e".
- A regular expression denotes a regular set and corresponds to an NFA (Nondeterministic Finite Automaton).

	State	Accept	Found	Next state	Next state
				а	b
	0	no	e	9	1
	1	no	b	2	9
	2	no	ba+	2	3
	3	yes	ba*b*	9	3
	9	no			9

×

X **NFA and Transition Tables** Example: NFA for (b|a)\* ab state а b Accept 0 {0,1} {0} no 1 {2} no 2 ves state diagram for (b|a)\*ab Transition table for (b|a)\*ab It requires more calculations to simulate an NFA with a computer program, e.g. for input ab, compared to a DFA.

